



A WT Microelectronics Company

Simulation of Switching Converters

An Introduction

Christophe Basso
Business Development Manager
IEEE Professional Member



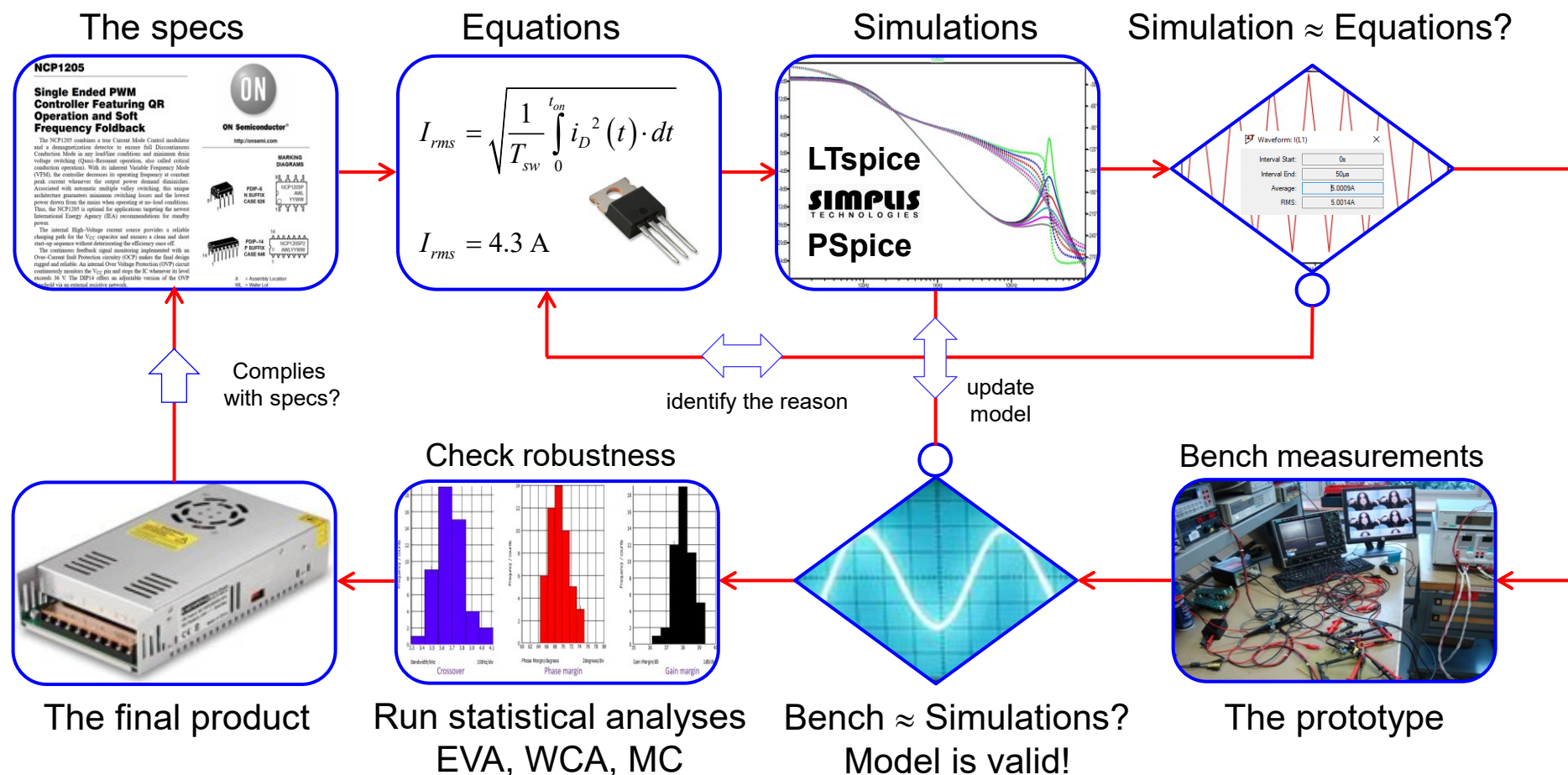
July 2026 – Rev. 0.13

Agenda

- Why Simulating?
- Different Simulation Engines
- Averaged Models
- Cycle-by-Cycle Models
- Simulation Examples of Converters

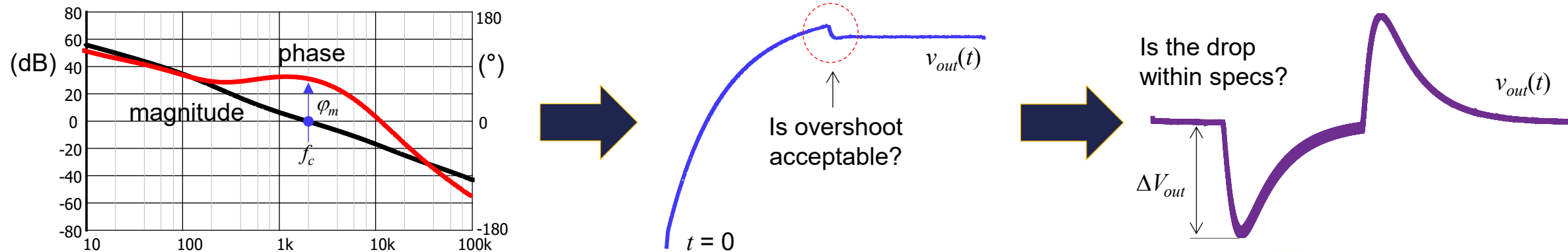
Different Approaches lead to Success

- The specs analysis is followed by an analytical equations-based approach
- ✓ Combining equations, simulations and hardware measurements: recipe for success!



Why Simulating a Switching Converter?

- A badly-compensated loop can bring issues at the first power-on sequence
- ✓ Ac models deliver the power stage ac response to let you infer a compensation strategy
- ✓ Safely test the start-up sequence and confirm variables are within safe limits



- Is your transformer well dimensioned to deliver the required power?
- Do you have design margin on voltage and current limits for the semiconductors?
- What about the rms current in this capacitor at maximum output current?

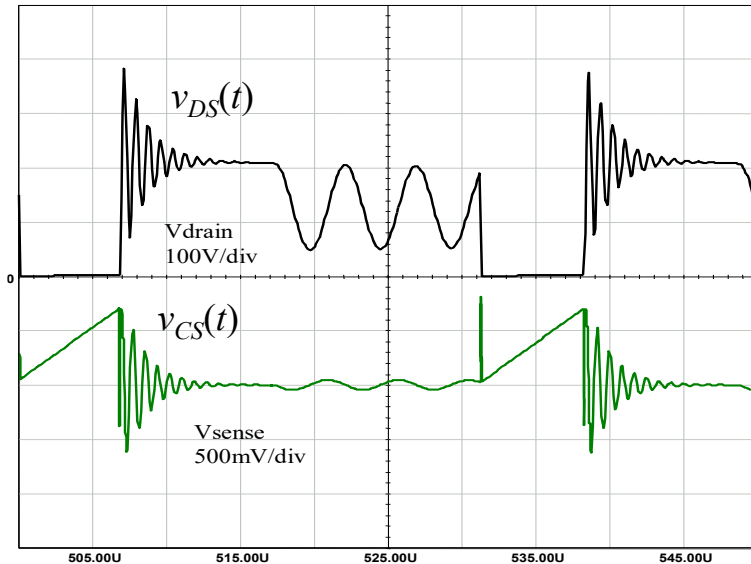
➡ Power libraries don't burn – debug on the computer



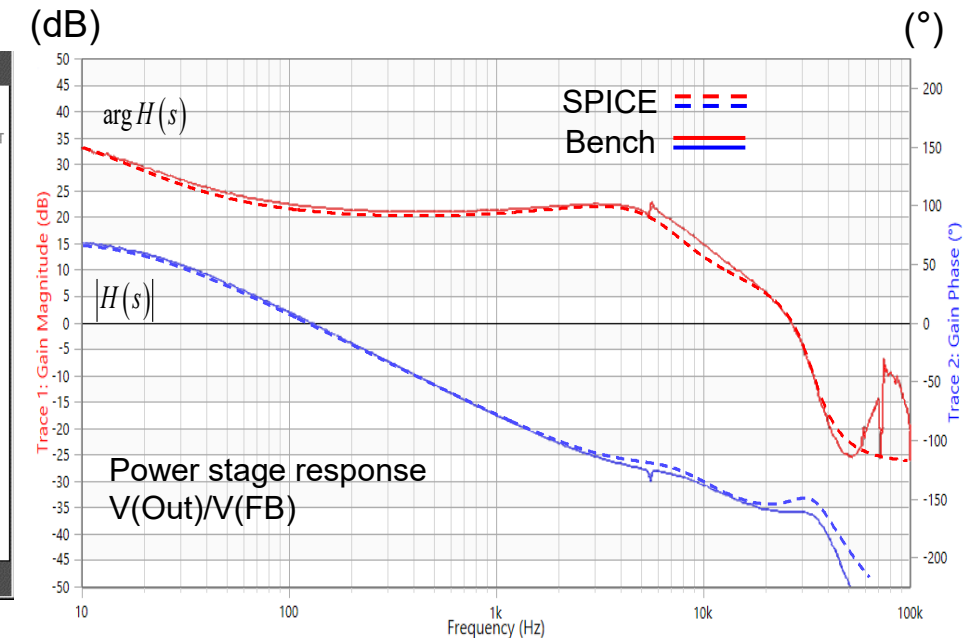
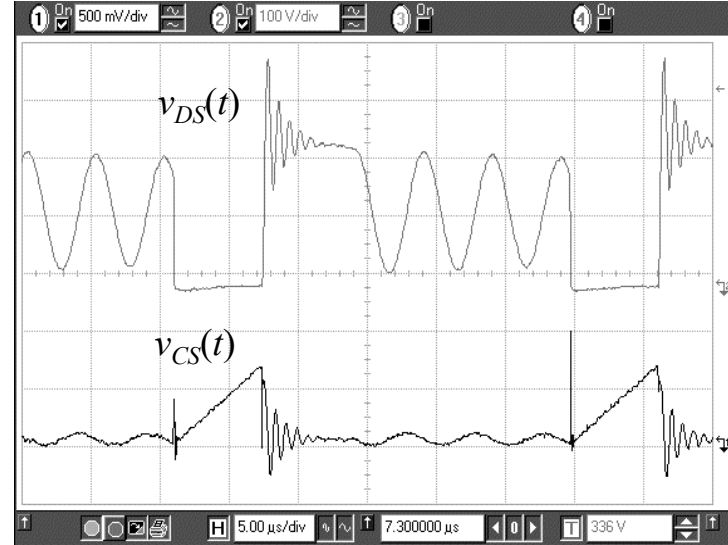
Simulations deliver reliable Results!

- If the subcircuits or models are fed with realistic parameters, simulation works
 - Carefully characterize the primary and leakage inductance of a transformer
 - Extract the ESR of the output capacitors for realistic losses and so on...

SPICE



bench



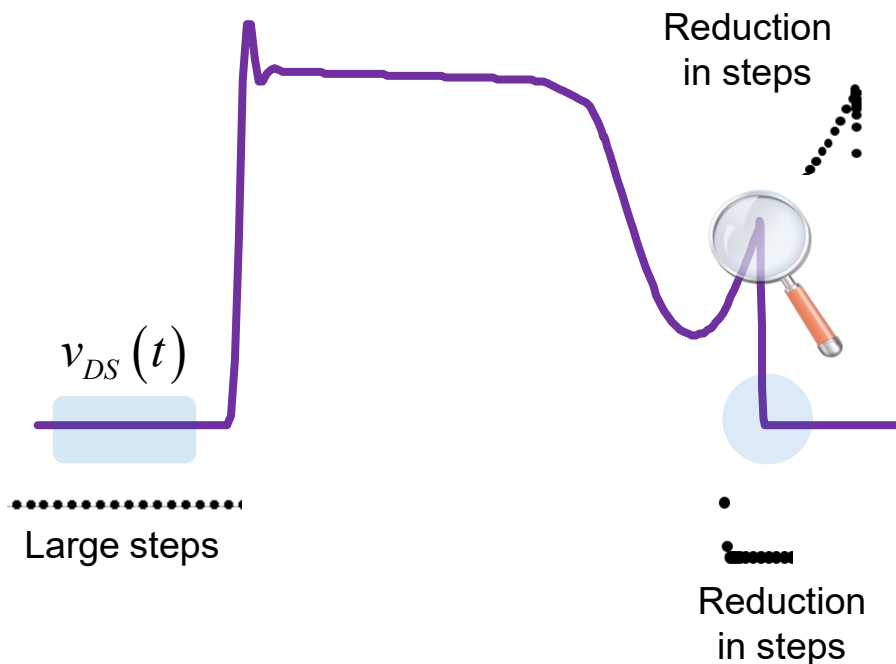
- ✓ You can predict oscillations, voltage and current stresses, overshoots...
- ✓ Comfortably close the loop with the computer and enjoy a perfect match on the bench

Agenda

- Why Simulating?
- Different Simulation Engines
- Averaged Models
- Cycle-by-Cycle Models
- Simulation Examples of Converters

SPICE – a Reference since 1973

- SPICE is a linear solver in essence: any nonlinear behavior must be linearized
- SPICE samples at a variable timestep: it adjusts its course based on signals shapes
- Flat type of waveform: large timesteps are taken
- Change occurs: timestep reduction until enough precision is obtained



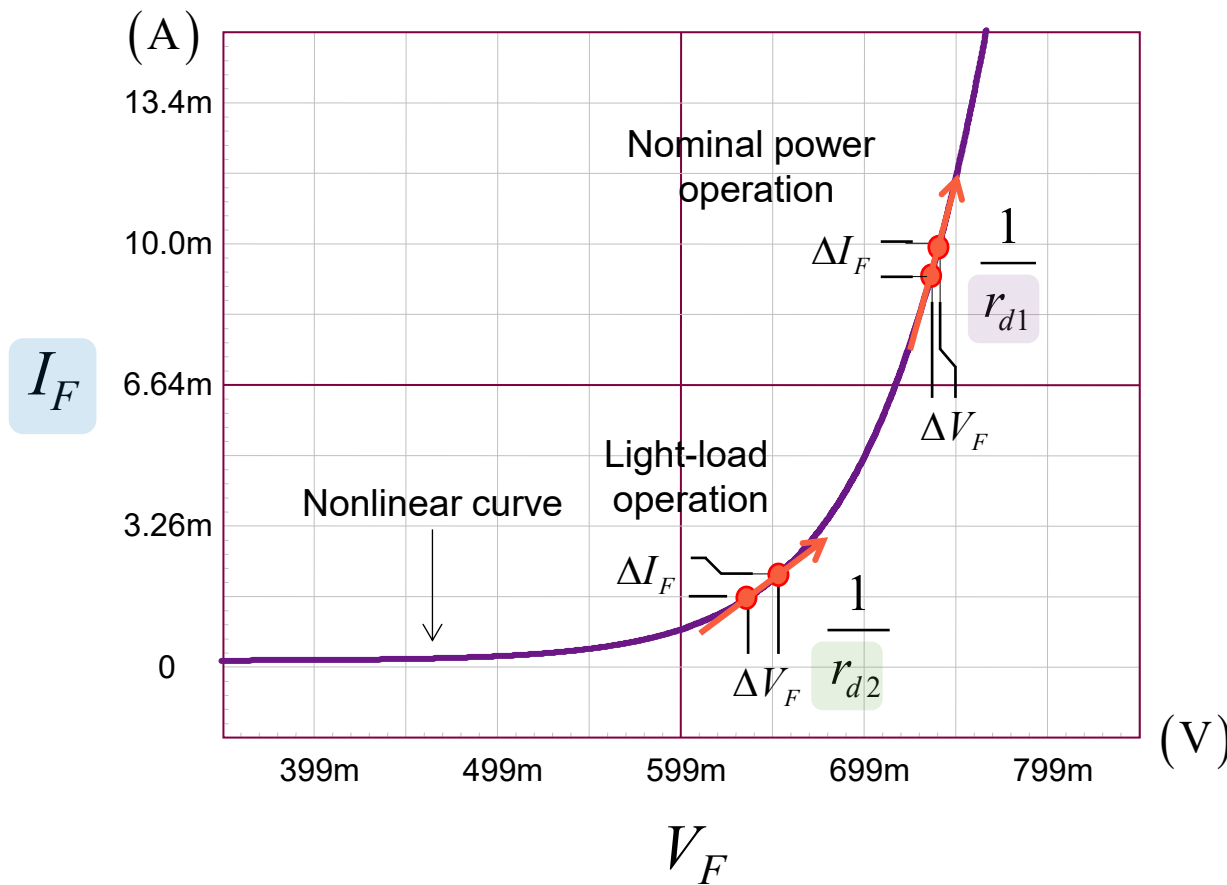
- Timestep control algorithm is an essential part of the engine:
- ✓ It controls the number of iterations to find a solution
- ✓ It checks that timestep reduction brings a precise solution – jump to next point or fail!



Highly time-consuming process!

Linearizing the Shockley Equation

- A diode is a nonlinear device affected by a variable dynamic resistance r_d
- ✓ SPICE will have to linearize the component at every change in operating point



$$r_{d1} = \left. \frac{\Delta V_F}{\Delta I_F} \right|_{I_{F1}}$$

$$r_{d2} = \left. \frac{\Delta V_F}{\Delta I_F} \right|_{I_{F2}}$$

Operating points

Nonlinear expression

$$I_F = I_s \left(e^{\frac{v_F}{nV_T}} - 1 \right)$$



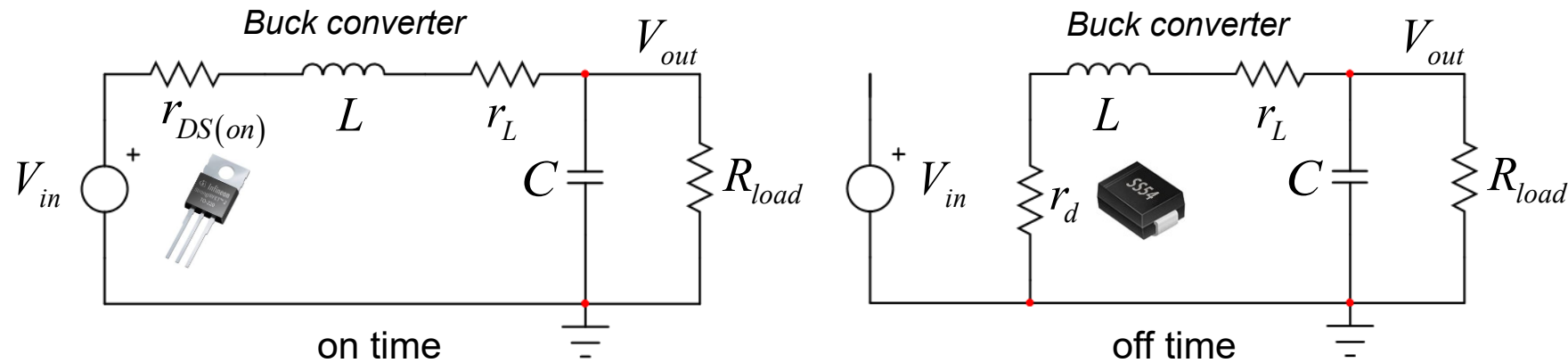
$$\hat{i}_F \approx I_F \frac{\hat{v}_F}{nV_T}$$

$$r_d \approx \frac{nV_T}{I_F}$$

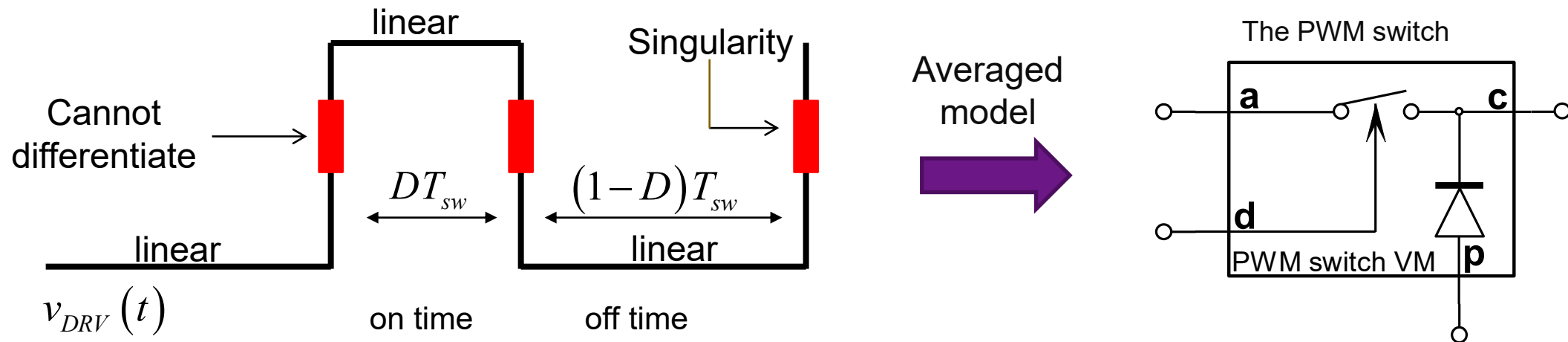


A Switching Cell is a Nonlinear System

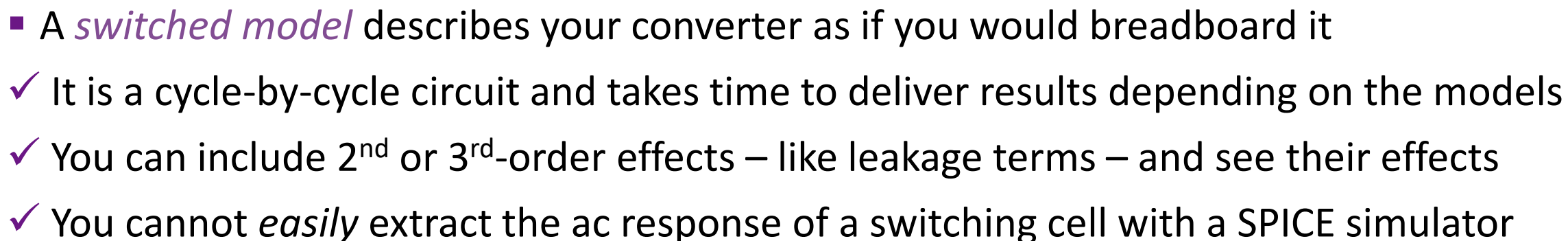
- A switching converter is exhibiting linear characteristics during t_{on} and t_{off}



- The toggling event between the two networks introduces a discontinuity

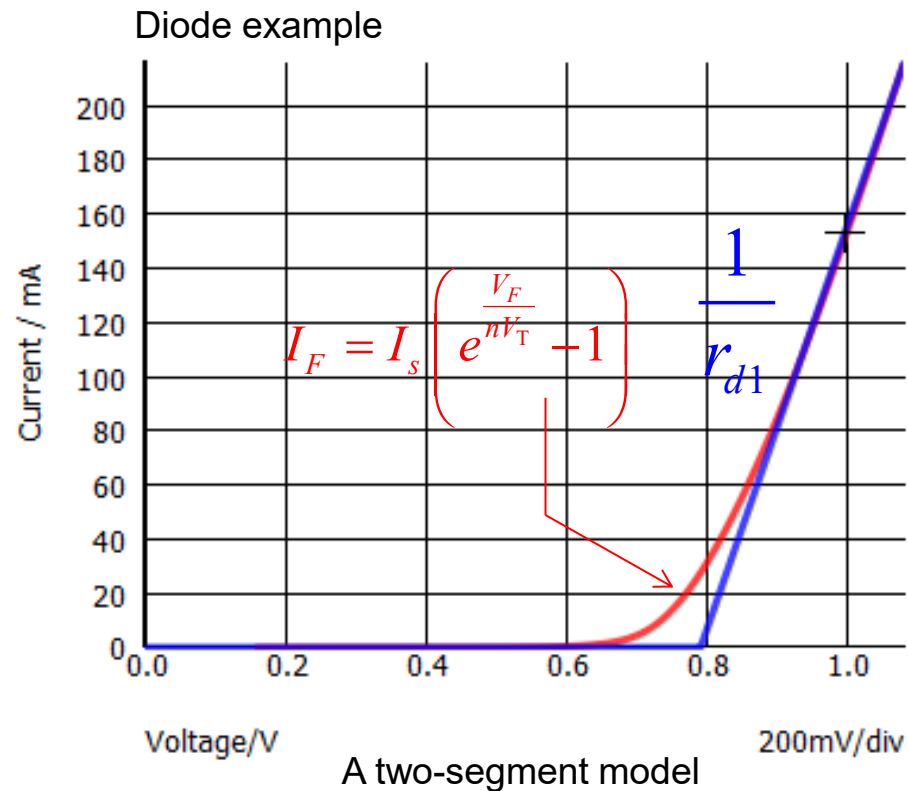


-
- ton={ton} Lsw={L} RISense={Ri}
- X1
- A C
- Vc
- Off Ip Iv Fsw P D
- D 499.99826mV
- Fsw 333.33218V
- Iv 4.2399998V
- Ip 5.740005V
- toff 1.5000104μV
- Operating point - ok
- 4.9900026V
- Out
- rC 30m
- Cout 220μF
- R 1
- Vin 10V
- V2 AC 1 424m
- L {L}
- R1 1m
- Averaged model – COT

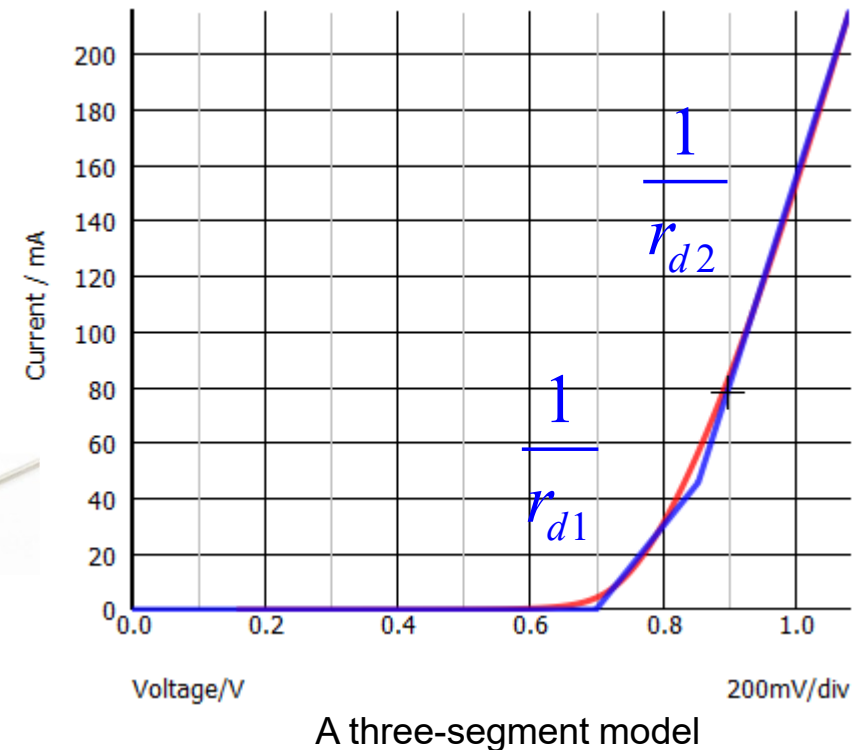


SIMPLIS – A Piece-Wise Linear Engine

- SIMPLIS uses a PWL approach where a component is modeled through segments
- Any change in operating point is modeled as a transition to another segment
- ✓ At any instant in simulation time, the system is always linear!

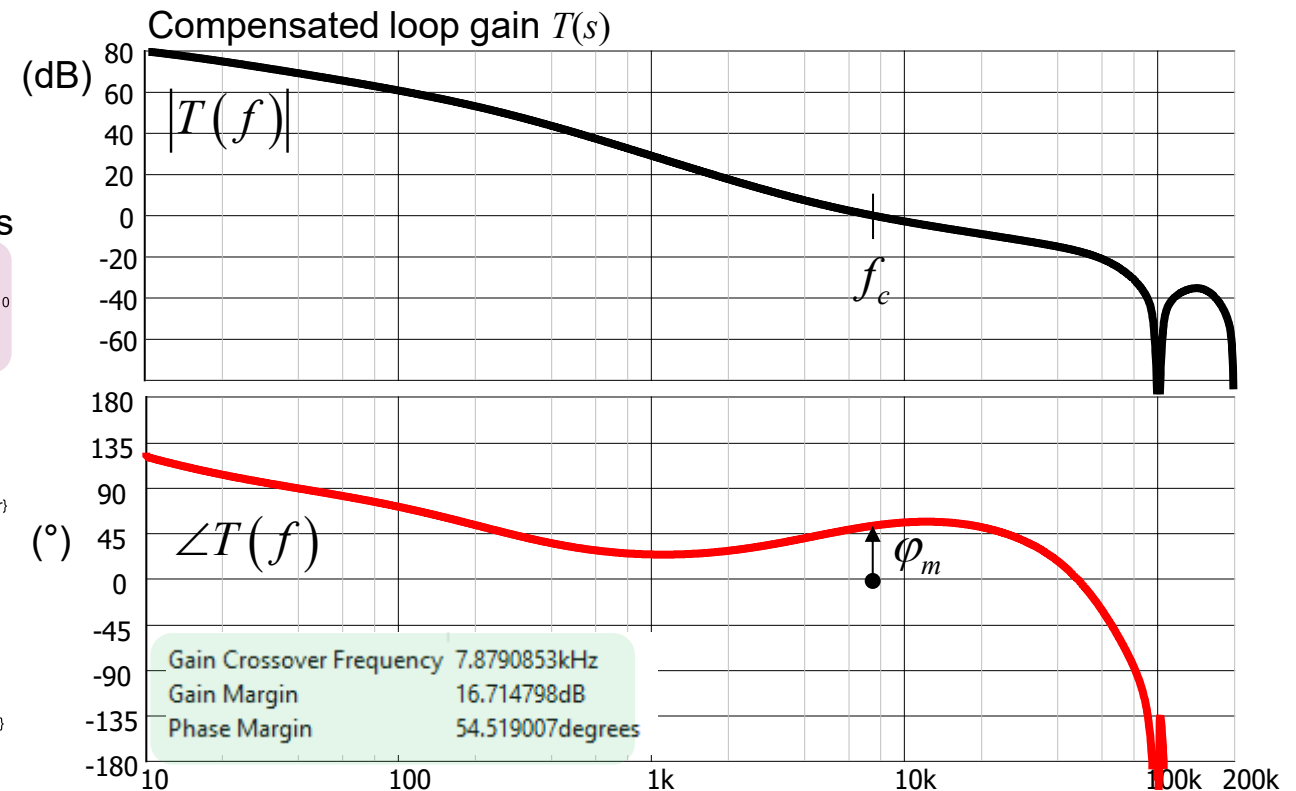
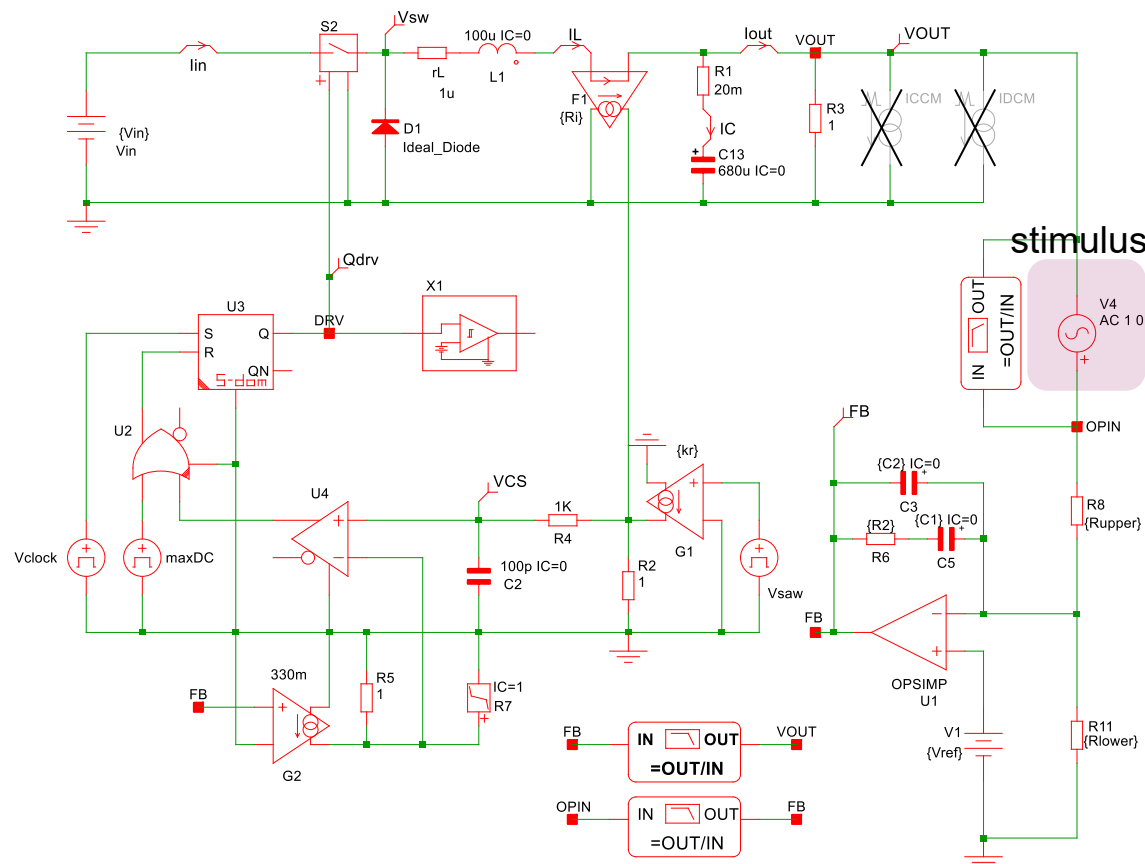


More
segments



AC Response from a Switching Circuit

- You can assemble your circuit to model your prototype and check the operating point
- From this simulation template, you can extract the ac response for closing the loop
- ✓ No need to involve an intermediate step with an averaged model

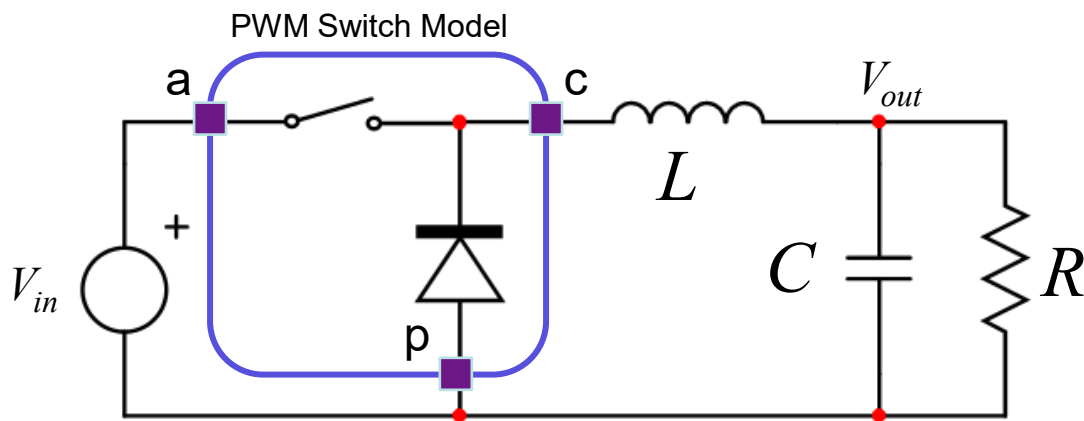


Agenda

- Why Simulating?
- Different Simulation Engines
- **Averaged Models**
- Cycle-by-Cycle Models
- Simulation Examples of Converters

The PWM Switch Model in Voltage Mode

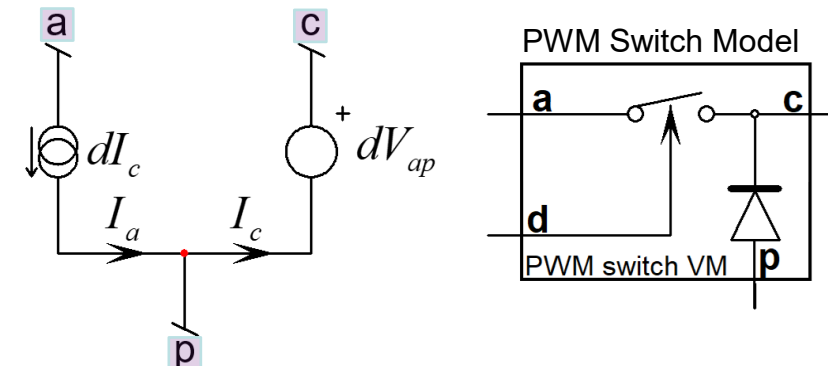
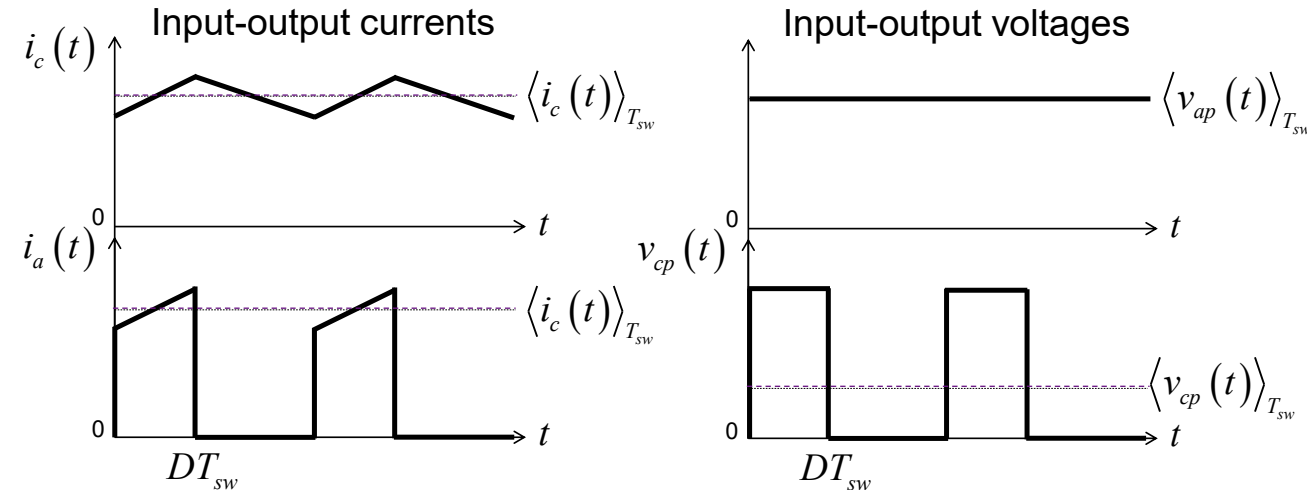
- We have seen that the discontinuity was brought by the switching cell
- ✓ Linearize the switching cell and leave the other elements untouched



Time-continuous nonlinear expressions

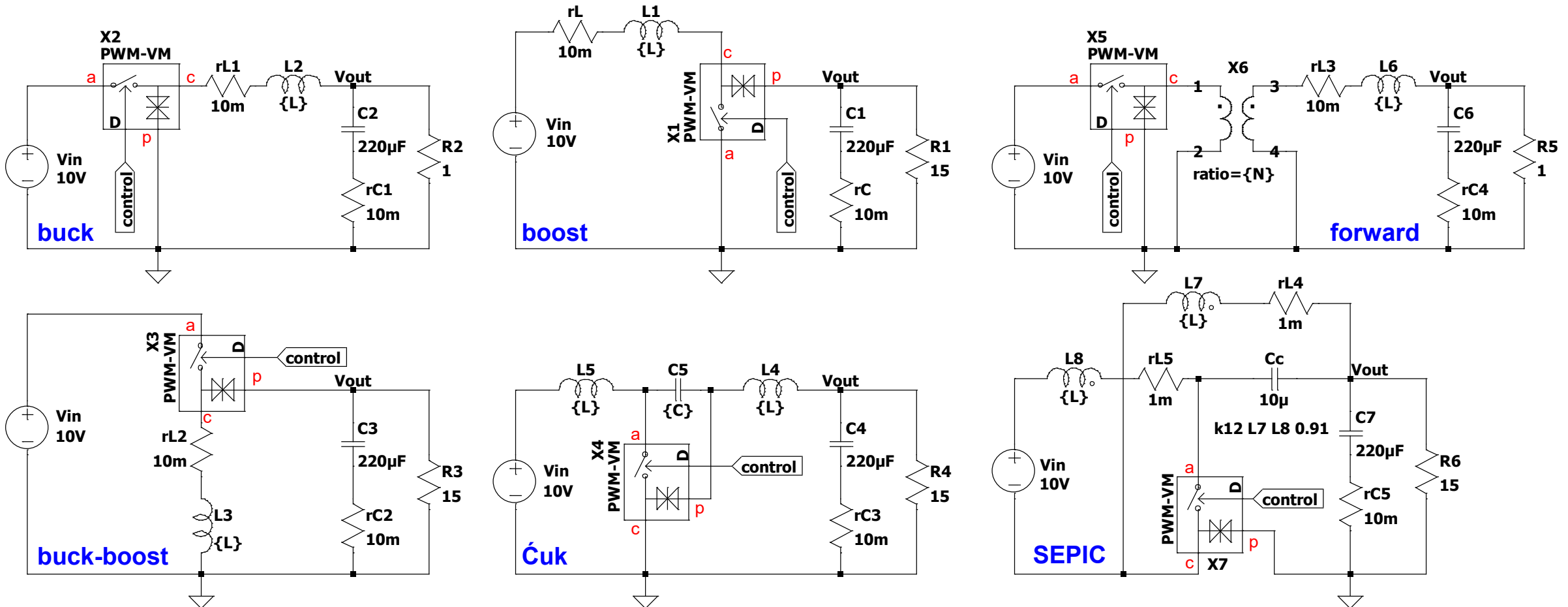
$$\langle i_a(t) \rangle_{T_{sw}} = I_a = \frac{1}{T_{sw}} \int_0^{dT_{sw}} i_a(t) dt = D \langle i_c(t) \rangle_{T_{sw}} = DI_c$$

$$\langle v_{cp}(t) \rangle_{T_{sw}} = V_{cp} = \frac{1}{T_{sw}} \int_0^{dT_{sw}} v_{cp}(t) dt = D \langle v_{ap}(t) \rangle_{T_{sw}} = DV_{ap}$$



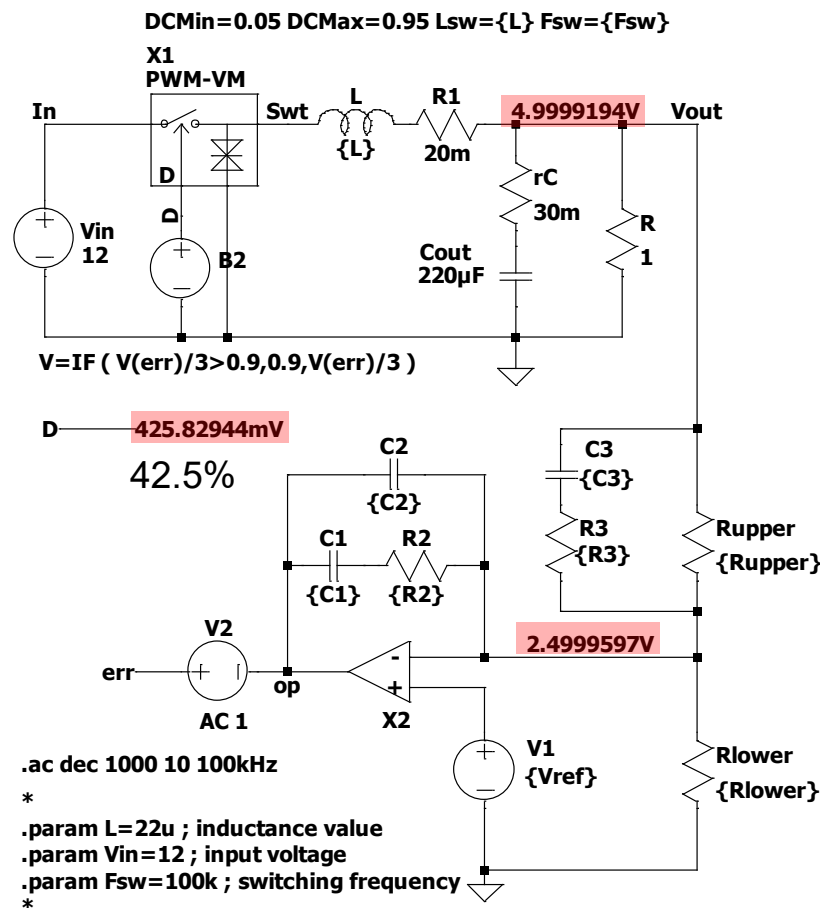
A Model that fits many switching Cells

- Invariant equations are valid for most known switching converters
- ✓ Rotate the PWM switch model and have its terminals properly connected



Modeling a Buck Converter in VM Control

- Select the VM PWM switch model from the LTspice library and assemble the converter
- ✓ Check operating points are correct after the simulation has run



* Read from the power stage Bode plot

.param Gfc=-12 ; magnitude at crossover *
.param PS=-150 ; phase lag at crossover *

* Enter Design Goals Information Here *

.param fc=10k ; targeted crossover *
.param PM=70 ; choose phase margin at crossover *

* Capture the double zero position and
* one of the pole position

.param fz1=2k
.param fz2=2k
.param fp2=50k ; this pole is usually placed at Fsw/2

* Enter the Values for Vout and Bridge Bias Current *

.param Vout=5
.param Ibias=2m
.param Vref=2.5

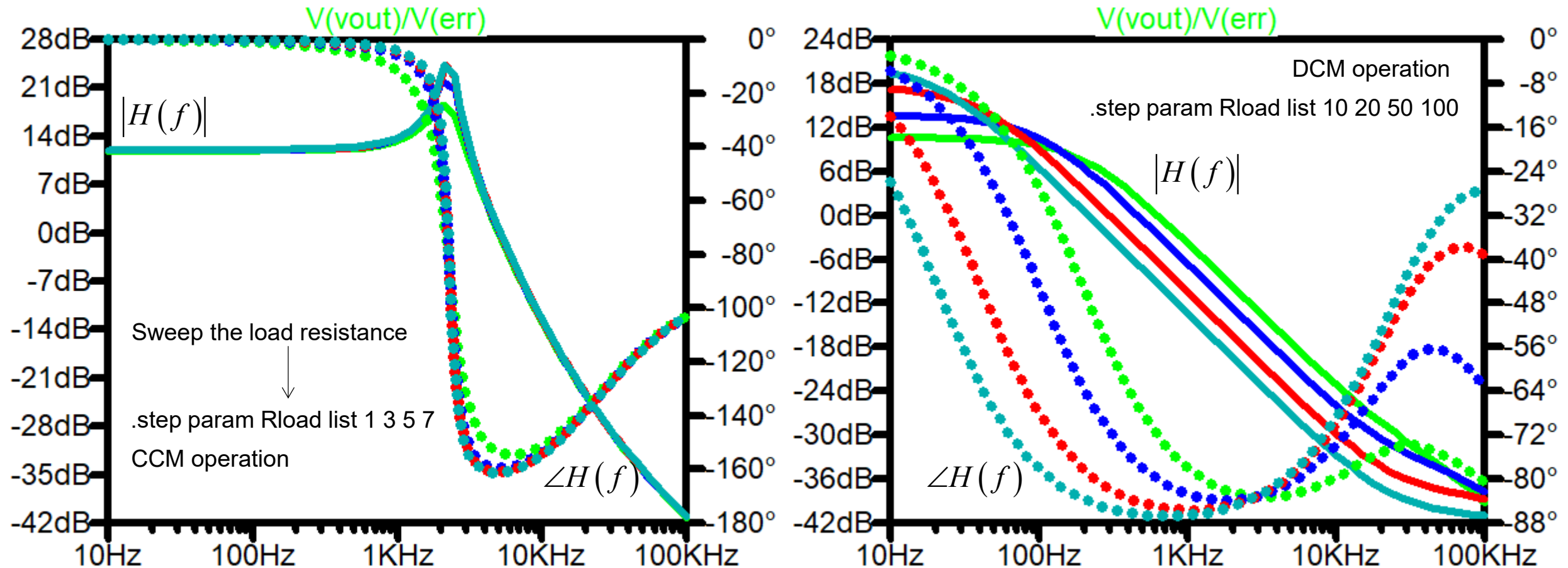
- The macro automates the compensation

- All components are calculated based on f_c and φ_m

*
.param Rlower={Vref/Ibias}
.param Rupper={(Vout-Vref)/Ibias}
.param boost={PM-PS-90}
.param G={10**(-Gfc/20)}
.param fp1={fc/tan(atan(fc/fz1)+
+atan(fc/fz2)-atan(fc/fp2)-boost*pi/180)}
.param a={sqrt((fc**2/fp1**2)+1)}
.param b={sqrt((fc**2/fp2**2)+1)}
.param c={sqrt((fz1**2/fc**2)+1)}
.param d={sqrt((fc**2/fz2**2)+1)}
.param R2={((a*b/(c*d))/(fp1-fz1))*Rupper*G*fp1}
.param C1={1/(2*pi*fz1*R2)}
.param C2={C1/(C1*R2*2*pi*fp1-1)}
.param C3={((fp2-fz2)/(2*pi*Rupper*fp2*fz2))}
.param R3={Rupper*fz2/(fp2-fz2)}
.param G0={((R2*C1)/(Rupper*(C1+C2)))*c*d/(a*b)}
*

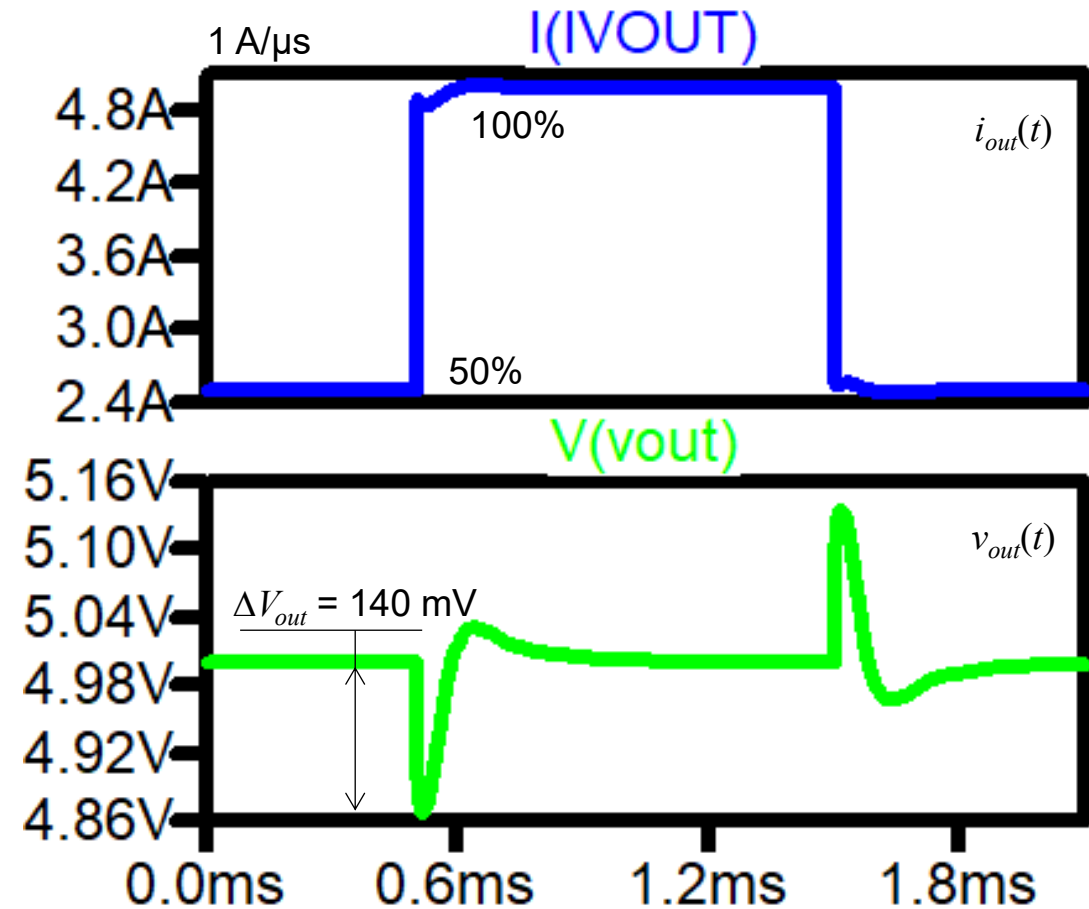
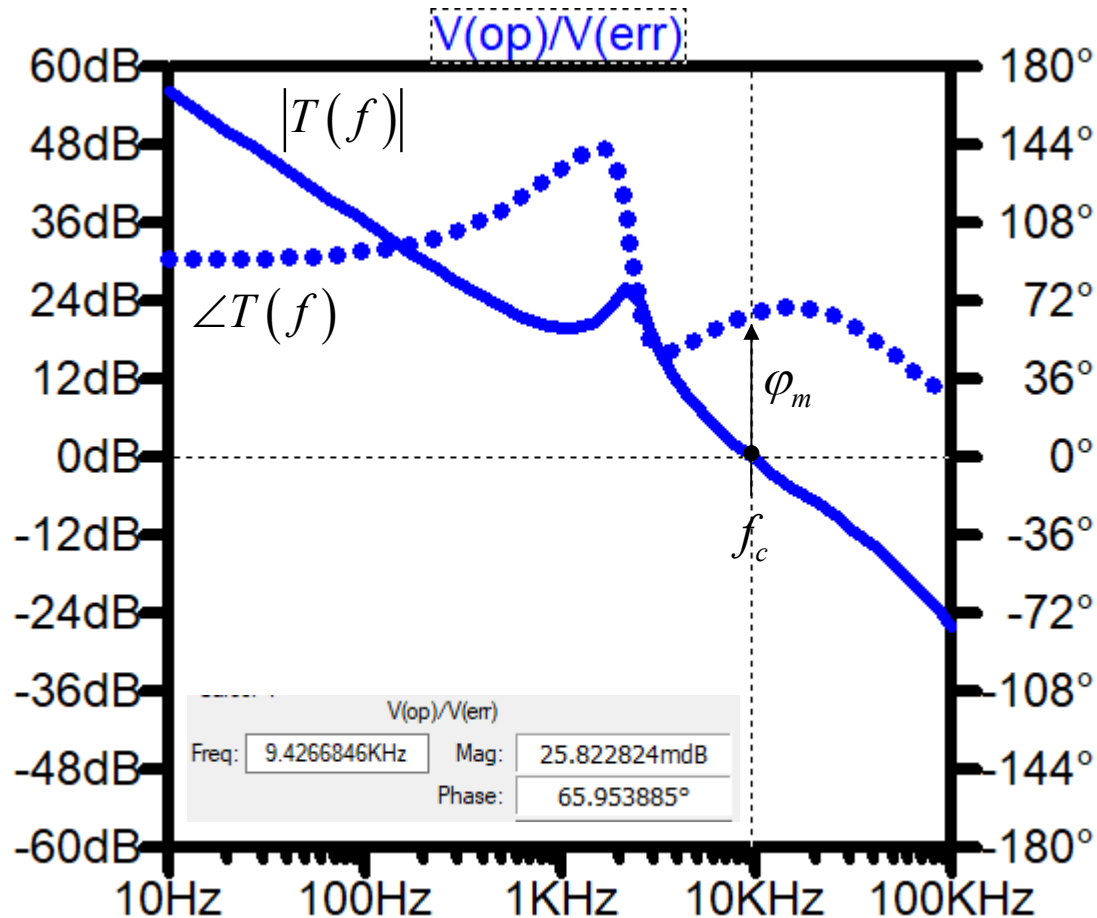
Control-to-Output Transfer Function in VM

- The model automatically detects the operating mode and switches from CCM or DCM
- ✓ You don't need to determine the critical resistance to choose a DCM or CCM model



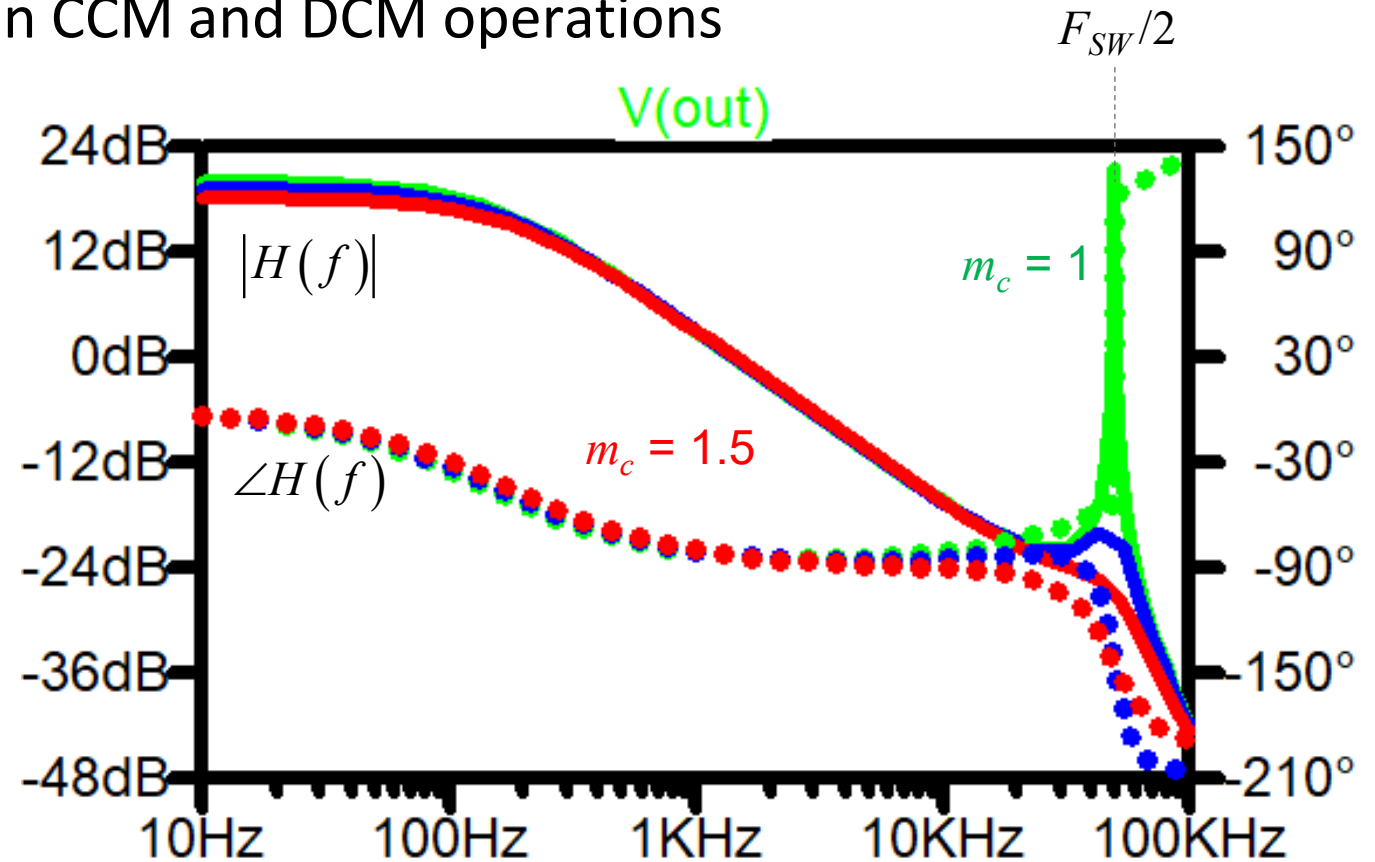
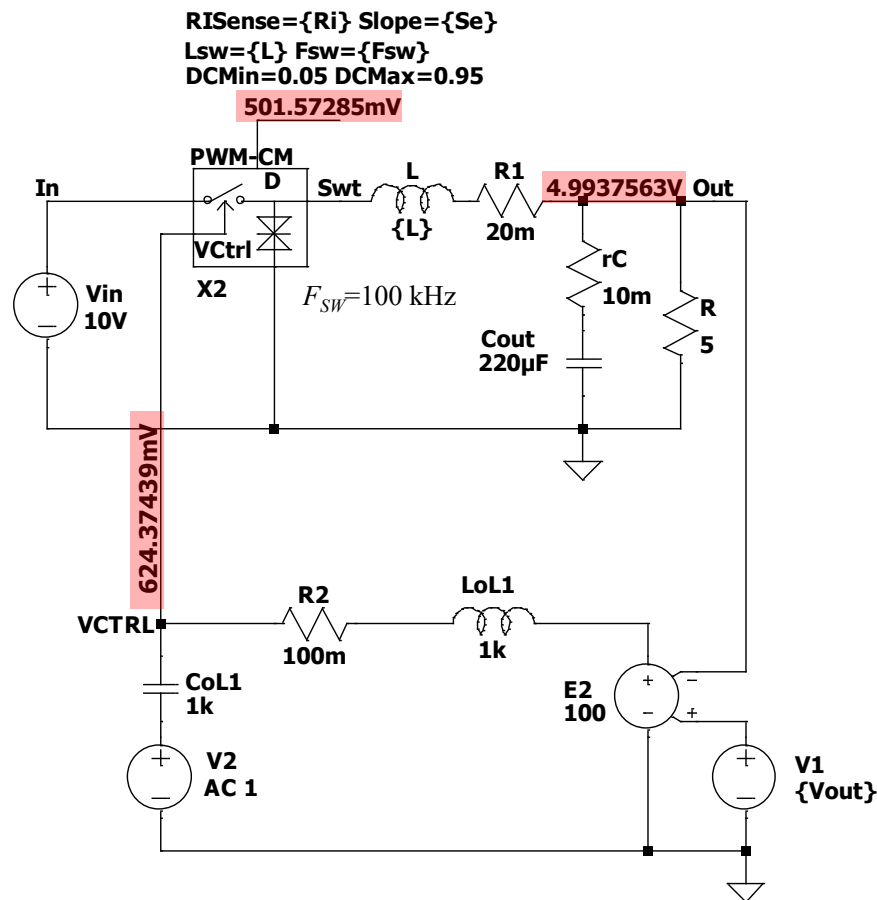
Transient Response of the Converter

- The compensated model lets you immediately check crossover and phase margin
- ✓ Owing to nonlinear equations, you can also test the corresponding transient response



Modeling a Buck Converter in CM Control

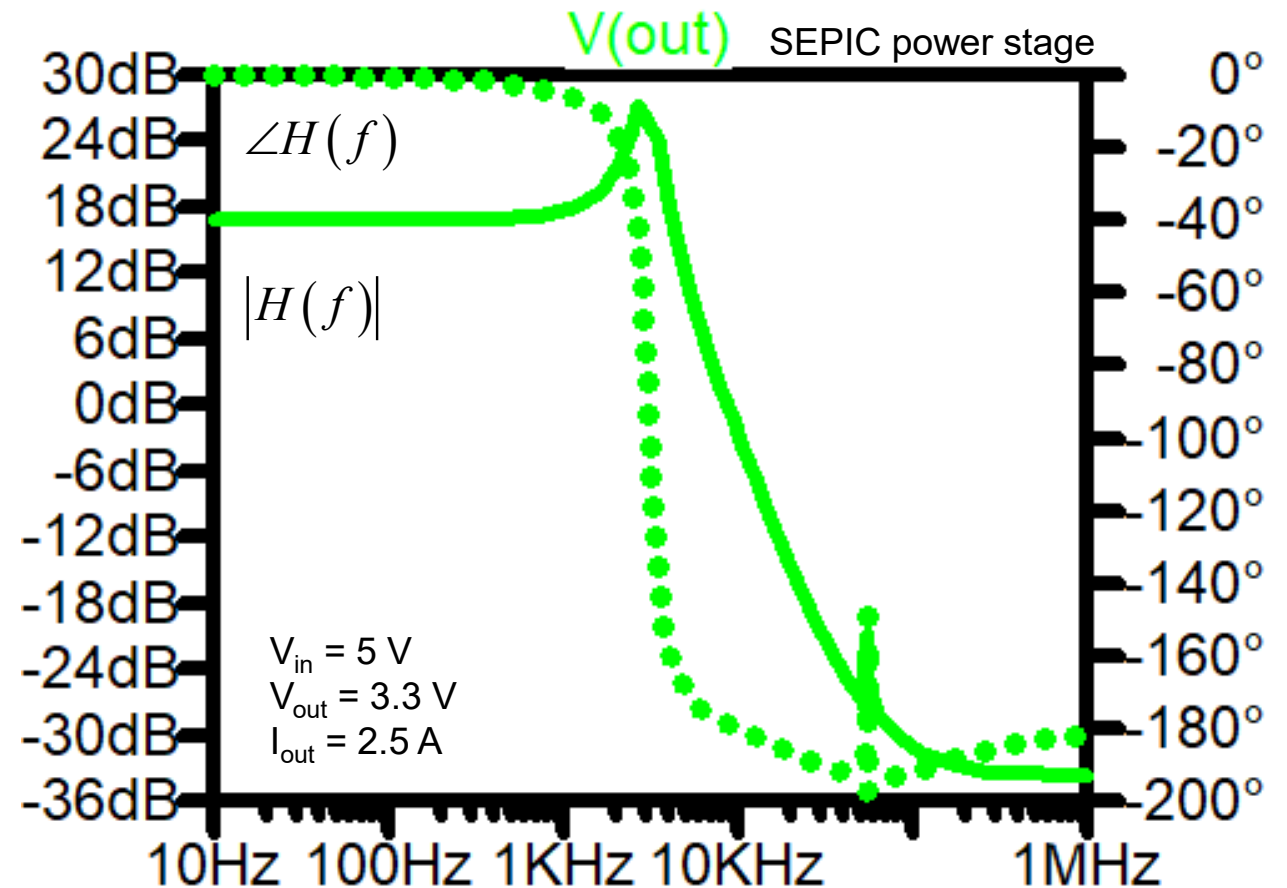
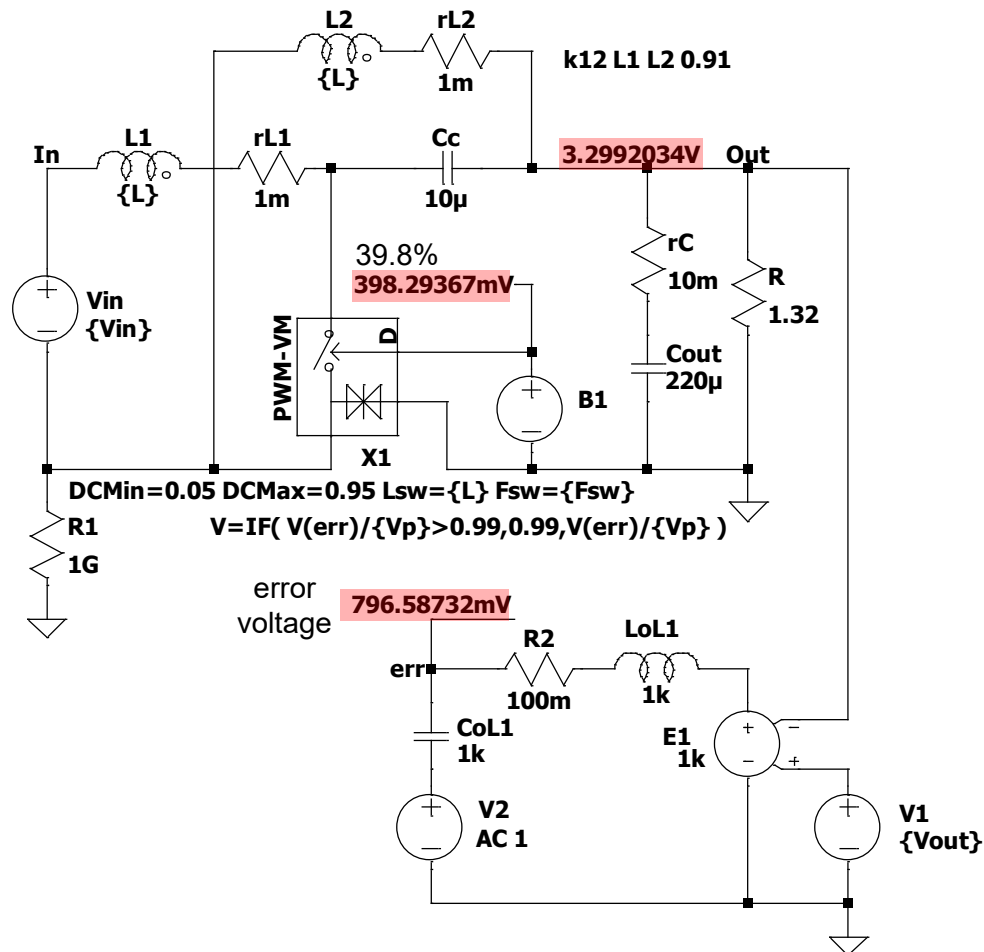
- A current-model also exists – PWM CM – and it predicts subharmonic oscillations
- ✓ It is also capable to toggle between CCM and DCM operations



- Slope compensation is swept for $m_c = 1, 1.2, 1.5$
- $m_c = 1 + S_e/S_n$

The PWM Switch Model in a SEPIC

- By rotating the model and matching the port connections, a SEPIC can be studied
- ✓ This is a 4th-order converter with a complicated control-to-output transfer function



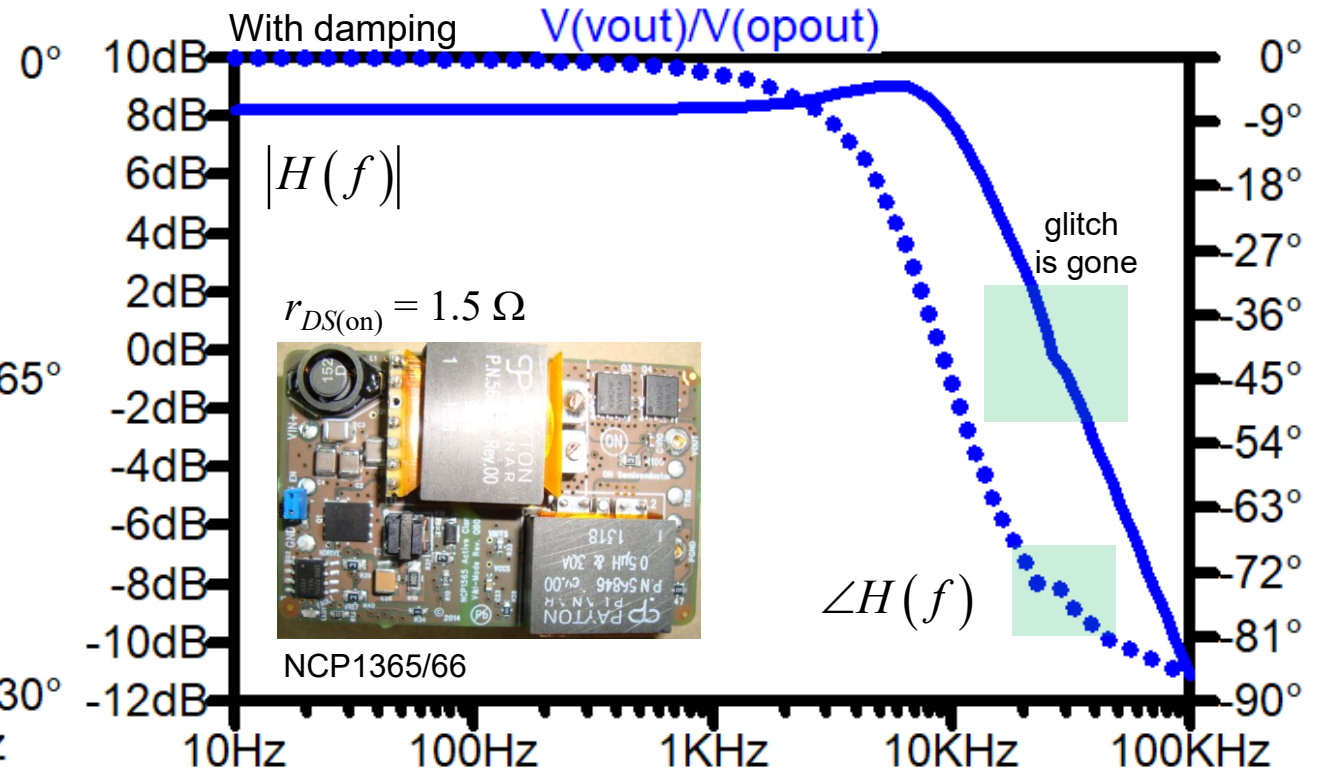
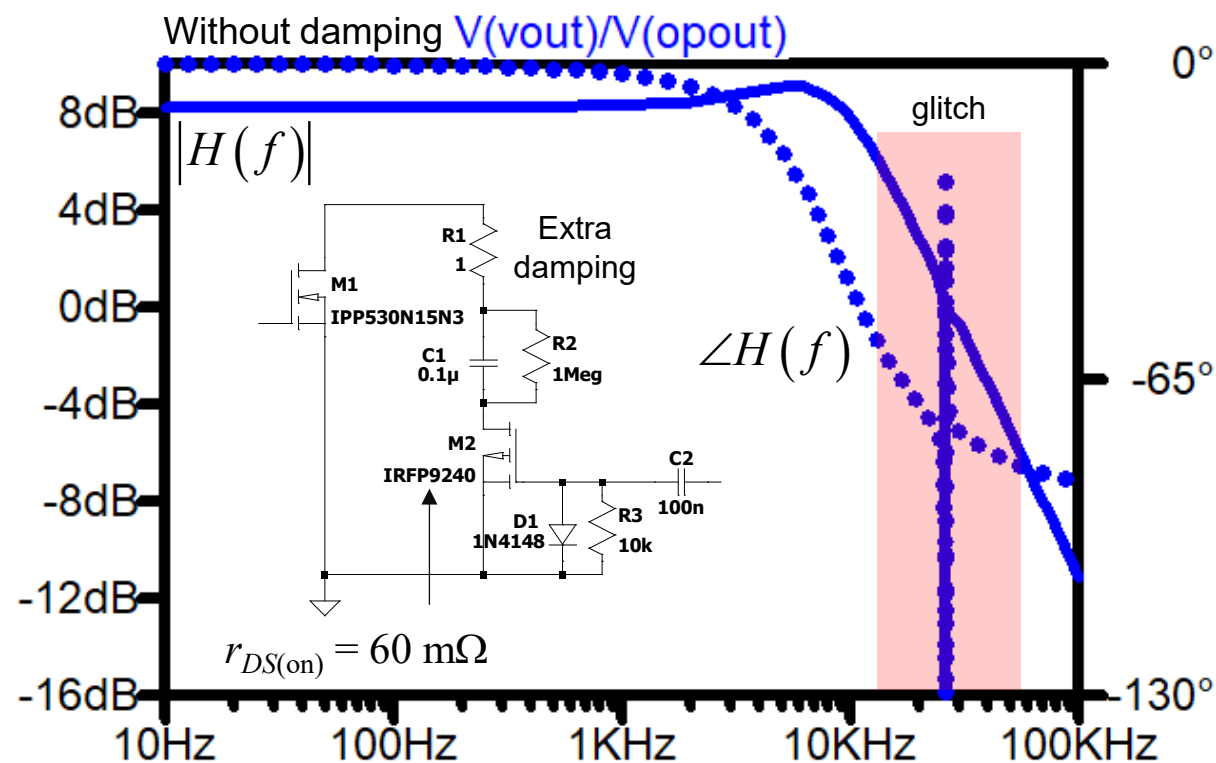
FUTURE
ELECTRONICS
A WT Microelectronics Company

- ✓ You need two PWM switch models to unveil the resonant notch.
- ✓ Damping is provided by the P-channel $r_{DS(on)}$.
- You can push crossover frequency in voltage-mode control.



The Clamping Circuit Provides Damping

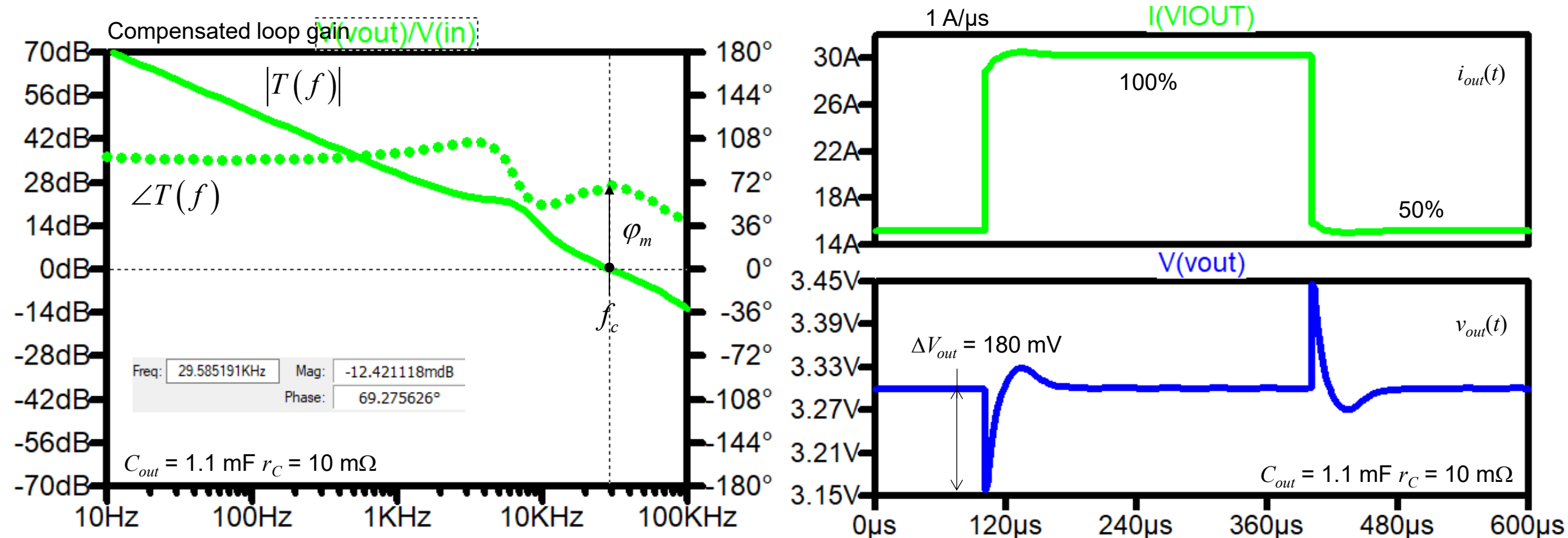
- The transistor $r_{DS(on)}$ in the active clamp circuit damps the notch
- ✓ You can extend crossover frequency beyond the notch and reduce output capacitance



- Crossover frequencies can be as high as 30 kHz once the notch is damped
- ✓ The response becomes that of classical forward converter

Transient Response of the VM ACF

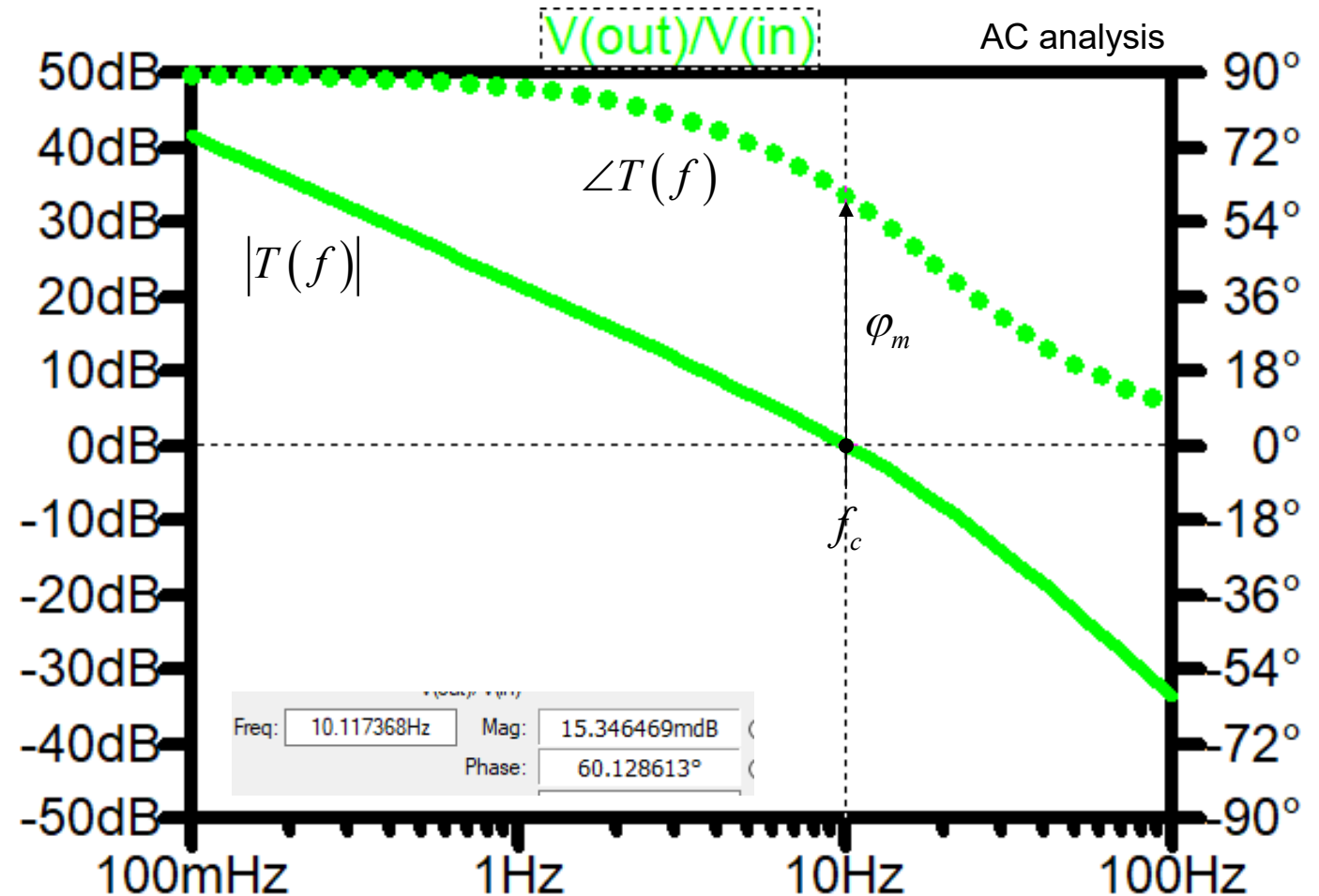
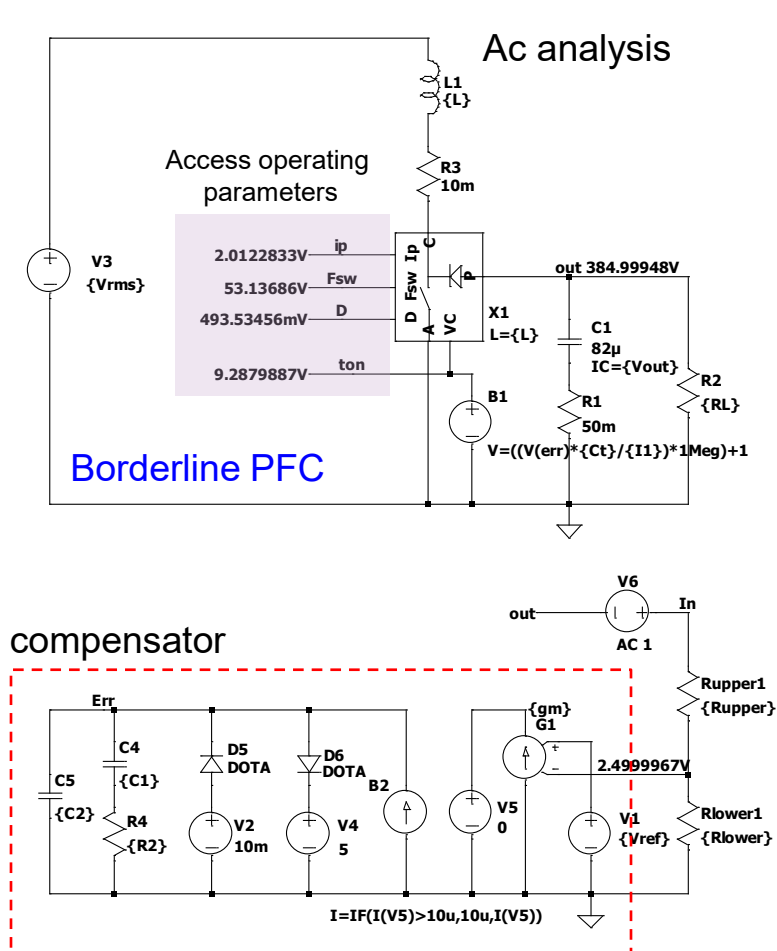
- The 30-kHz crossover frequency offers an excellent response to a 50-100% load step



- The 70° phase margin will ensure a swift recovery with minimal overshoot
- The drops is mainly incurred to the 10-mΩ equivalent series resistance

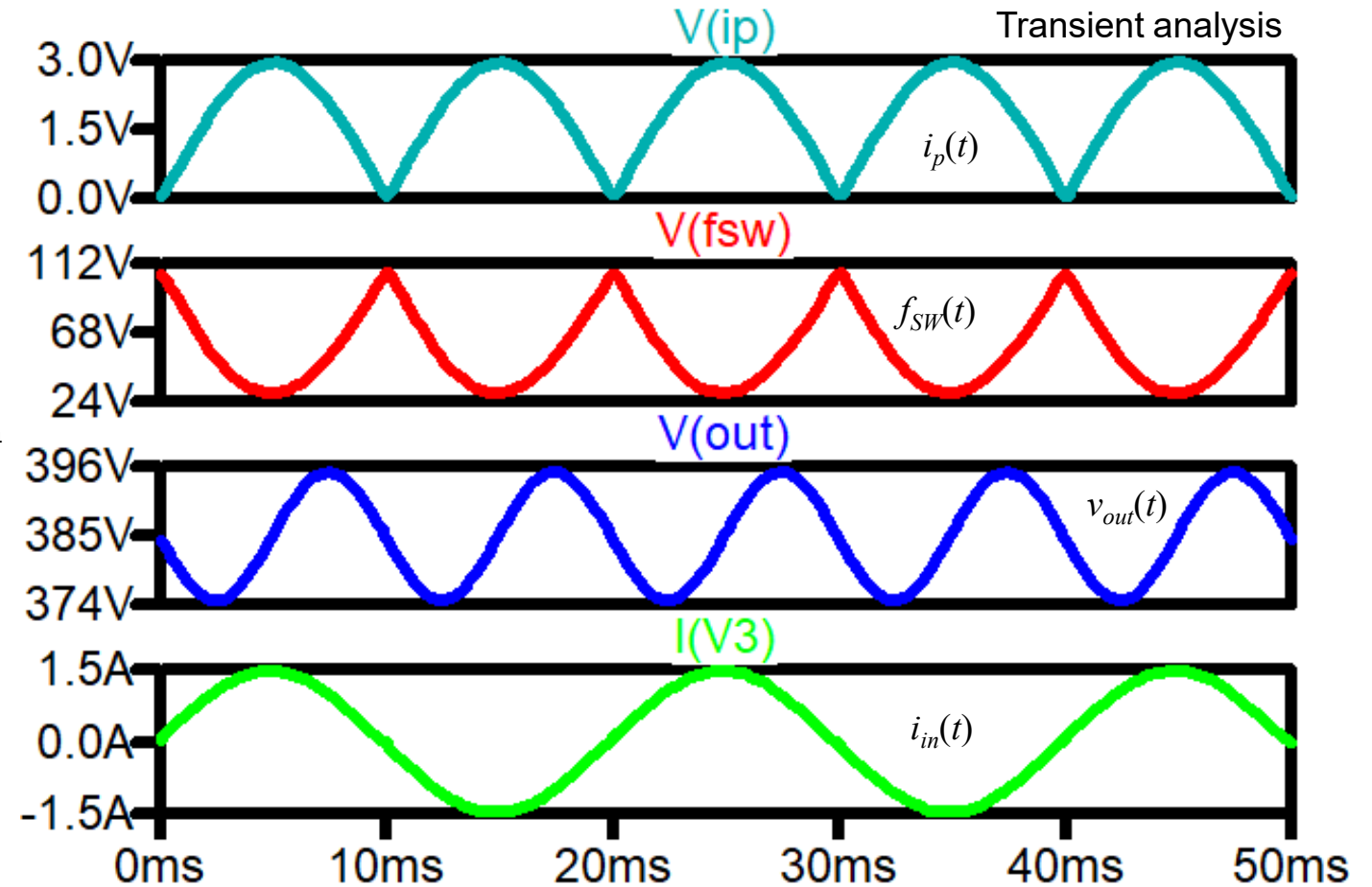
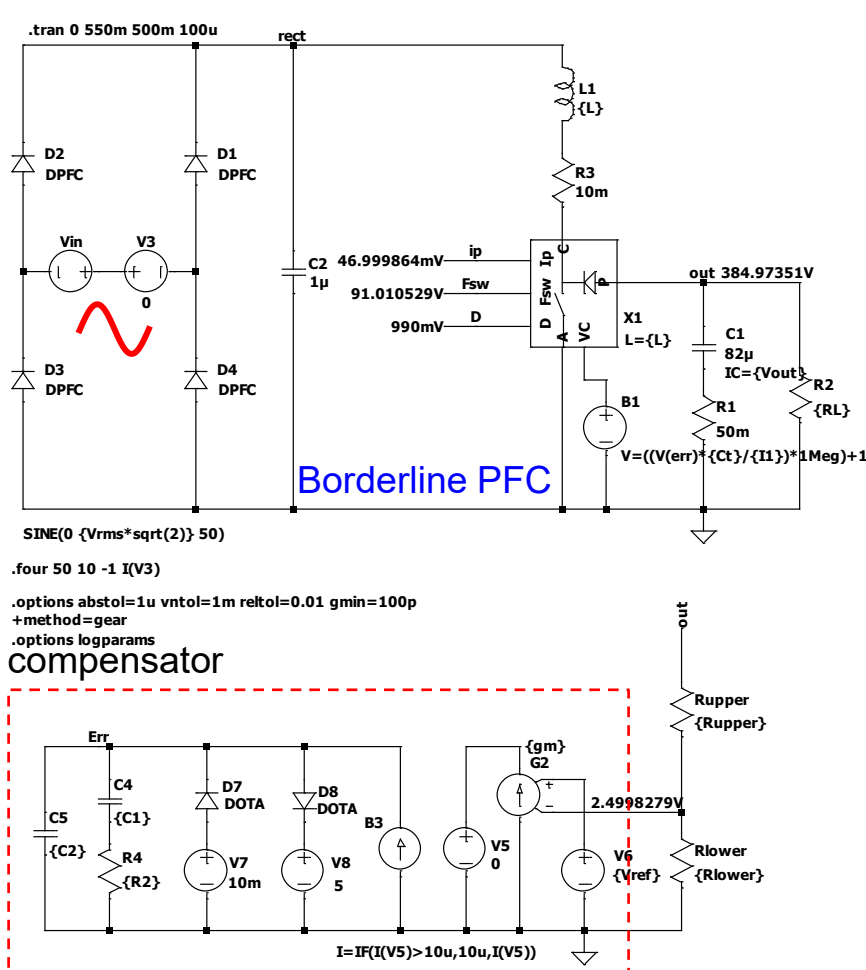
Modeling Power Factor Correction in AC

- Averaged models lend themselves well to modeling and stabilizing PFCs
- You can extract the control-to-output transfer function and confirm operating points



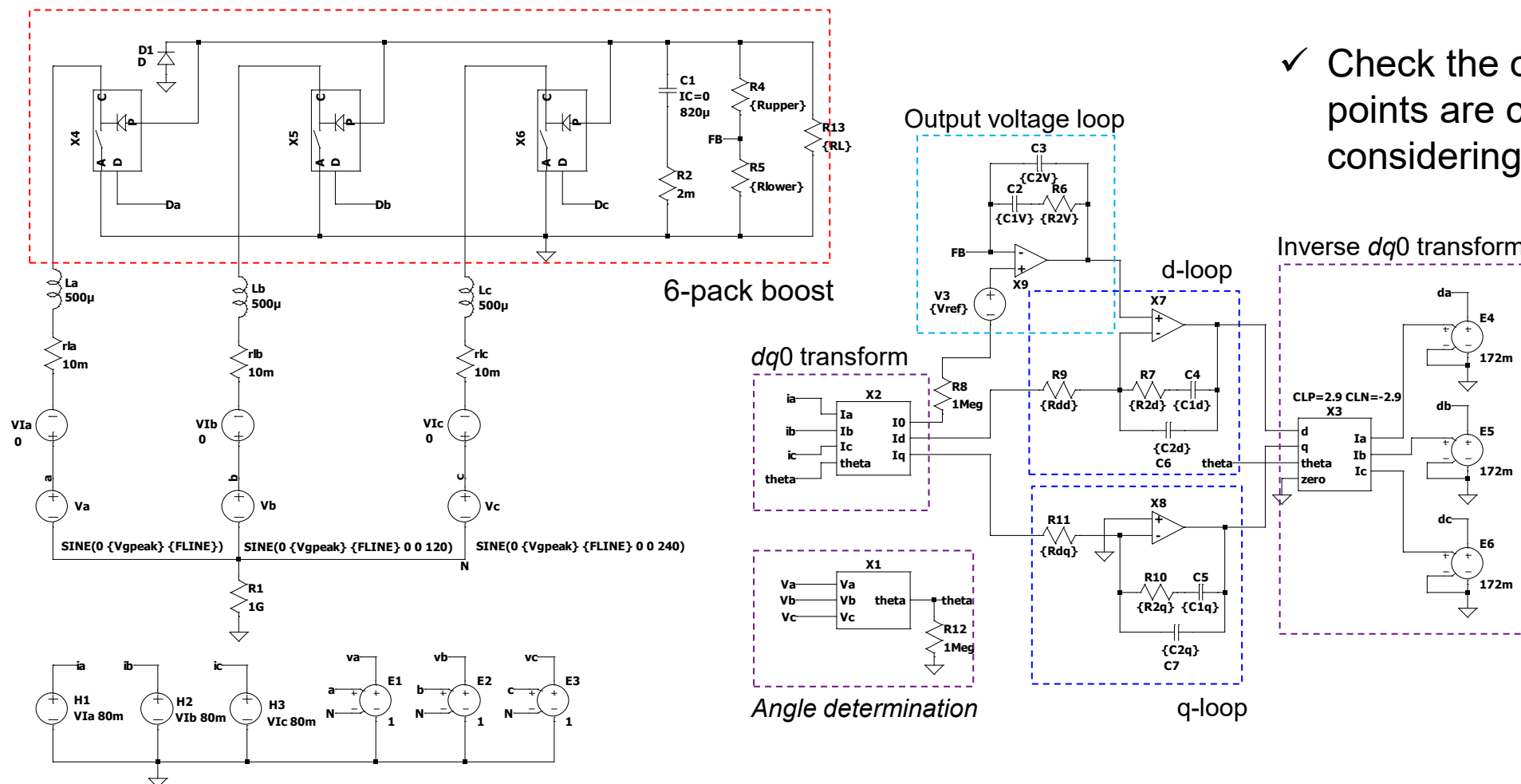
Power Factor Correction in Transient

- Bias the PFC with an ac source with a bridge rectifier and enjoy waveforms immediately
- ✓ The lack of switching component makes simulation extremely fast



Modeling Three-Phase PFCs – AC Plots

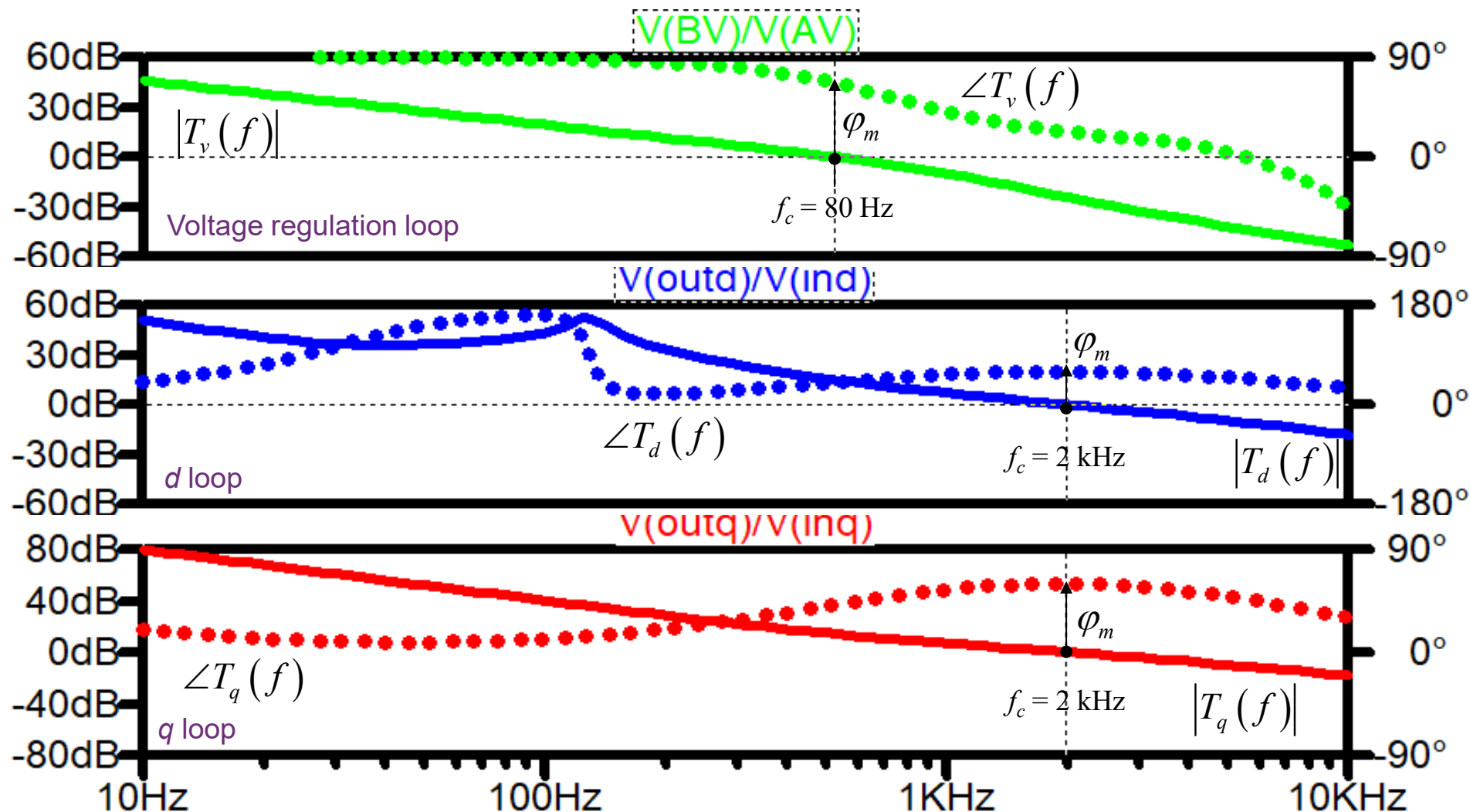
- Averaged models are very well suited to describe a 6-pack 3-phase PFC
- They can be used to extract the transfer functions in a $dq0$ type of control



✓ Check the operating points are correct before considering ac results!

Compensate the Three Loops Easily

- The three compensated ac responses are obtained in a few seconds of simulation time



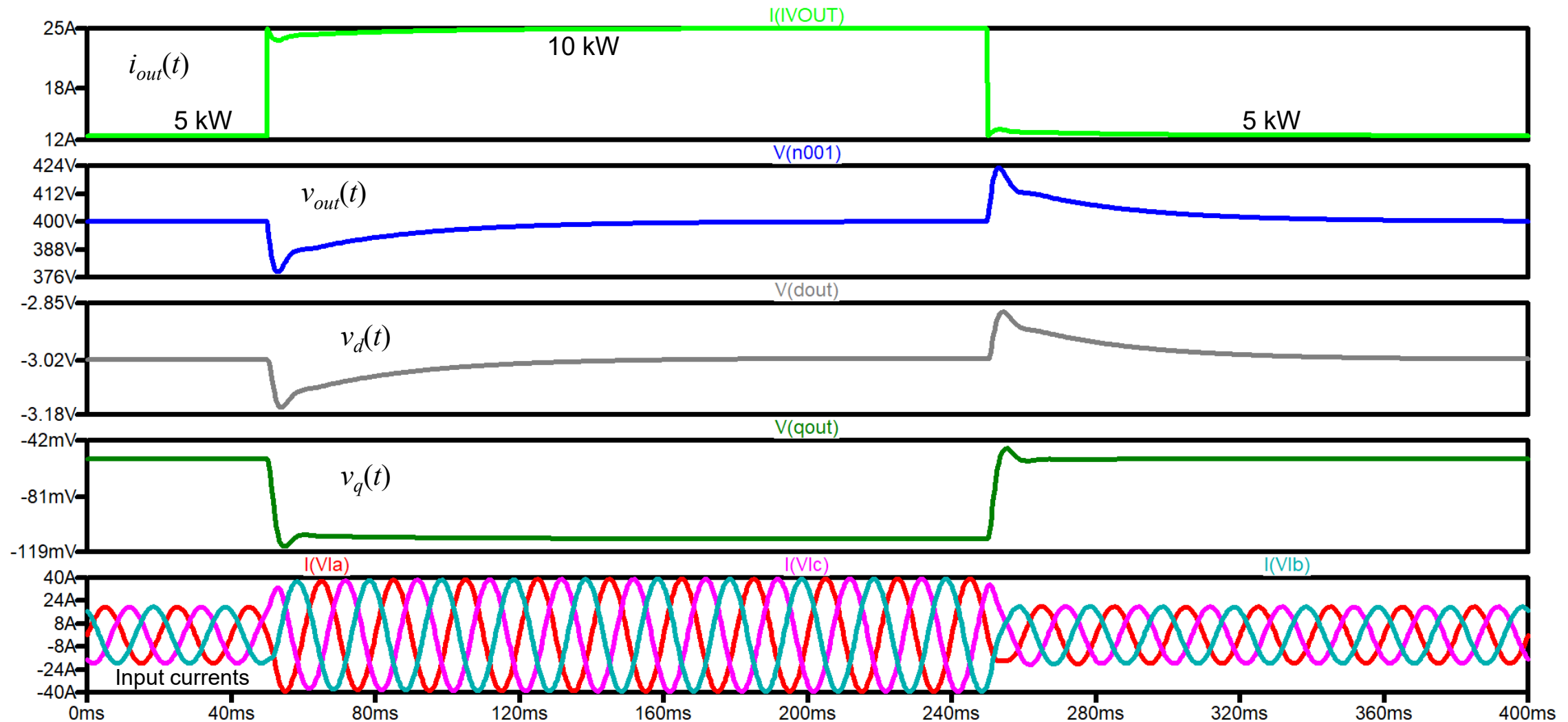
✓ One loop is active for the ac sweep while the two other ones are silent.

✓ The voltage loop crossover can be as high as 100 Hz in a 3-phase PFC.

✓ The d and q loops are stabilized for a 2-kHz crossover frequency.

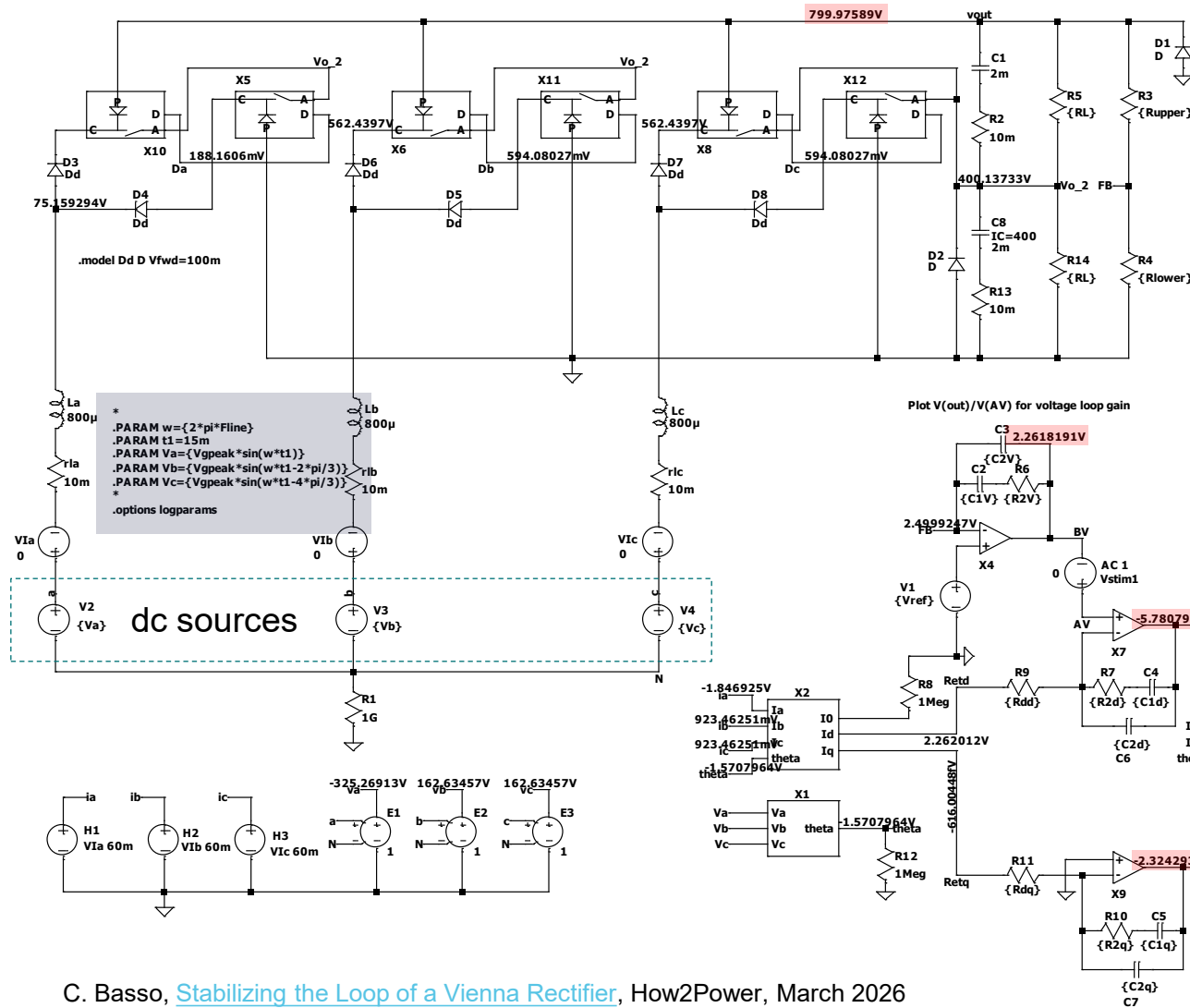
Sinusoidal Input Currents

- This is the power of averaged models, particularly for PFC studies: results in 5 s!



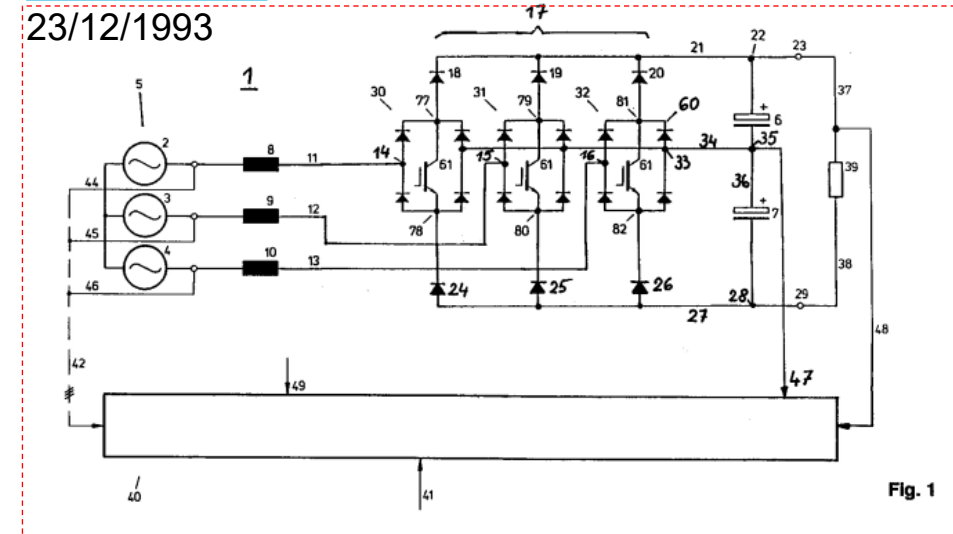
AC Model of a Vienna Rectifier

- It is possible to model a Vienna rectifier by resorting to six PWM switch models



EP0660498A2

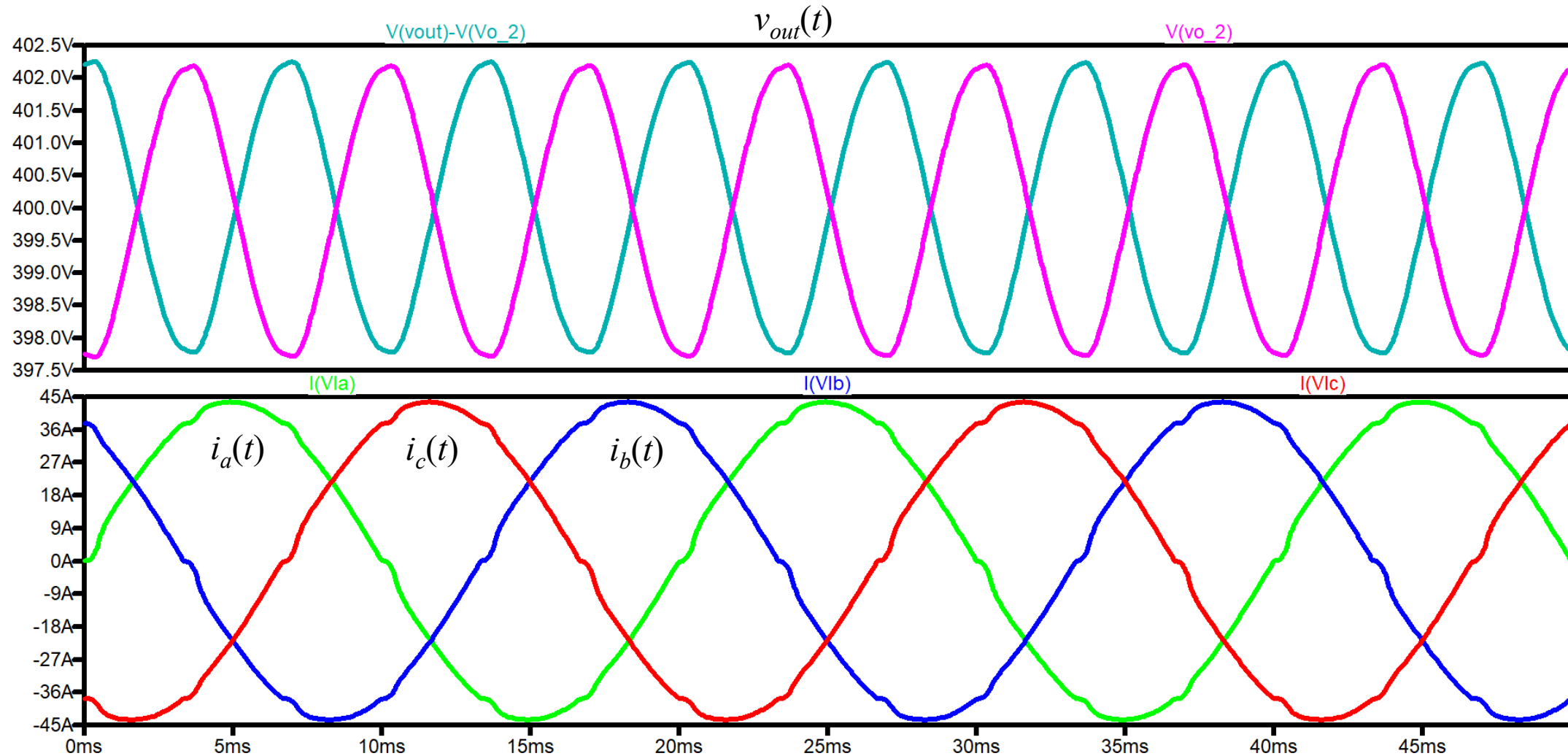
23/12/1993



- ✓ Six PWM switch models are necessary but only 3 are active at the same time, depending on the line polarities.

The Vienna is a Three-Level Converter

- The two output voltages are well balanced and the input currents THD is below 2%

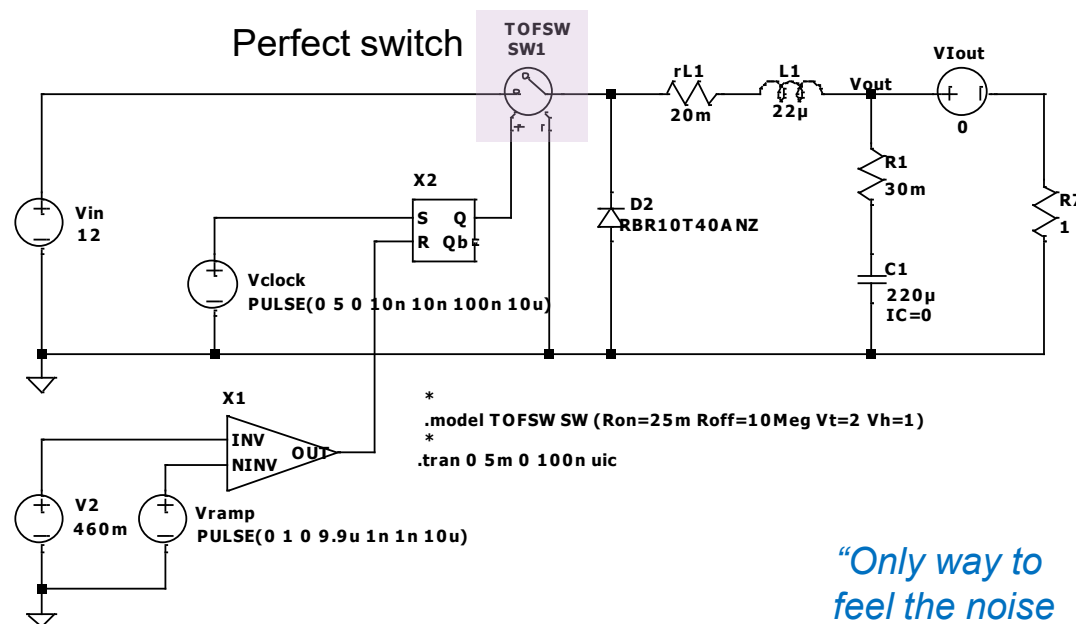


Agenda

- Why Simulating?
- Different Simulation Engines
- Averaged Models
- Cycle-by-Cycle Models
- Simulation Examples of Converters

Assembling simple Circuits First

- The goal is to first test the component values you have determined
- ✓ Is my inductance well sized, what is the ripple current, is the capacitor stress ok?

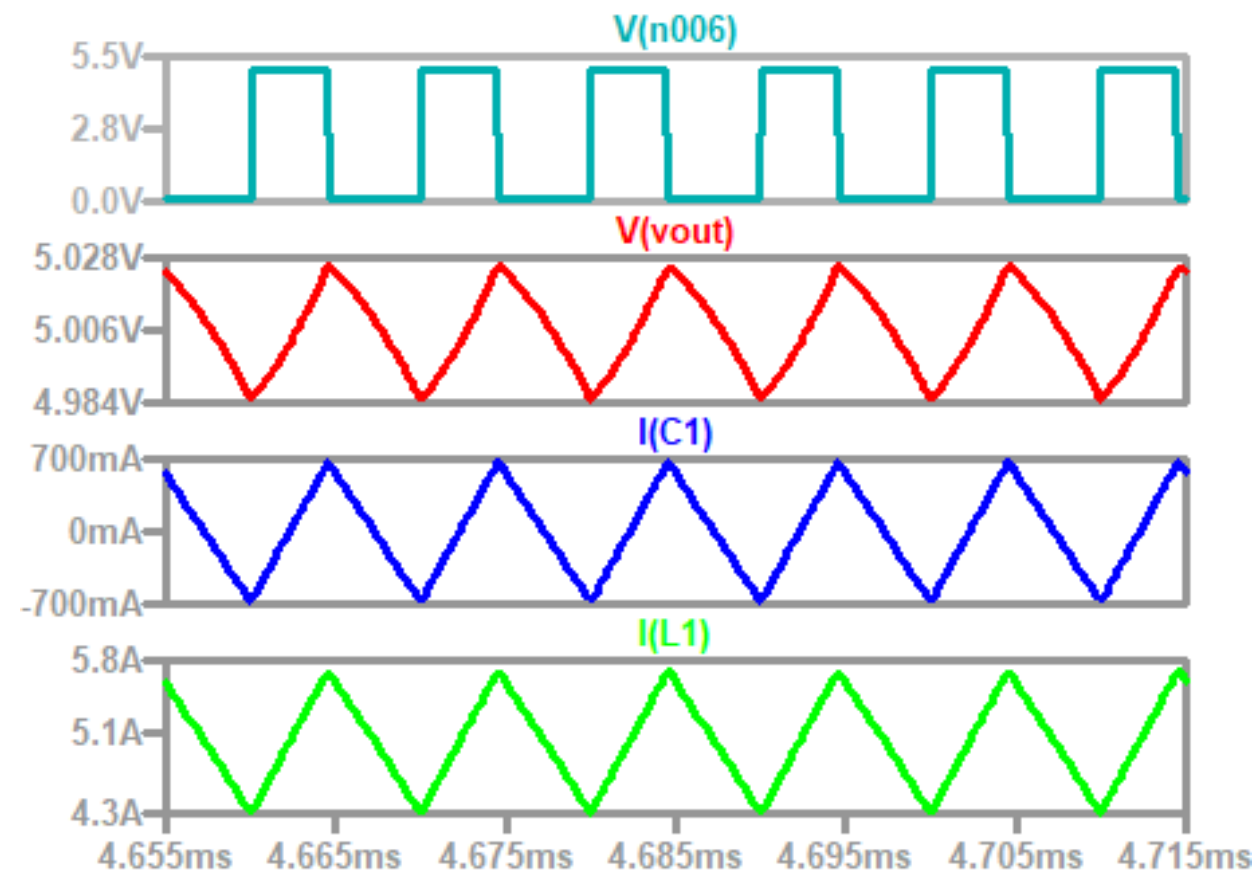


- You don't need the *bells and whistles* of a complex controller model at first!

*"Only way to
feel the noise*

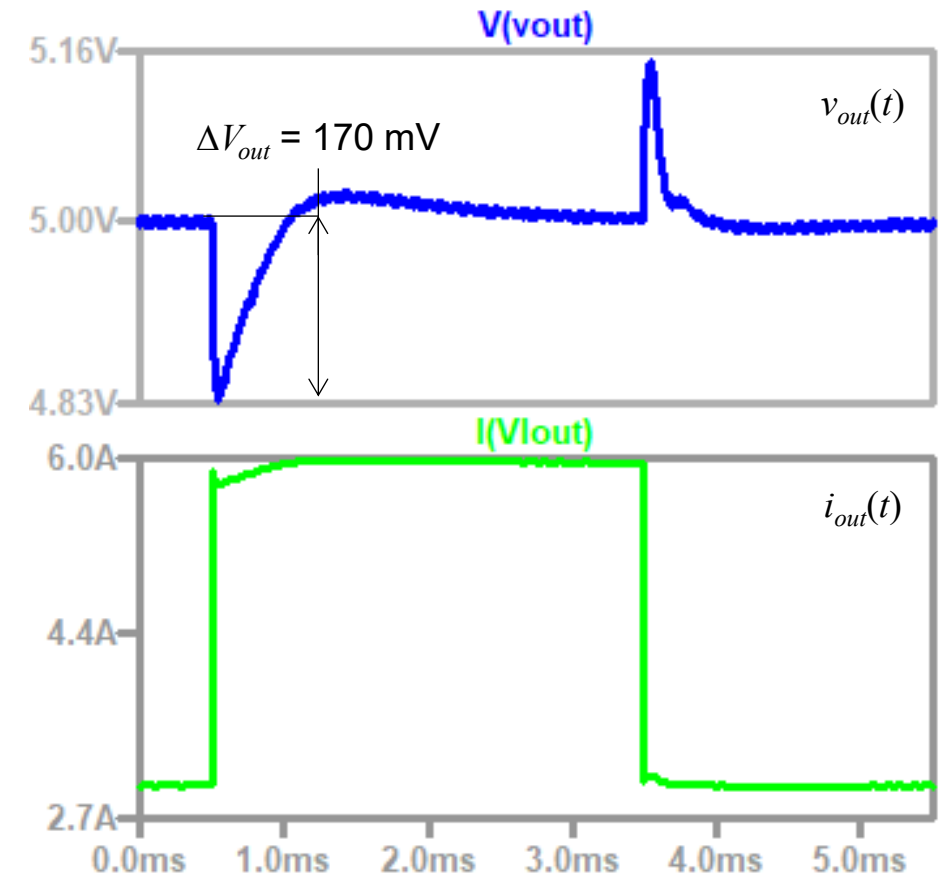
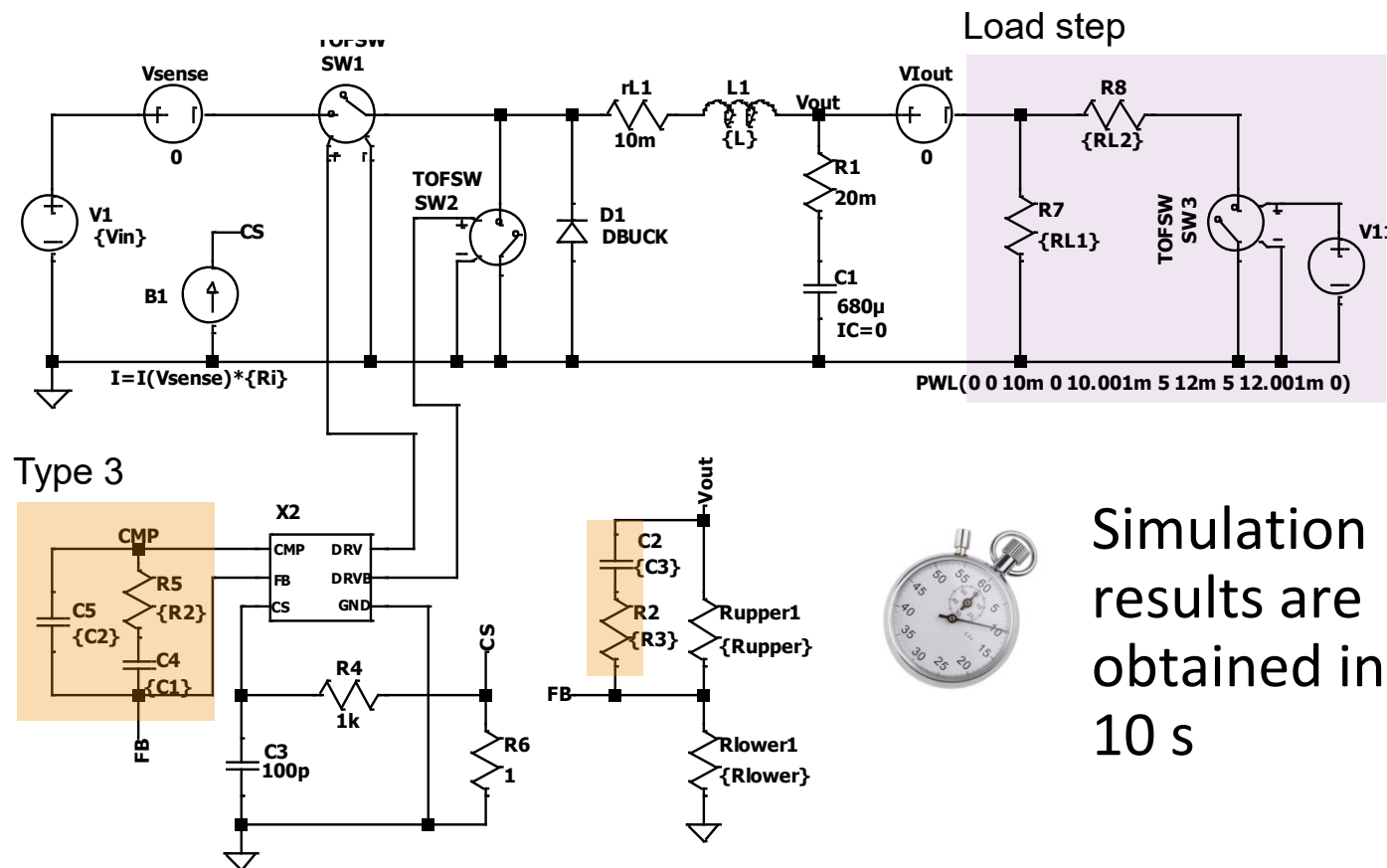


*It's when it's
good and loud"*



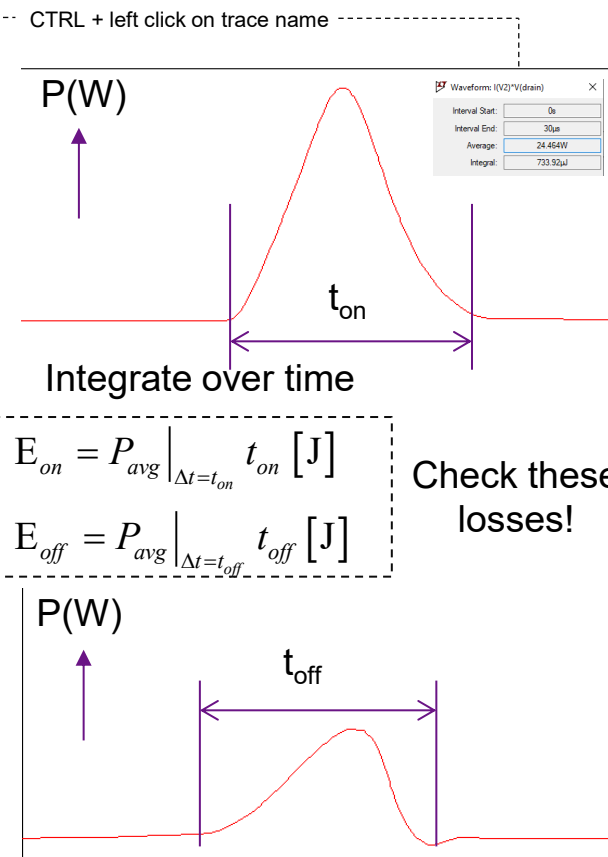
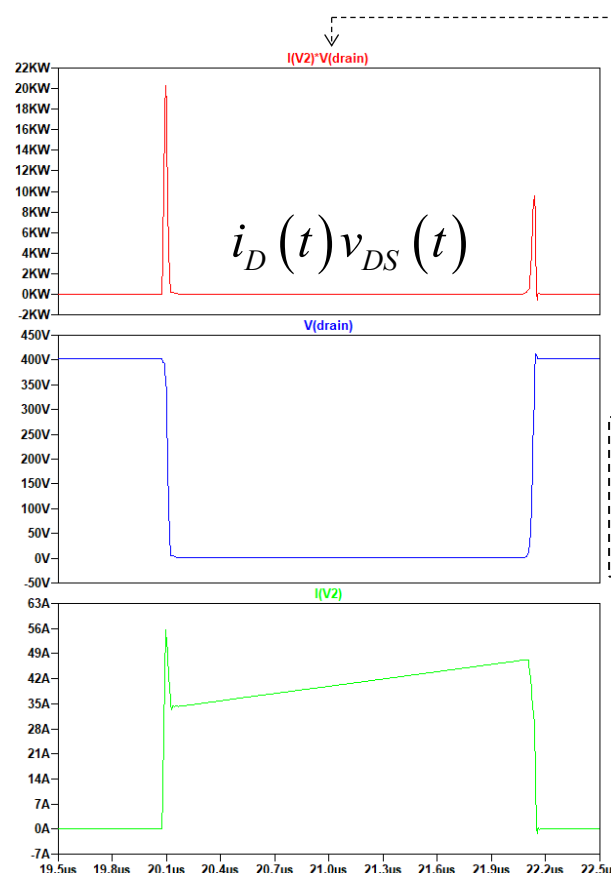
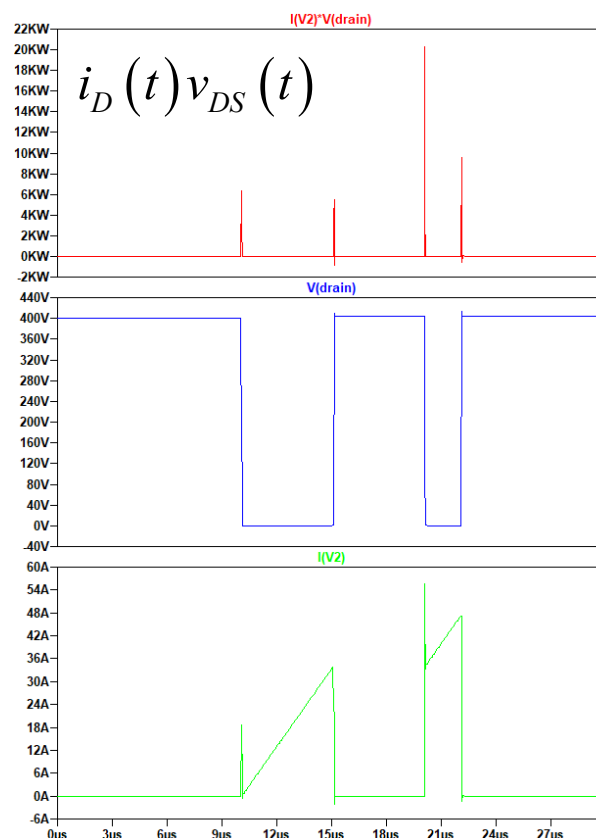
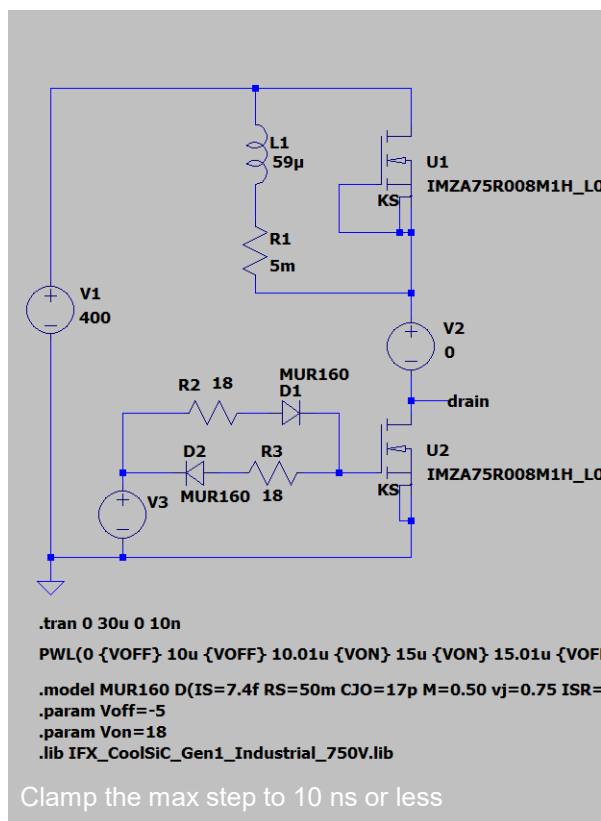
Using a Generic Model for fast Simulations

- Once the circuit is operational in its most basic concept, increase complexity
- A generic model simulates fast and lets you test if your compensation strategy works



Make sure your Models are Reliable

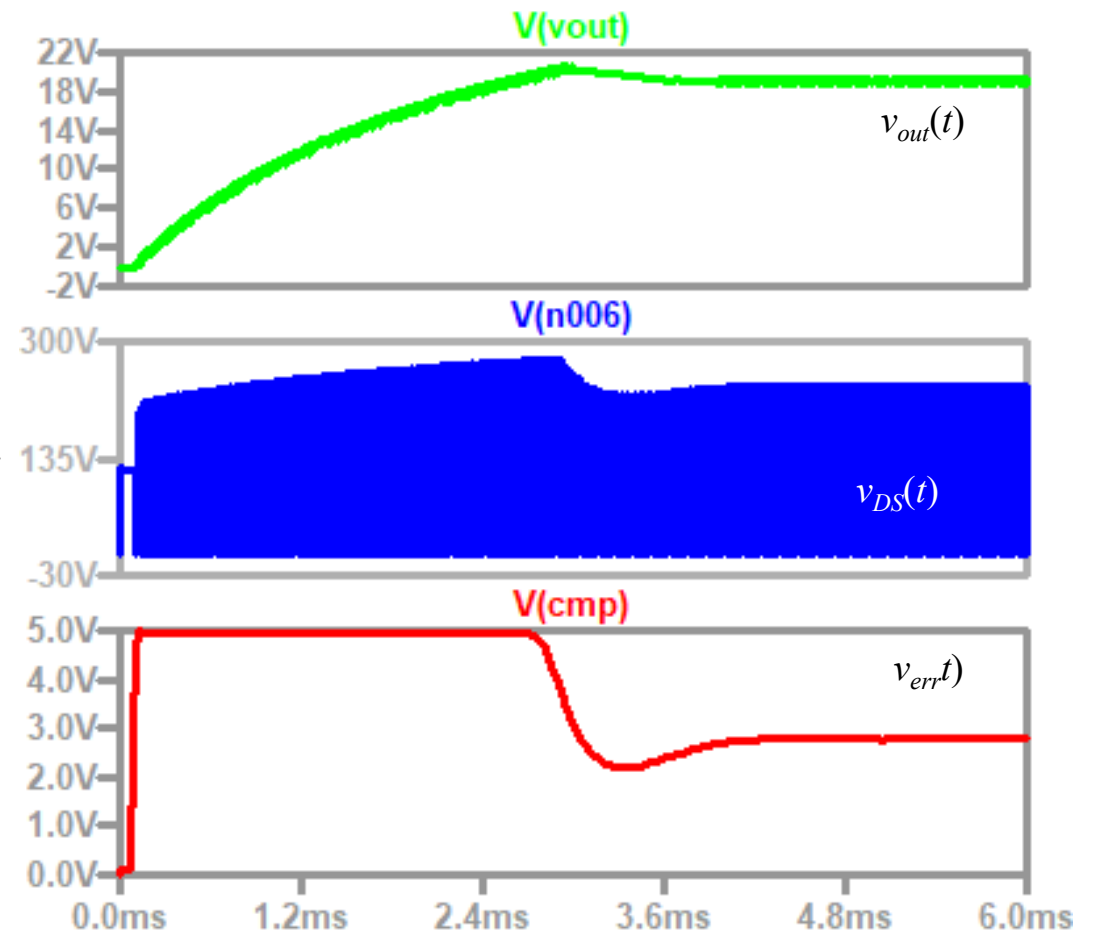
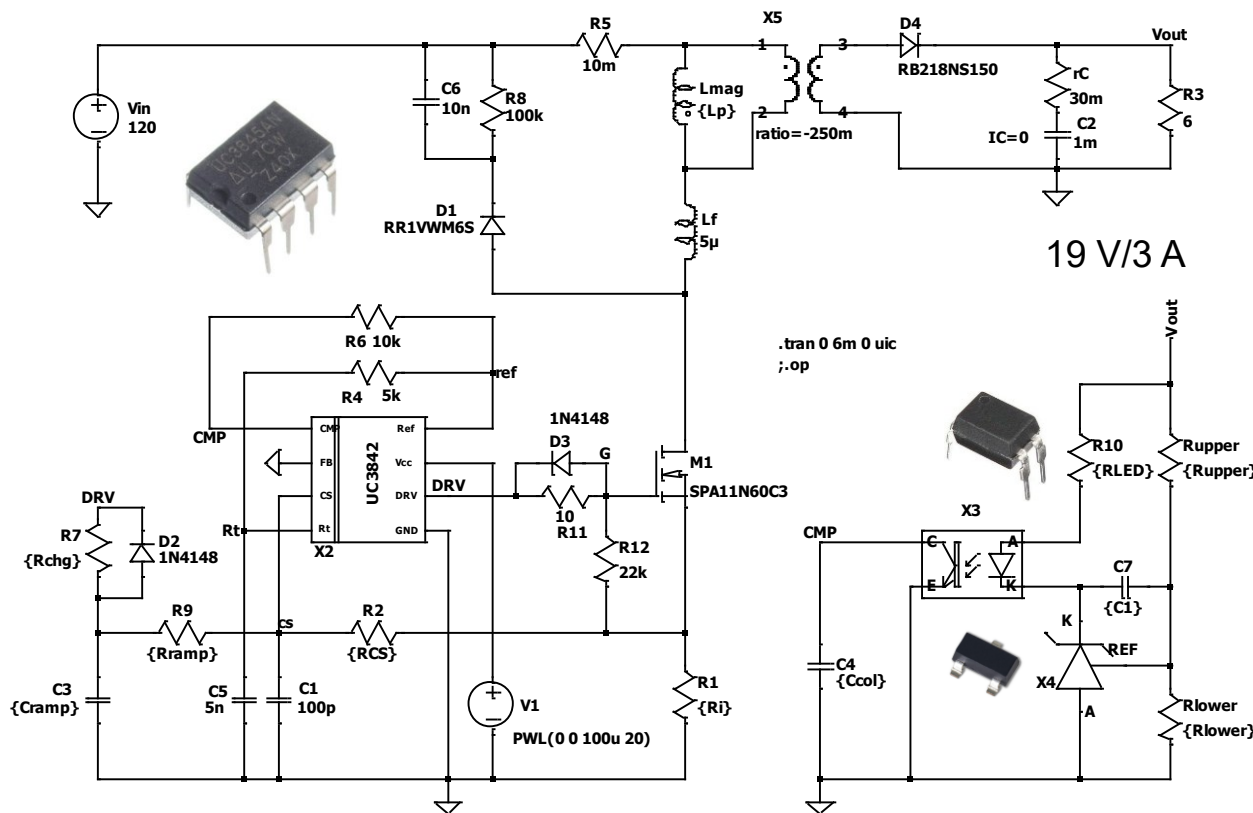
- An accurate model is necessary otherwise: garbage-in garbage out (GIGO)
- ✓ Implement a double-pulse test with the data-sheet conditions and check losses



PWL(0 {VOFF} 10u {VOFF} 10.01u {VON} 15u {VON} 15.01u {VOFF} 20u {VOFF} 20.01u {VON} 22u {VON} 22.01u {VOFF})

The Complete Cycle-by-Cycle Circuit

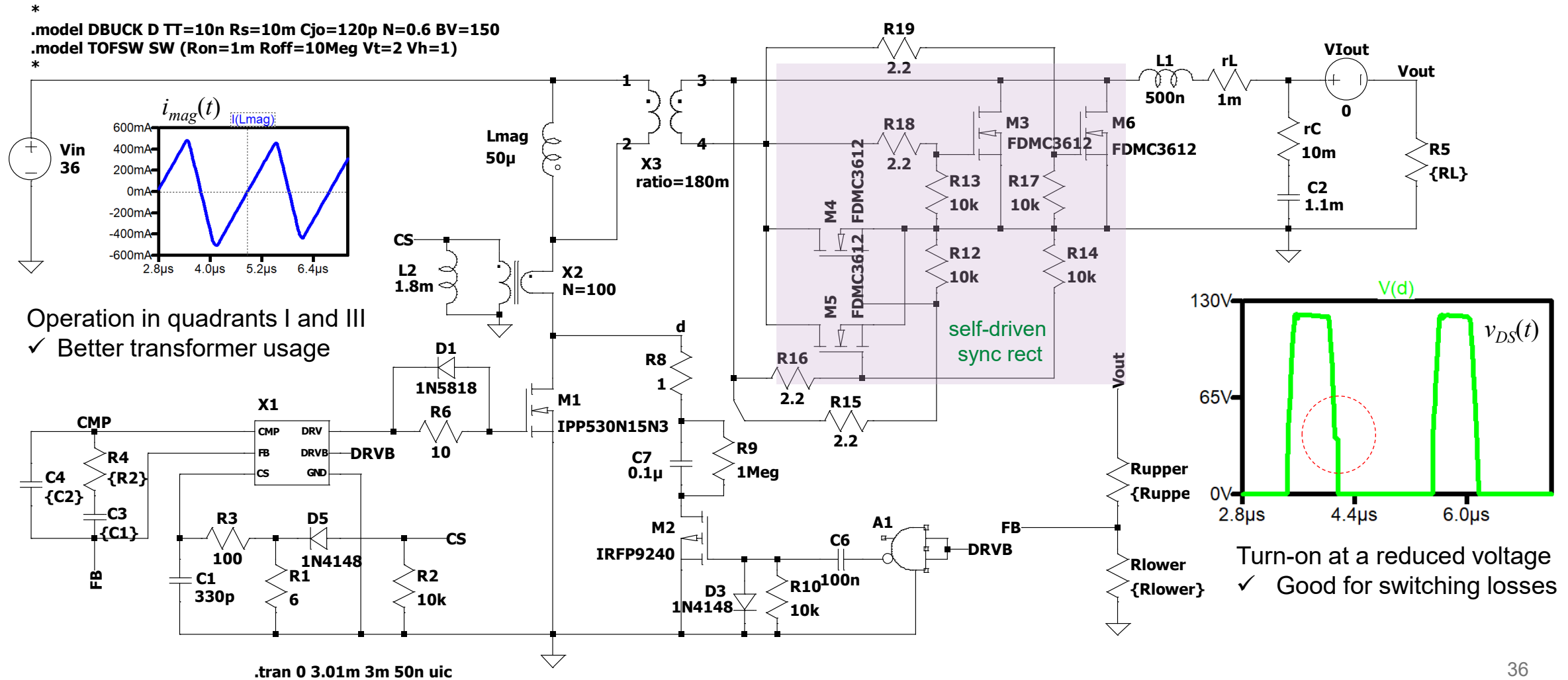
- Your component values are now validated and deliver the right results
- ✓ It's time to run the complete circuit with semiconductor models



- Always carefully draw your circuit
- ✓ A well-drawn schematic is easier to read!

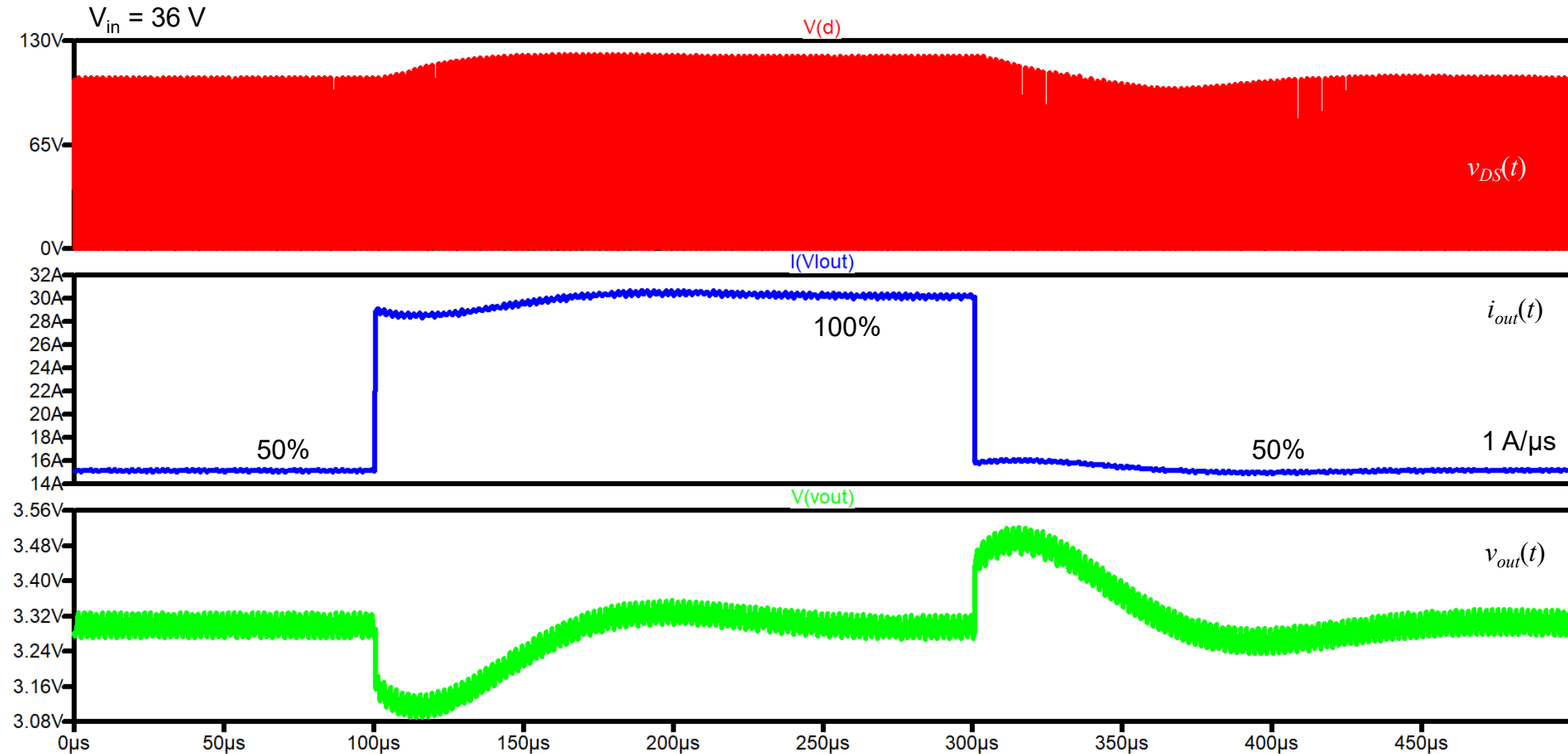
An Active-Clamp Forward in Current-Mode

- The dedicated CM averaged model is used to stabilize the loop
- ✓ The extra high-frequency pole severely limits crossover in this case



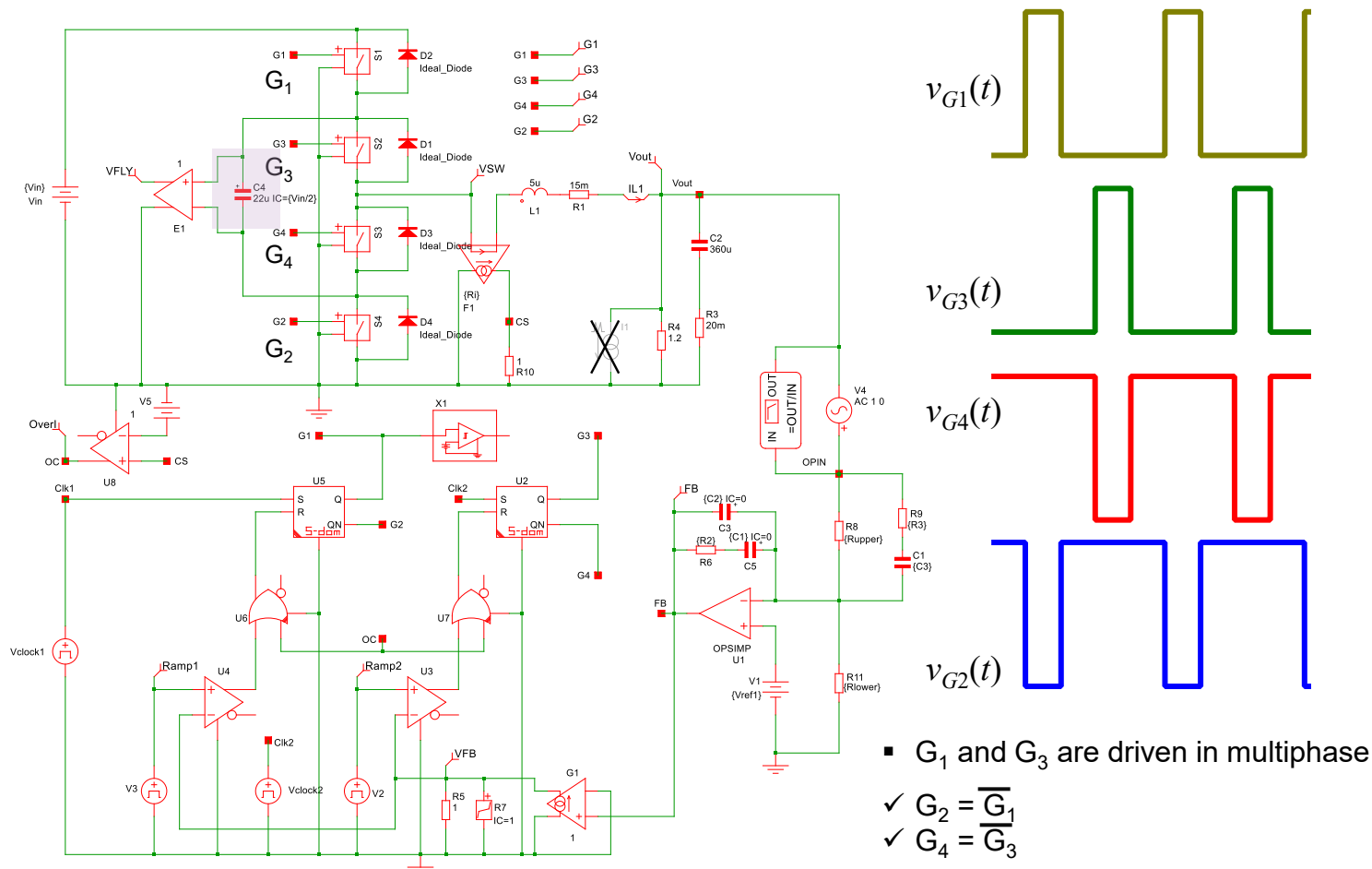
Transient Response of the CM ACF

- A high crossover frequency ensures an excellent response to a 15-A step



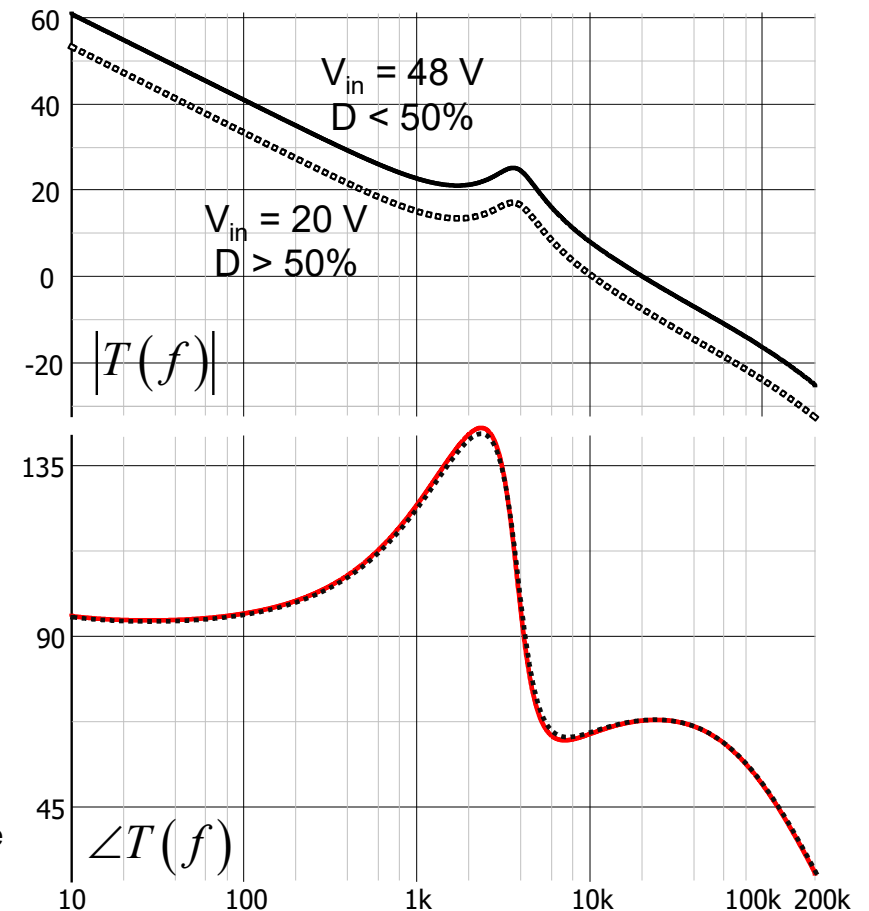
Three-Level Buck Converter – AC Response

- A three-level structure helps reducing the voltage stress across power switches
- ✓ SIMPLIS can deliver the control-to-output transfer function in a few seconds



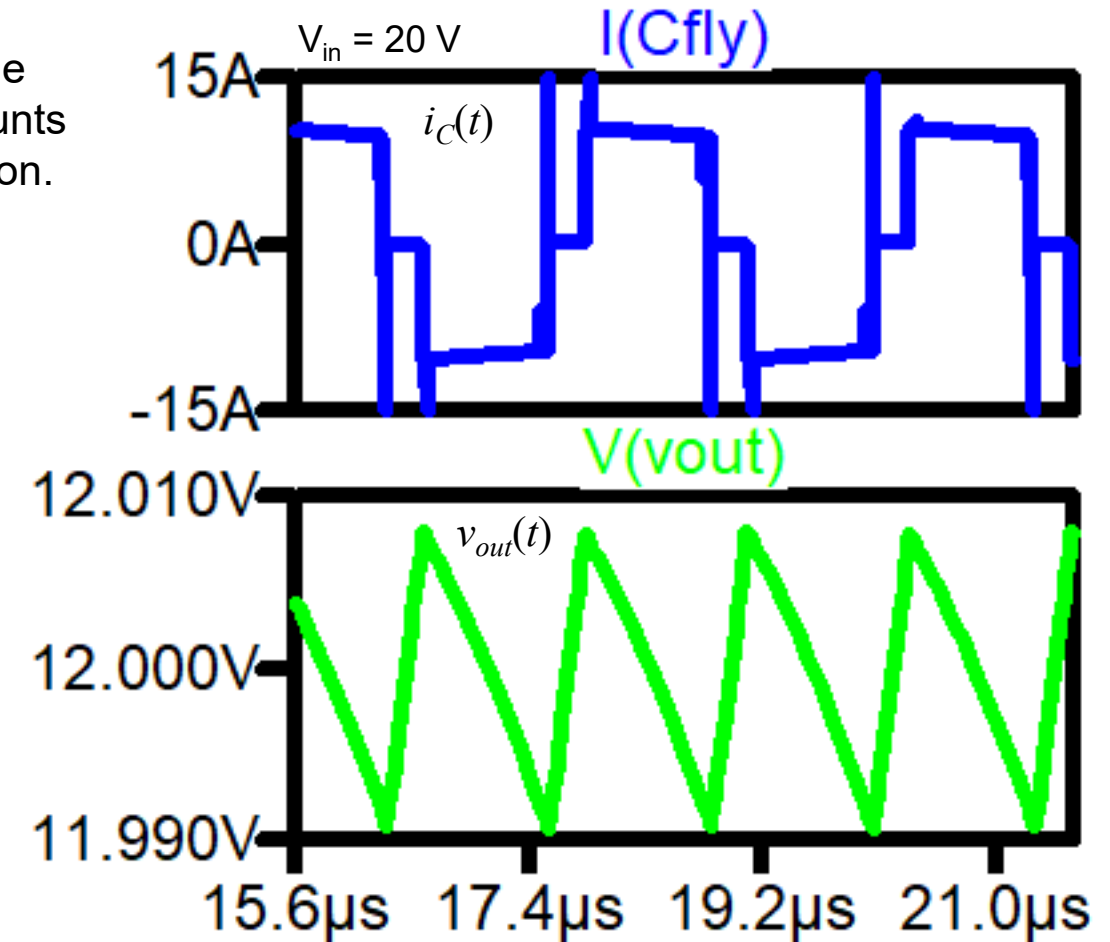
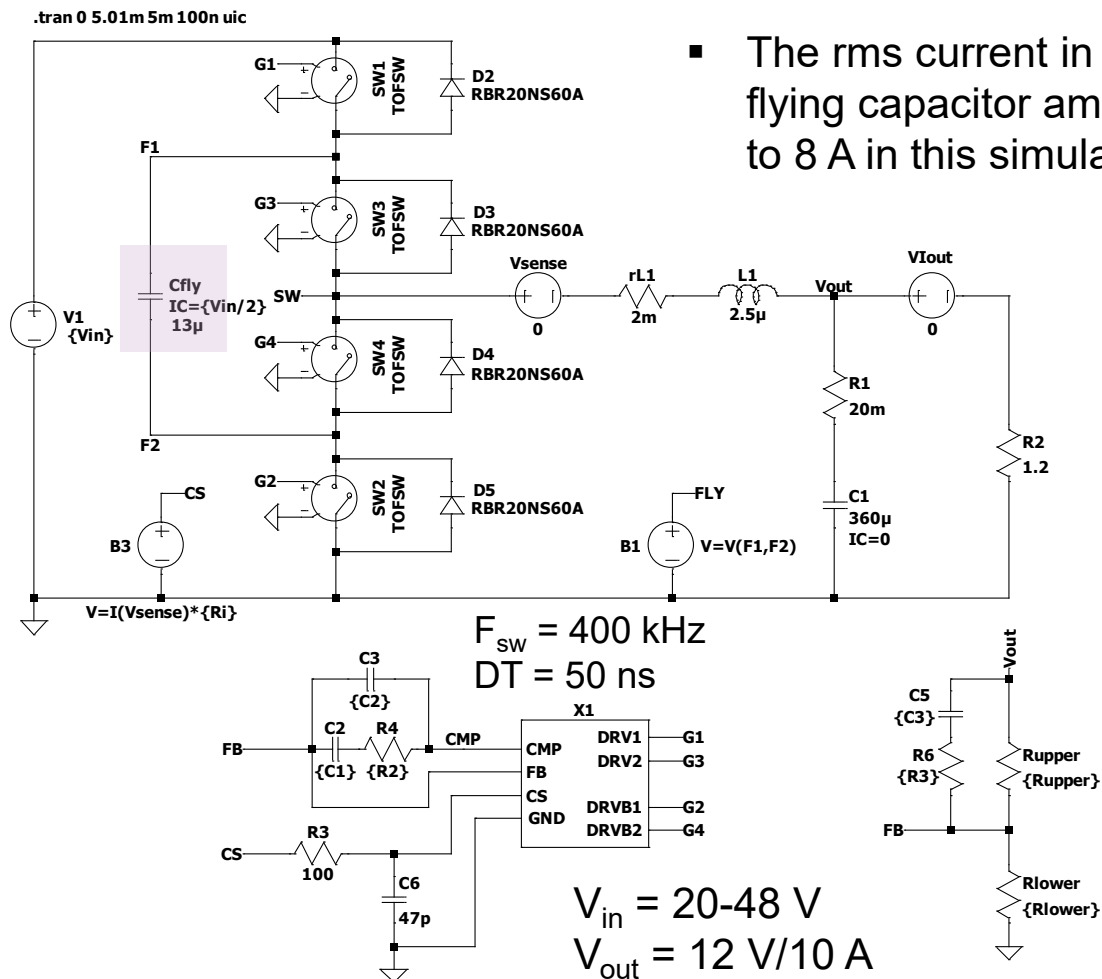
■ G_1 and G_3 are driven in multiphase

✓ $G_2 = \overline{G_1}$
✓ $G_4 = \overline{G_3}$



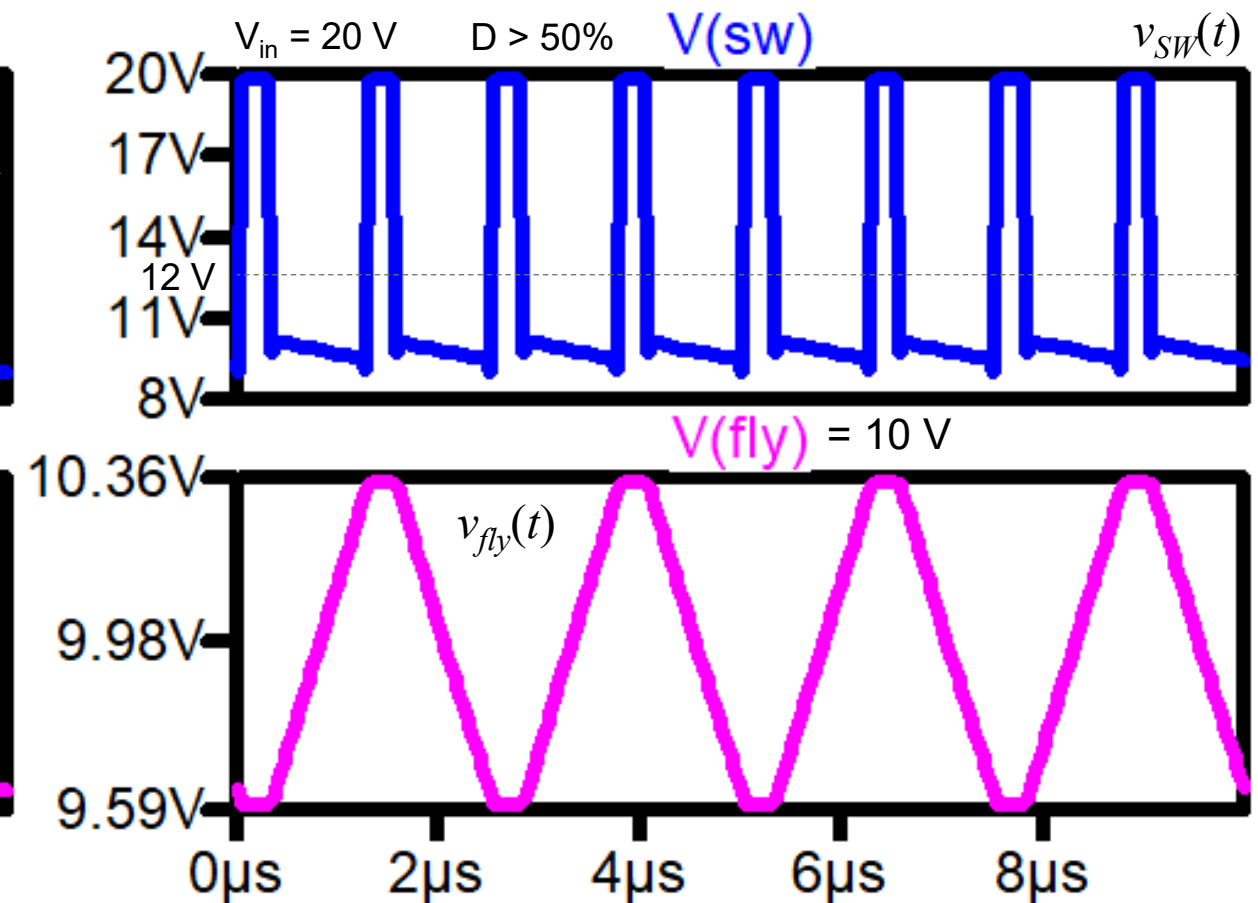
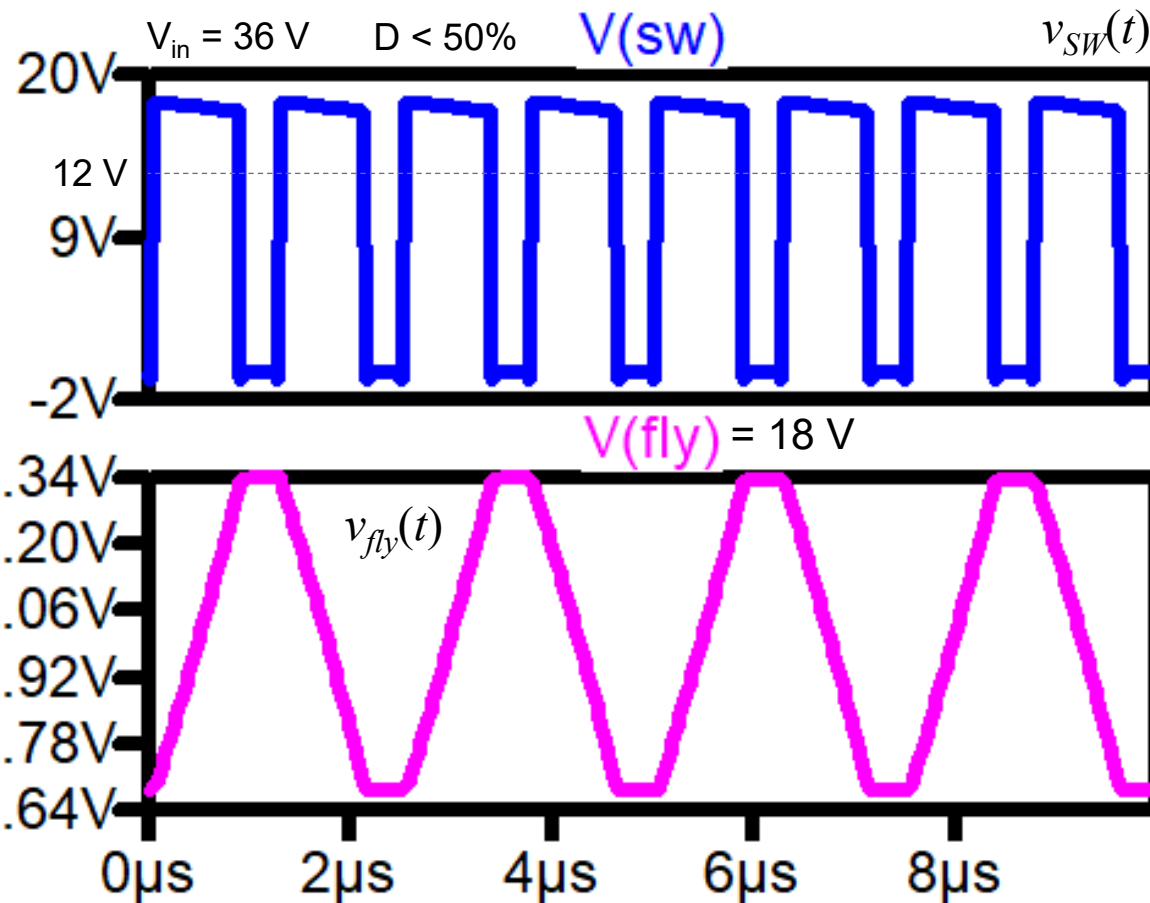
Simulating a Buck with a Flying Capacitor

- A modified multiphase buck controller can be used to control the converter
- ✓ LTspice shows the voltage at the main switching node for the two duty ratios



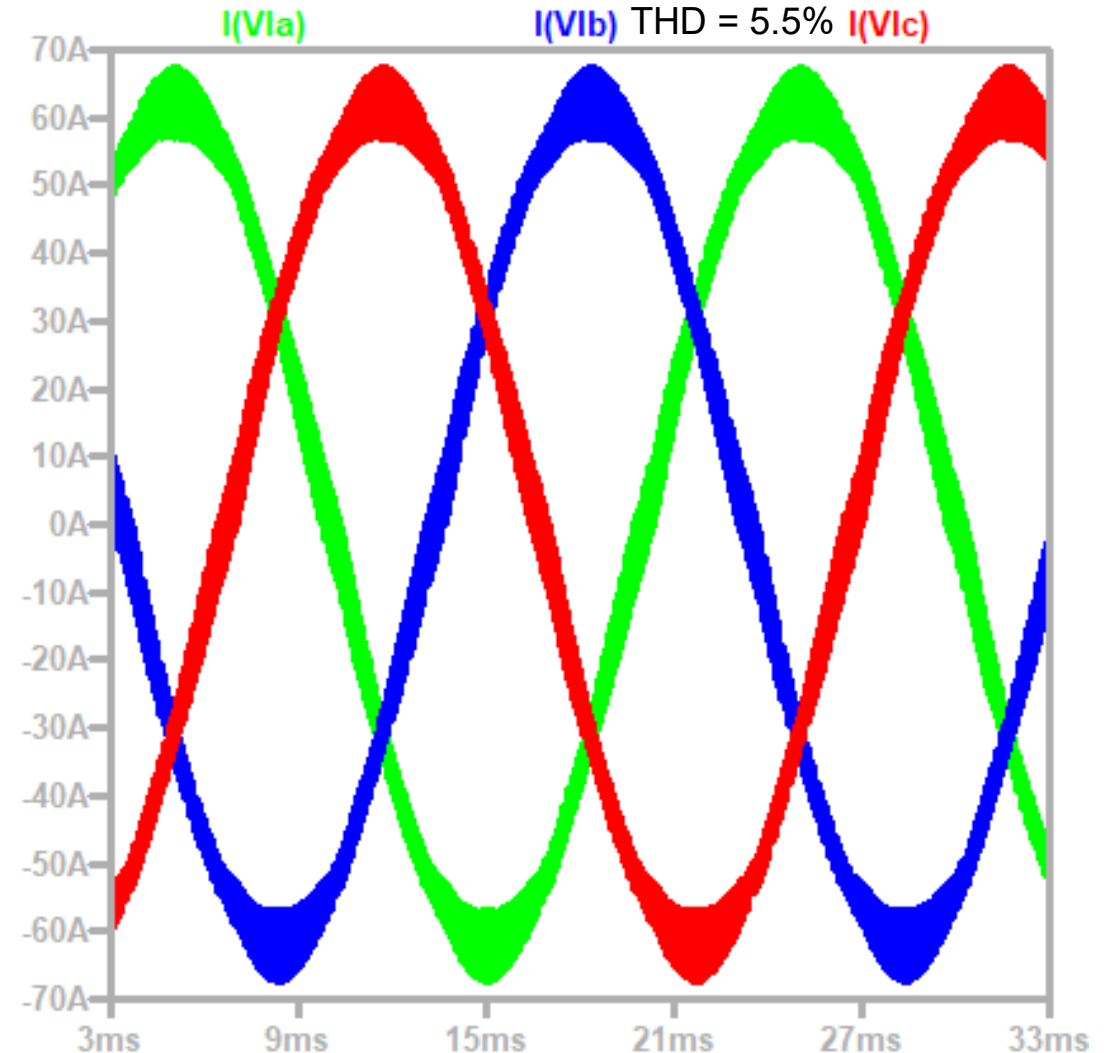
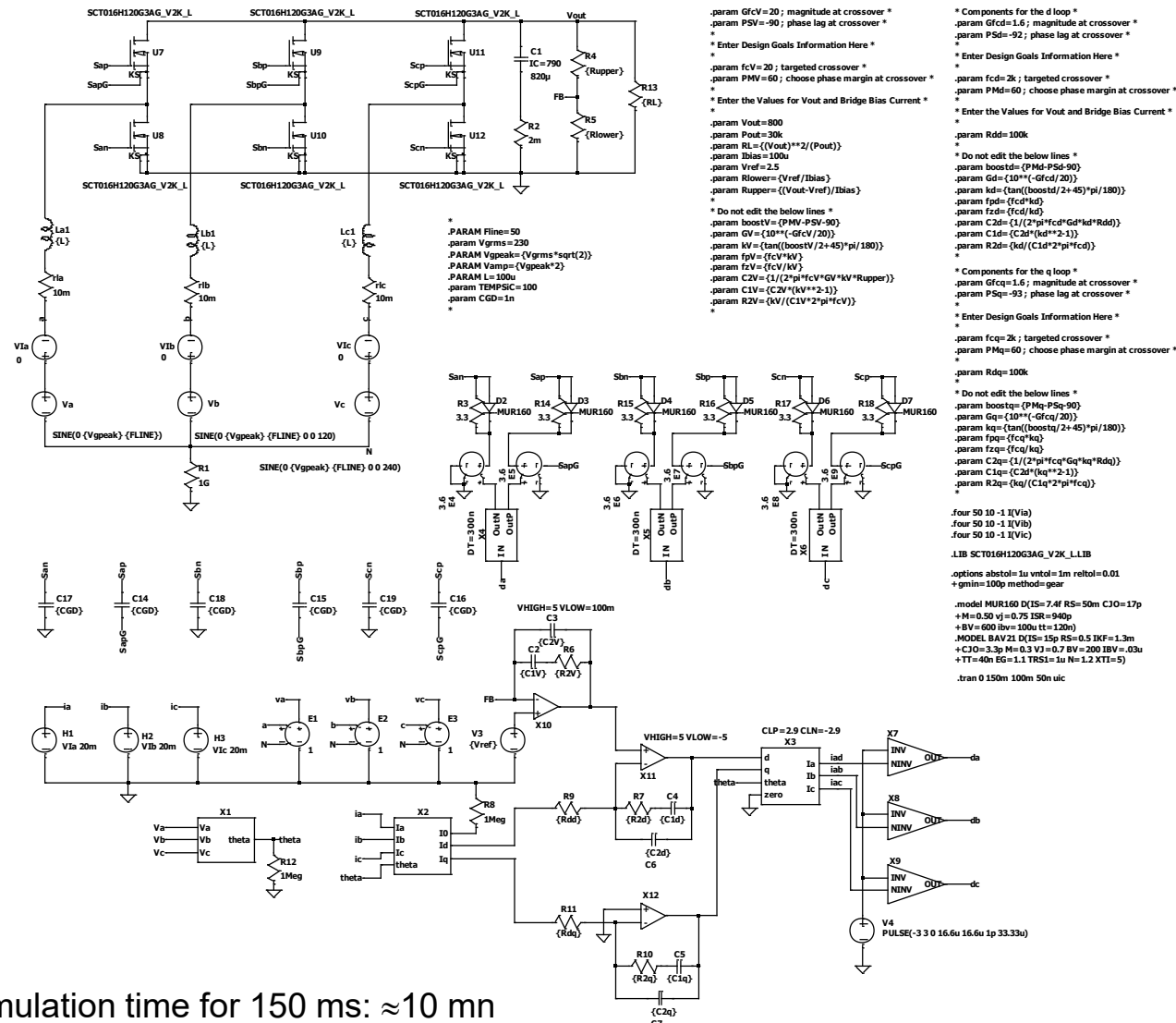
Reduced Voltages across Switches

- The voltage at the power switching node depends on the duty ratio
- ✓ It swings between 0 and $\frac{1}{2}V_{in}$ for $D < 50\%$ or $\frac{1}{2}V_{in}$ and V_{in} $D > 50\%$



6-Pack 3-Phase PFC with SiC MOSFETs

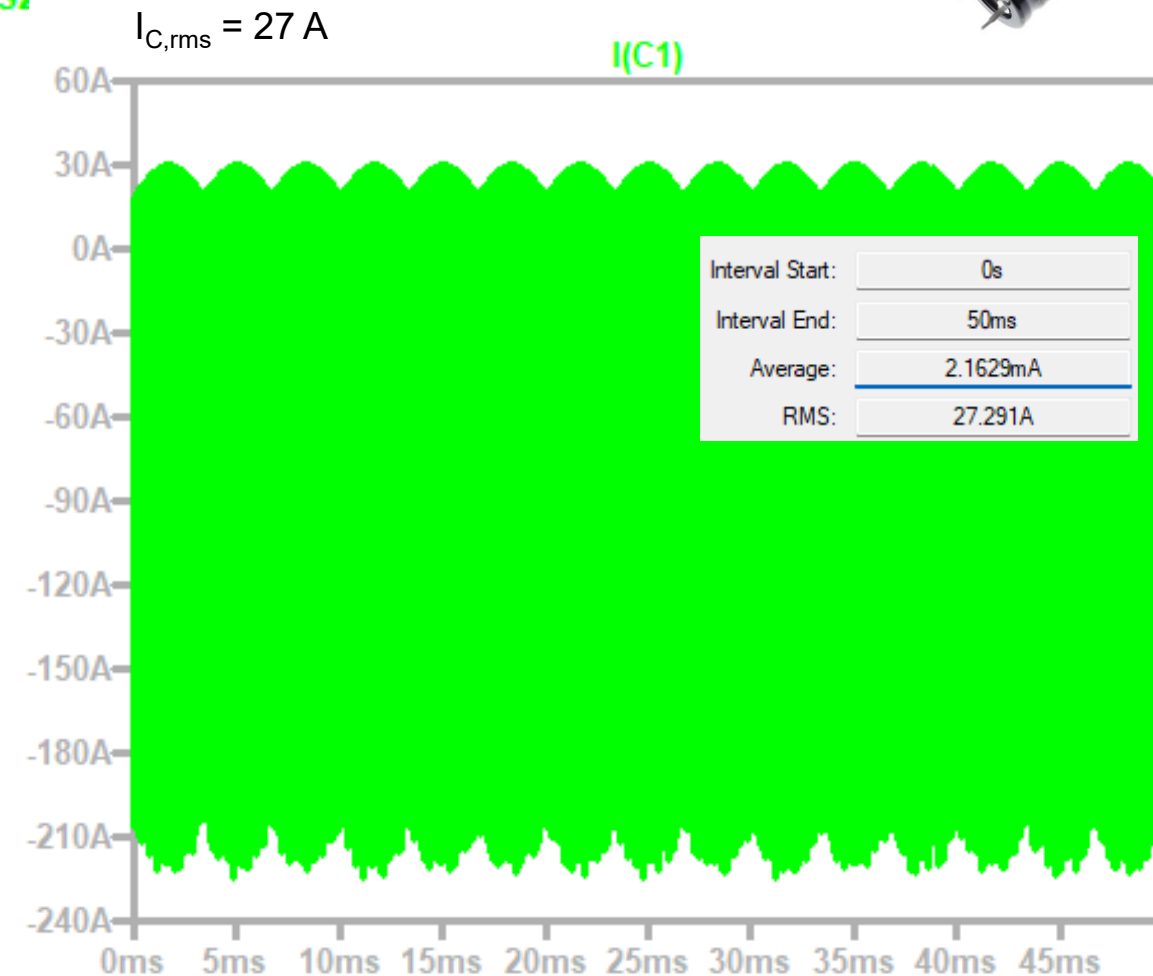
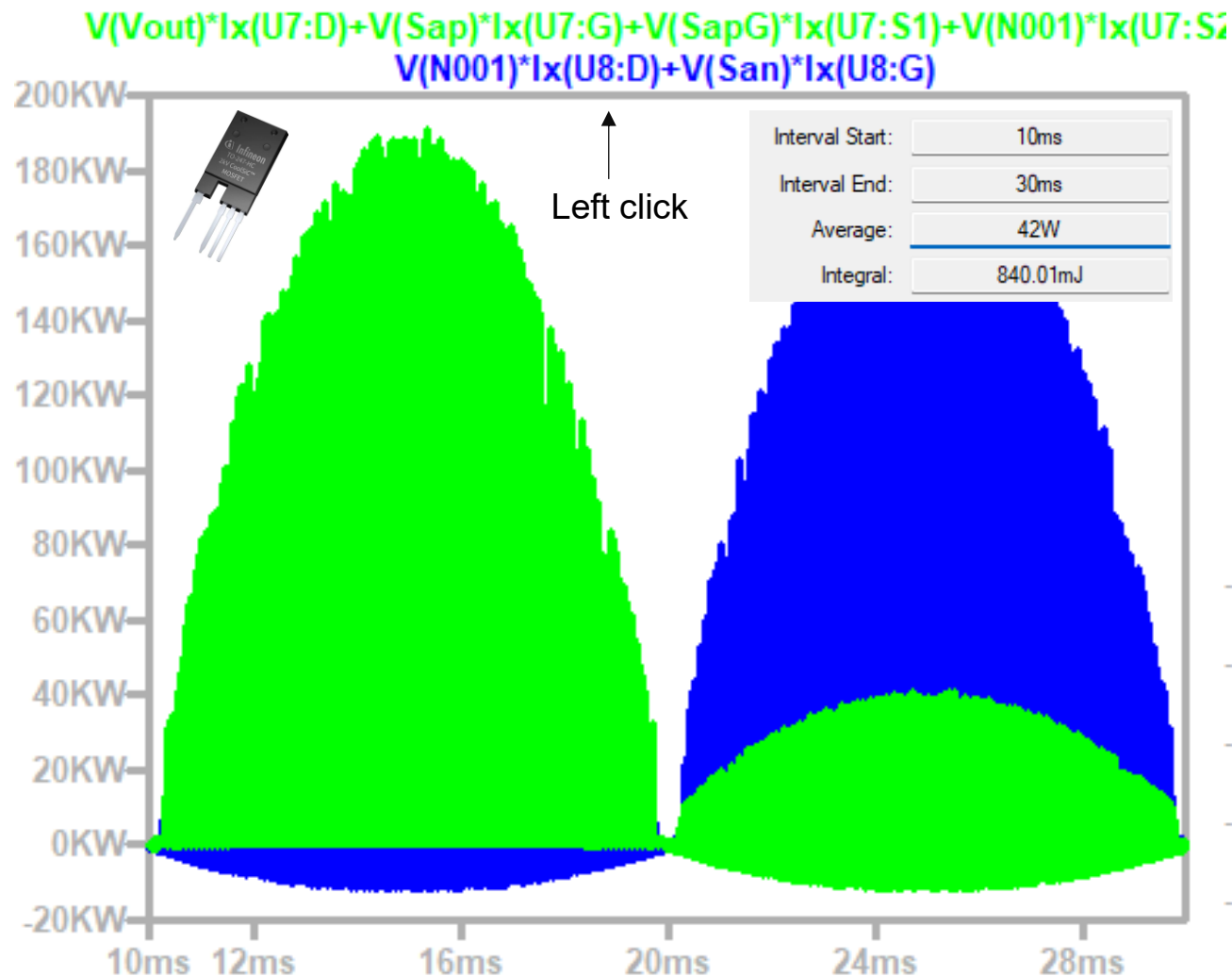
- You can run a simulation with dq0 control and SiC transistors



Simulation time for 150 ms: ≈ 10 mn

Assess Conduction and Switching Losses

- After stabilization, you can assess the power dissipated by each transistor



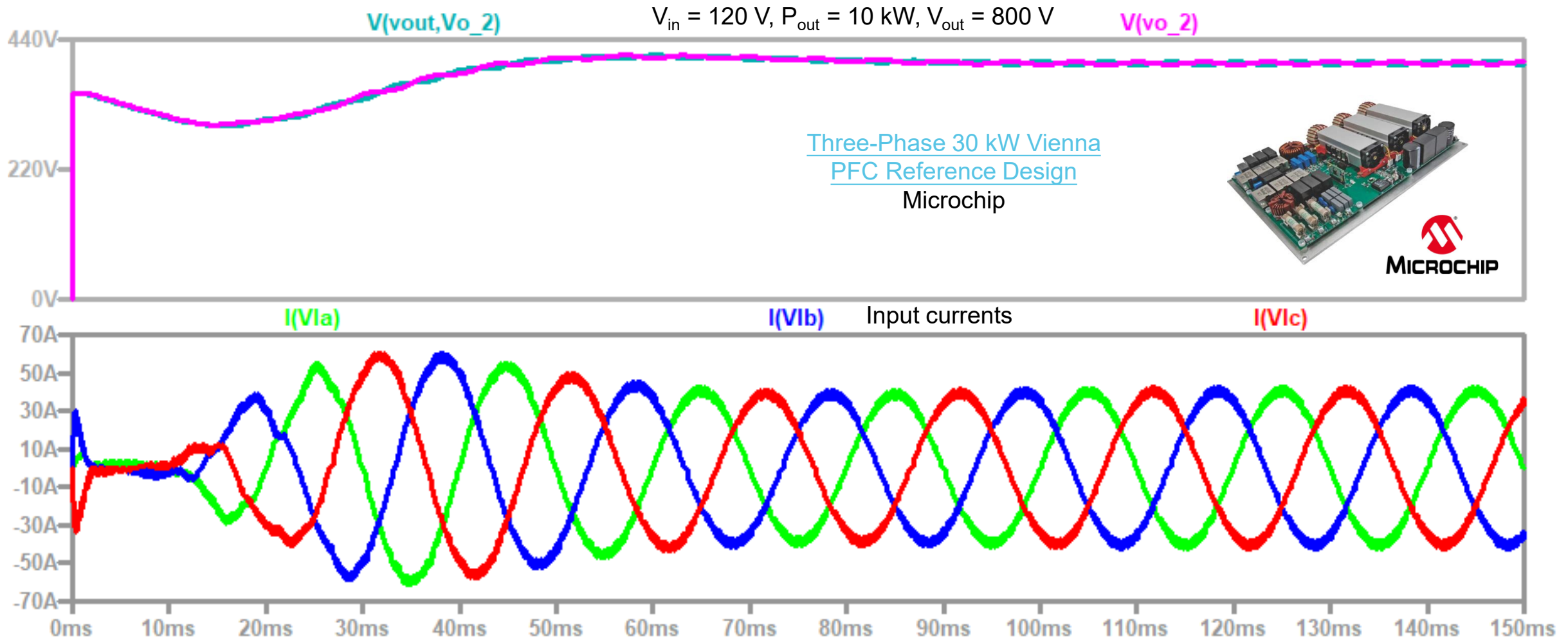
FUTURE
ELECTRONICS
A WT Microelectronics Company

-
- IMZA7SR008M1H_L0 IMZA7SR008M1H_L0
 D1 TOFD D3 TOFD D5 TOFD
 D2 TOFD D4 TOFD D6 TOFD
 IMZA7SR008M1H_L0 IMZA7SR008M1H_L0
 U1 U2 U3 U4 U5 U6
 C1 IC=350 2m C8 IC=350 2m
 R13 (RL) R4 (Rupper)
 R2 10m R14 (RL) R5 (Rlower)
 R3 10m
 C9 100n
 C10 100n
 R16 1k R15 1k
 Vout Vupper
 V1a 0 V1b 0 V1c 0
 Va Vb Vc
 SINE(0 (Vpeak) (FLINE))
 R1 1G
 H1 V1a 60m H2 V1b 60m H3 V1c 60m
 E1 E2 E3
 Va Vb Vc
 theta
 R12 1Meg
 X1
 X2
 theta
 PWL(0 0 20m (Vref))
 V1
 R8 1Meg
 ia ib ic
 theta
 R9 (Rdd) R7 (R2q) C4 (C1d)
 C2 (C2v) R6 (R2v)
 C1v
 C6 (C2q) C5 (C1q)
 R10 (R2q) R11 (Rdq)
 C2q
 X3
 CLP=2.9 CLN=-2.9
 d q theta zero
 Ia Ib Ic
 Da Db Dc
 B1 V=3-abs(V(Da1))
 B2 V=3-abs(V(Db1))
 B3 V=3-abs(V(Dc1))
 V4 PULSE(-33 0 16.6u 16.6u)
- .PARAM Fline=50
 .param Vgrms=120
 .PARAM Vgpeak=(Vgrms*sqrt(2))
 .PARAM Vamp=(Vgpeak*2)
 .MODEL TOFD D(IS=10e-18 RS=16m CJO=550p
 +M=0.4 VJ=0.75 ISR=720n BV=1000 IBV=100u TT=130n)
 .tran 0 150m 0 i
- .options abstol=1u vtol=1m reltol=0.01 gmin=100p
 +method=gear
 .four 50 10 -1 I(Via)
 .four 50 10 -1 I(Vib)
 .four 50 10 -1 I(Vic)
 .param GfCv=35; magnitude at crossover *
 .param PSV=62; phase lag at crossover *
 *
 * Enter Design Goals Information Here *
 *
 .param fcd=1k; targeted crossover *
 .param PMd=60; choose phase margin at crossover *
 *
 * Enter the Values for Vout and Bridge Bias Current *
 *
 .param Rdd=100k
 *
 * Do not edit the below lines *
 .param boostd=(PMd-PSd-90)
 .param Gdd=(10**(-Gfcd/20))
 .param kdd=(tan((boostd/2+45)*pi/180))
 .param fdd=(fcd/kdd)
 .param fdd=(fcd/kdd)
 .param C2d=(1/(2*pi*fdd*Gdd*kdd*Rdd))
 .param C1d=(C2d*(kdd**2-1))
 .param R2d=(kdd/(C1d*2*pi*fdd))
 *
 * Components for the q loop *
 .param GfCq=-1.2; magnitude at crossover *
 .param PSq=93; phase lag at crossover *
 *
 * Enter Design Goals Information Here *
 *
 .param fcdq=1k; targeted crossover *
 .param PMq=60; choose phase margin at crossover *
 *
 .param Rddq=100k
 *
 * Do not edit the below lines *
 .param boostq=(PMq-PSq-90)
 .param Gq=(10**(-Gfcdq/20))
 .param kq=(tan((boostq/2+45)*pi/180))
 .param fqq=(fcdq/kq)
 .param C2q=(1/(2*pi*fqq*Gq*kq*Rddq))
 .param C1q=(C2q*(kq**2-1))
 .param R2q=(kq/(C1q*2*pi*fqq))
 *
- .LIB IFX_CoolS_Gen1_Industrial_750V.lib
 .model MUR160 D(IS=7.4f RS=50m CJO=17p
 +M=0.50 VJ=0.75 ISR=940p
 +BV=600 IBV=100u tt=120n)
- IGLT65R055B2



Steady-State Simulation of the Vienna

- The start-up sequence is very smooth without significant overshoot

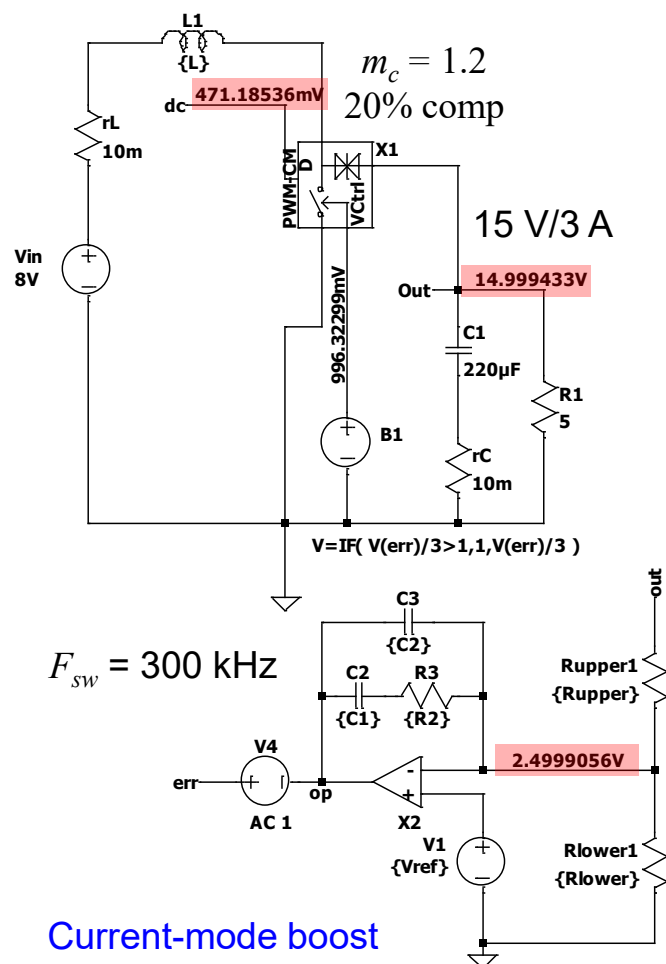


Agenda

- Why Simulating?
- Different Simulation Engines
- Averaged Models
- Cycle-by-Cycle Models
- Simulation Examples of Converters

Stabilizing the Loop of a Boost Converter

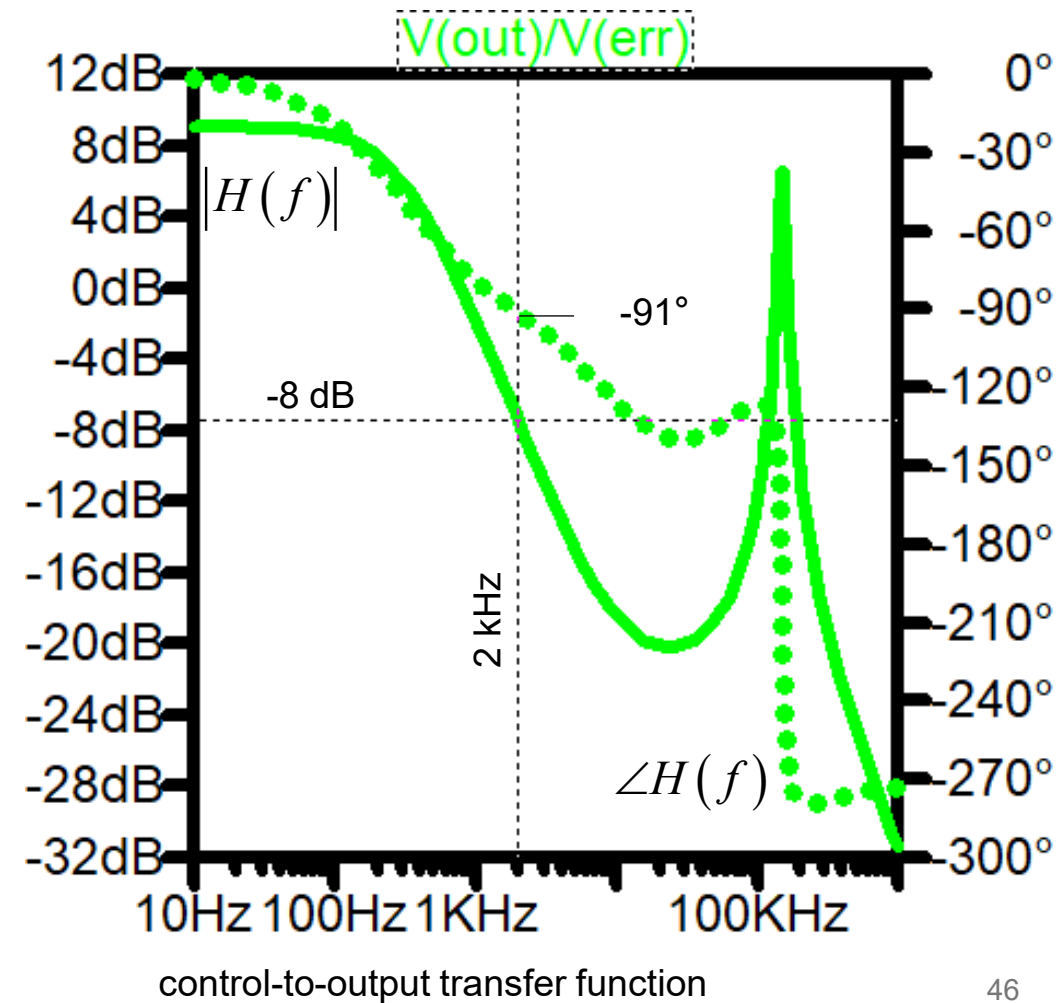
- This is a current-mode boost converter delivering 15 V/3 A from a 10-V source
- ✓ You start by determining the RHP zero at the minimum input of 8 V



- The RHP zero is located at:

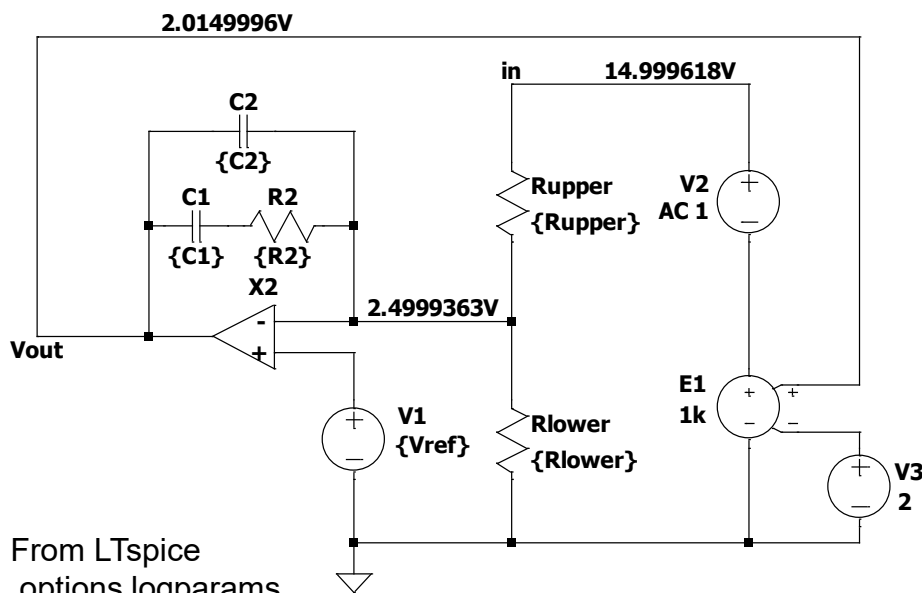
$$f_z = \frac{5 \Omega (1 - 0.47)^2}{22 \mu\text{H} \cdot 2\pi} \approx 10.2 \text{ kHz}$$
- Choose f_c 20% max of the RHPZ $\rightarrow f_c = 2 \text{ kHz}$
- Read the mag and phase from the control-to-output plot: Gfc = -8 dB and PS = -91°
- The compensator will exhibit 8 dB of gain at 2 kHz and a phase lag of -209° for a 60° phase margin:

✓ $-91^\circ - 270^\circ + 61^\circ = -300^\circ$
 Power -180° op-amp Phase
 stage pole at origin boost
 φ_m
 -360°



The type 2 Compensator with an op-amp

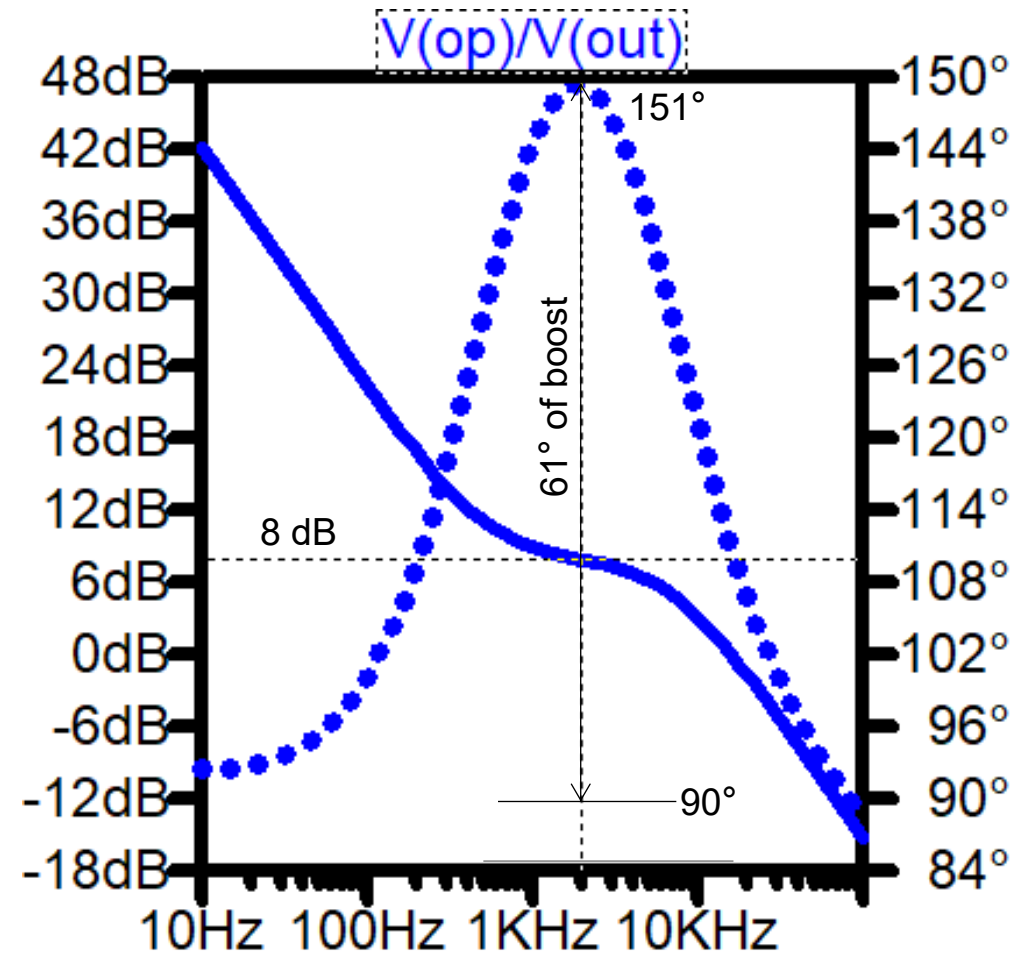
- The compensator is an active filter tuned to provide phase boost at f_c
- ✓ All component values are automated with the macro



From LTspice
.options logparams

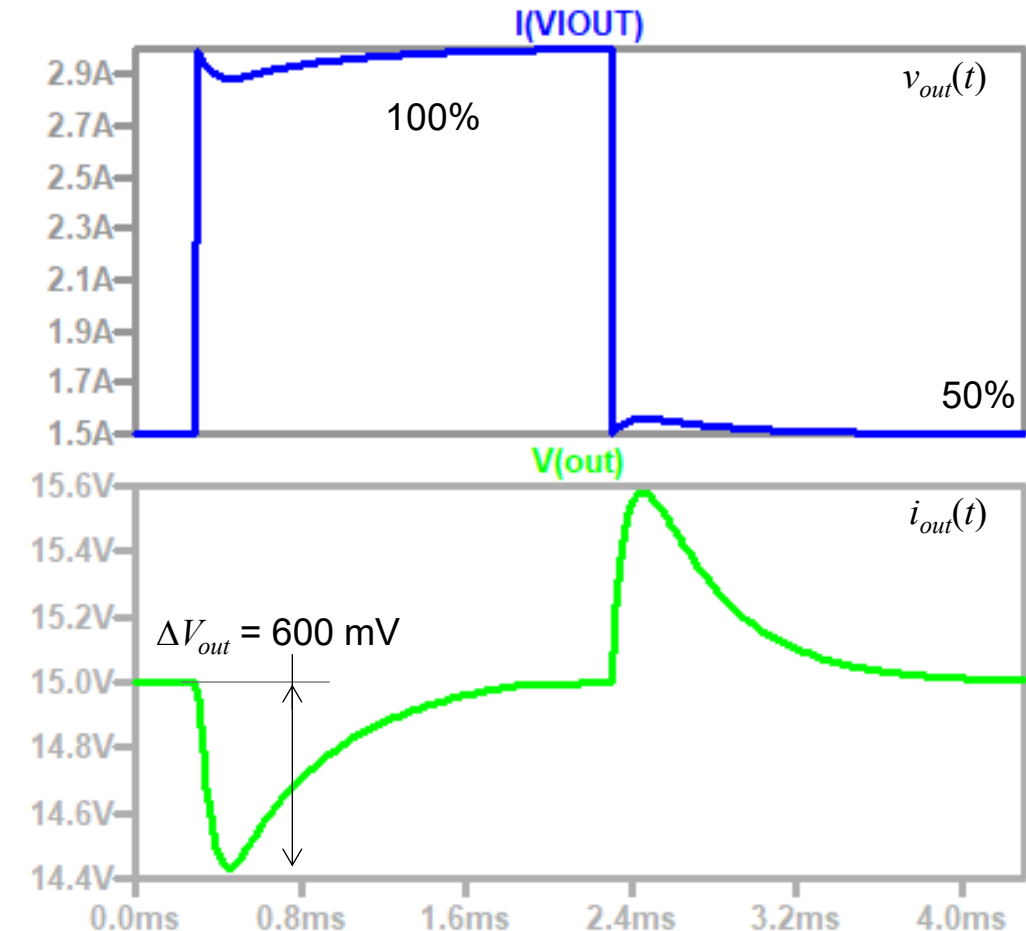
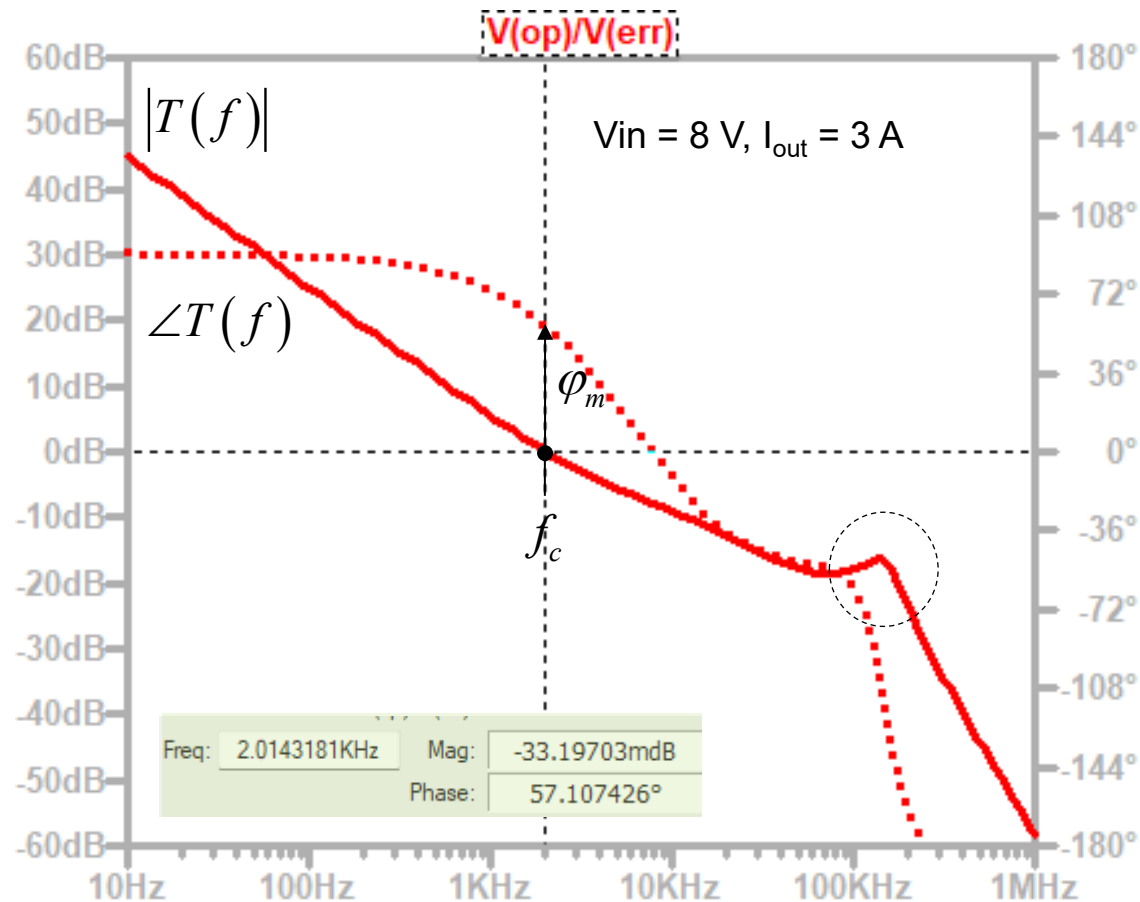
$\text{boost} = 6.10000\text{e}+01 \rightarrow \text{boost} = 61^\circ$
 $\text{r2} = 1.34596550\text{e}+05 \rightarrow R_2 = 133 \text{ k}\Omega$
 $\text{c1} = 2.28611544\text{e}-09 \rightarrow C_1 = 2.2 \text{ nF}$
 $\text{c2} = 1.63861974\text{e}-10 \rightarrow C_2 = 164 \text{ pF}$
 $\text{fc} = 2.00000000\text{e}+03 \rightarrow f_c = 2 \text{ kHz}$
 $\text{fp} = 7.73342618\text{e}+04 \rightarrow f_p = 7.7 \text{ kHz}$
 $\text{fz} = 5.17235168\text{e}+02 \rightarrow f_z = 517 \text{ Hz}$

* From power stage
 .param Gfc=-8 ; magnitude at crossover *
 .param PS=-91 ; phase lag at crossover *
 *
 * Enter Design Goals Information
 *
 .param fc=2k ; targeted crossover *
 .param PM=60 ; choose phase margin *
 *
 .param Vout=15
 .param Ibias=250u
 .param Vref=2.5
 *
 .param Rlower={Vref/Ibias}
 .param Rupper={(Vout-Vref)/Ibias}
 .param boost={PM-PS-90}
 .param G={10**(-Gfc/20)}
 .param kf={tan((boost/2+45)*pi/180)}
 .param fp={fc*kf}
 .param fz={fc/kf}
 .param C2=1/{(2*pi*fc*G*kf*Rupper)}
 .param C1={C2*(kf**2-1)}
 .param R2={kf/(C1*2*pi*fc)}
 *



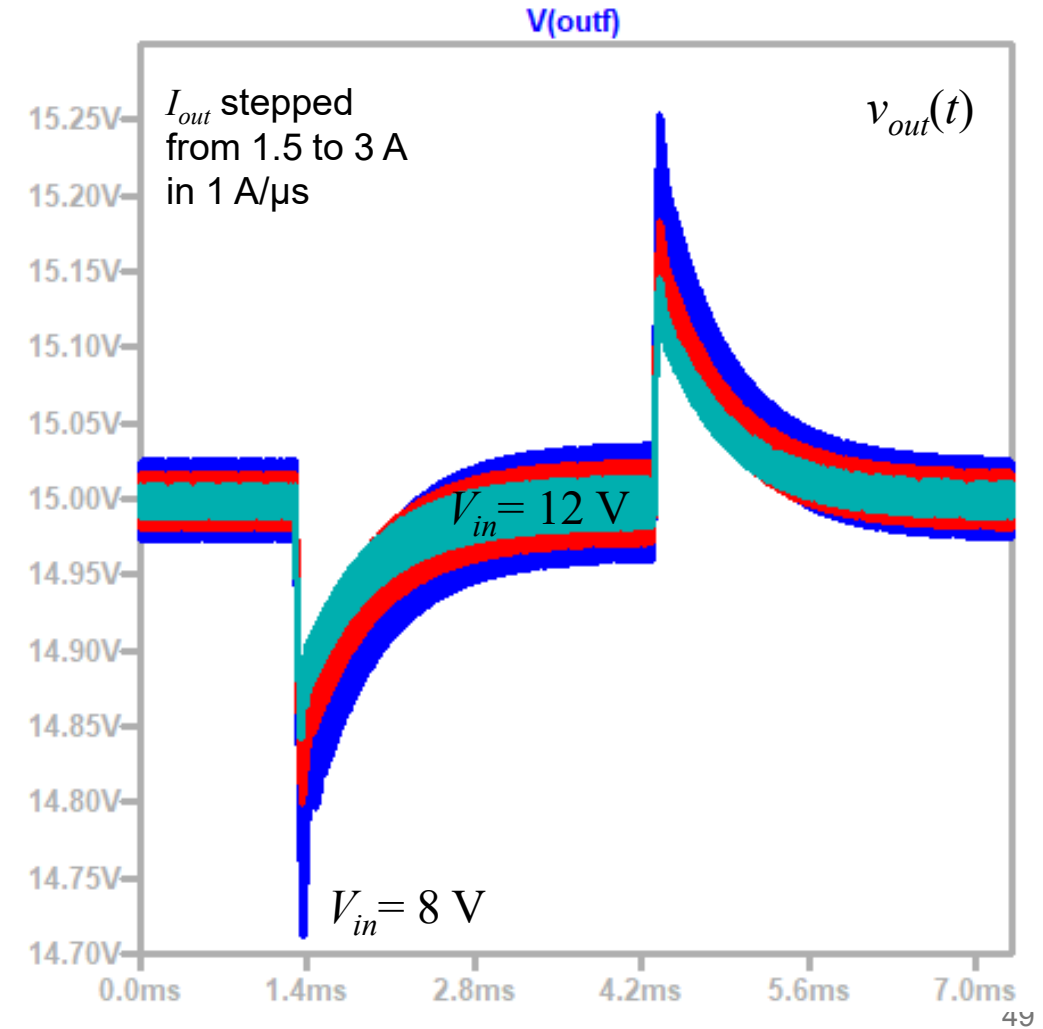
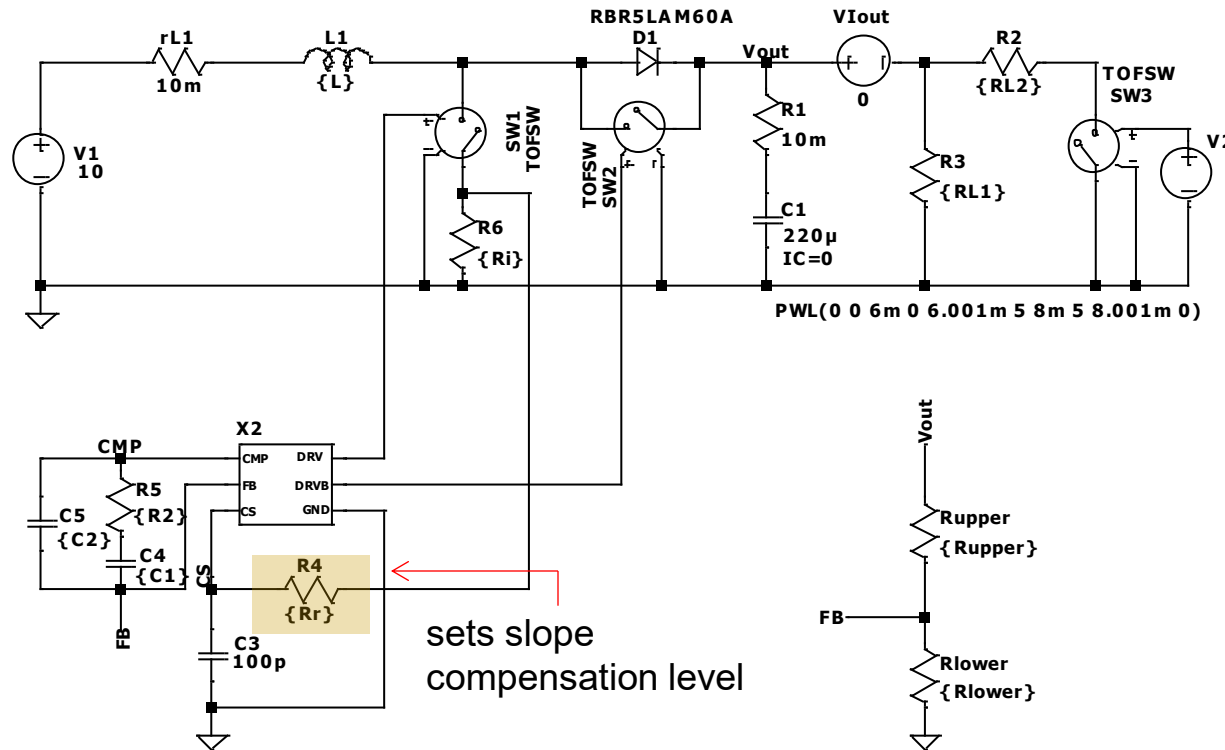
Close the Loop and check Step Response

- Plot the compensated gain and explore different operating conditions
- Run a load and input step to check if the output voltage deviation is acceptable



Verify the Design with a Switched Model

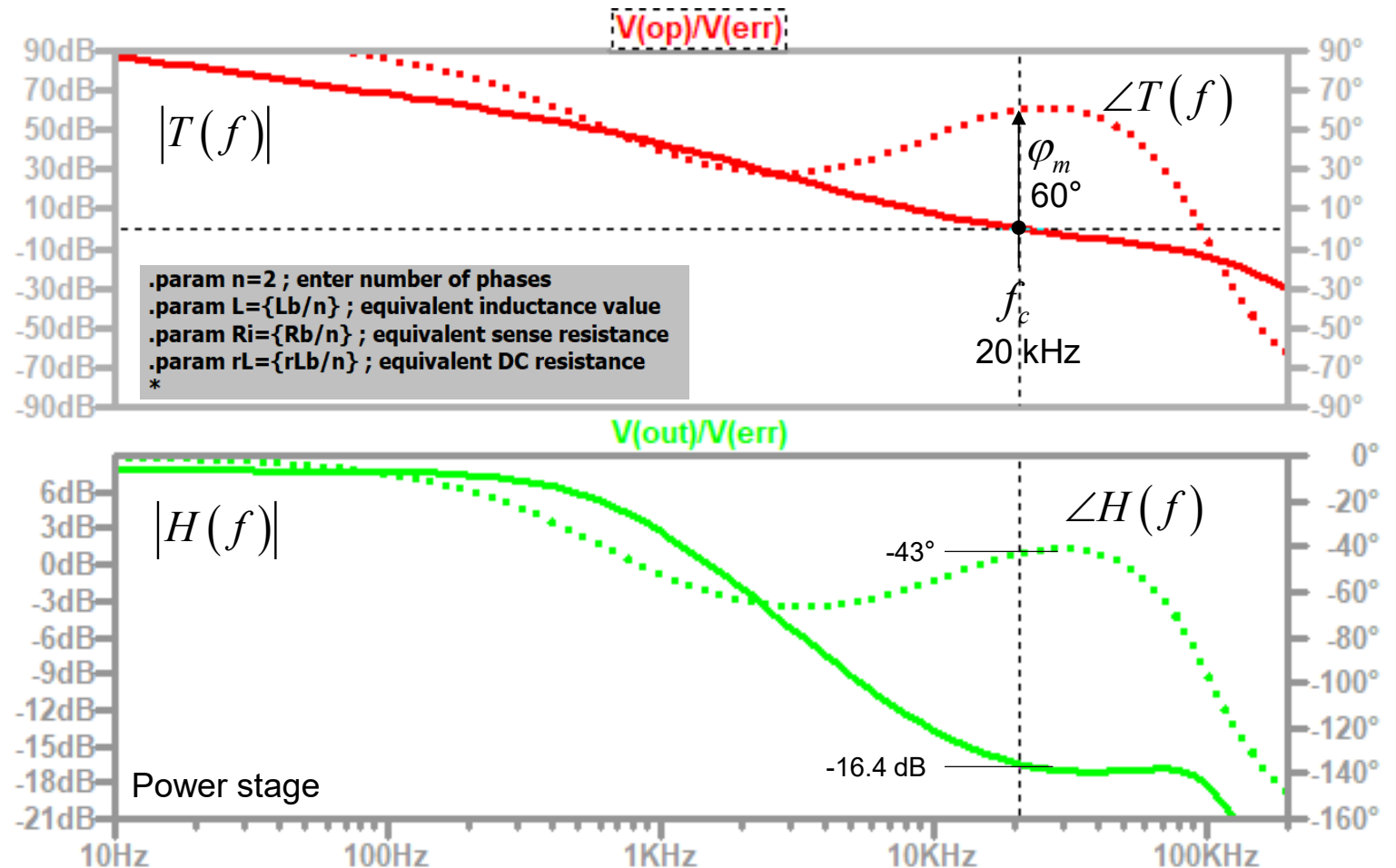
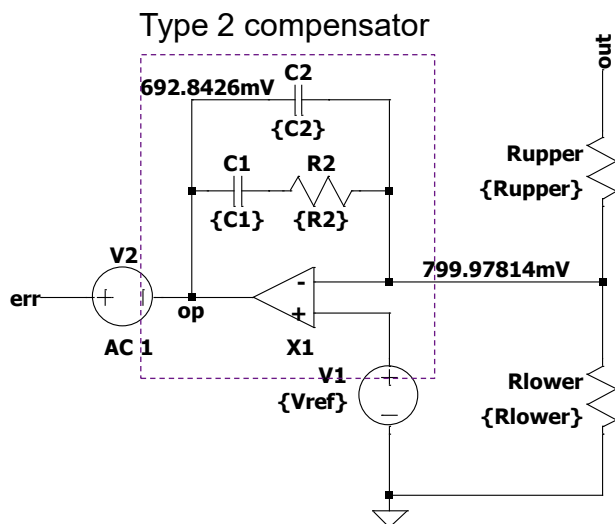
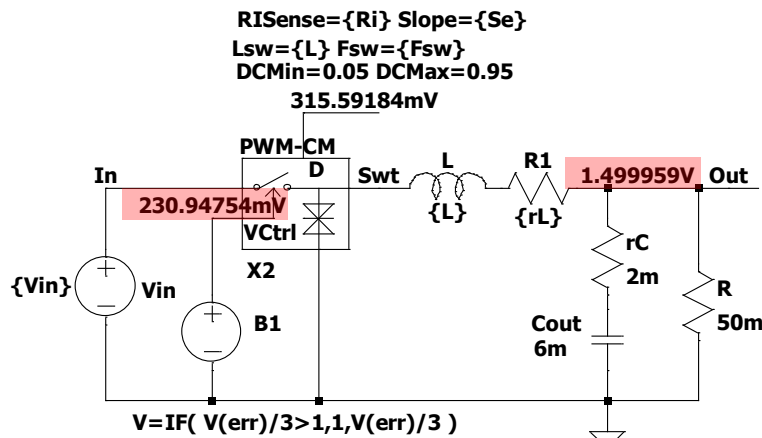
- Use averaged model results to close the loop around a switched model
- Run a transient load step to confirm the design is stable



- The transient response is stable at the three input voltages: 8, 10 and 12 V

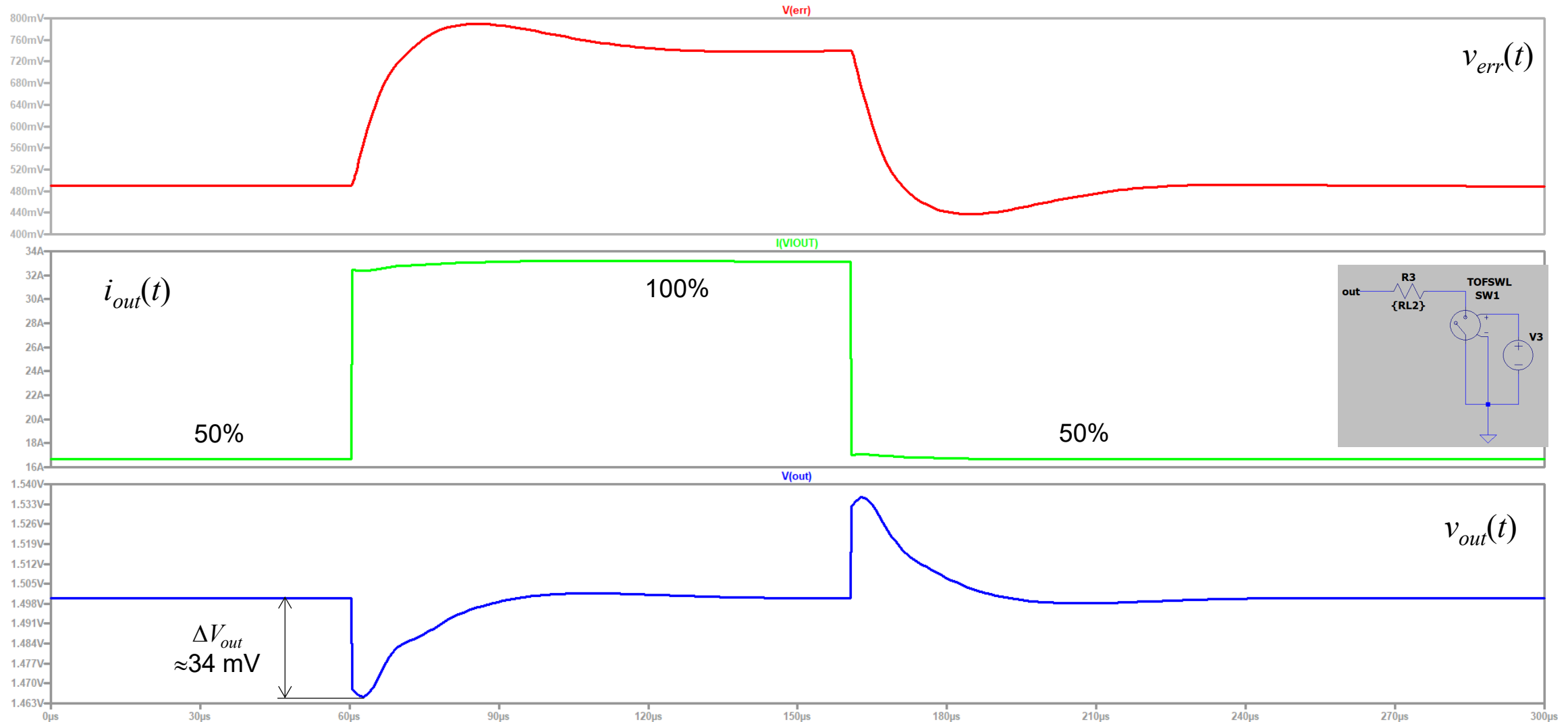
A Two-Phase CM Buck Converter

- Multiphase converters are helpful to reduce semiconductor stresses and output ripple
- A two-phase buck operated in current-mode control requires adaptation of the model



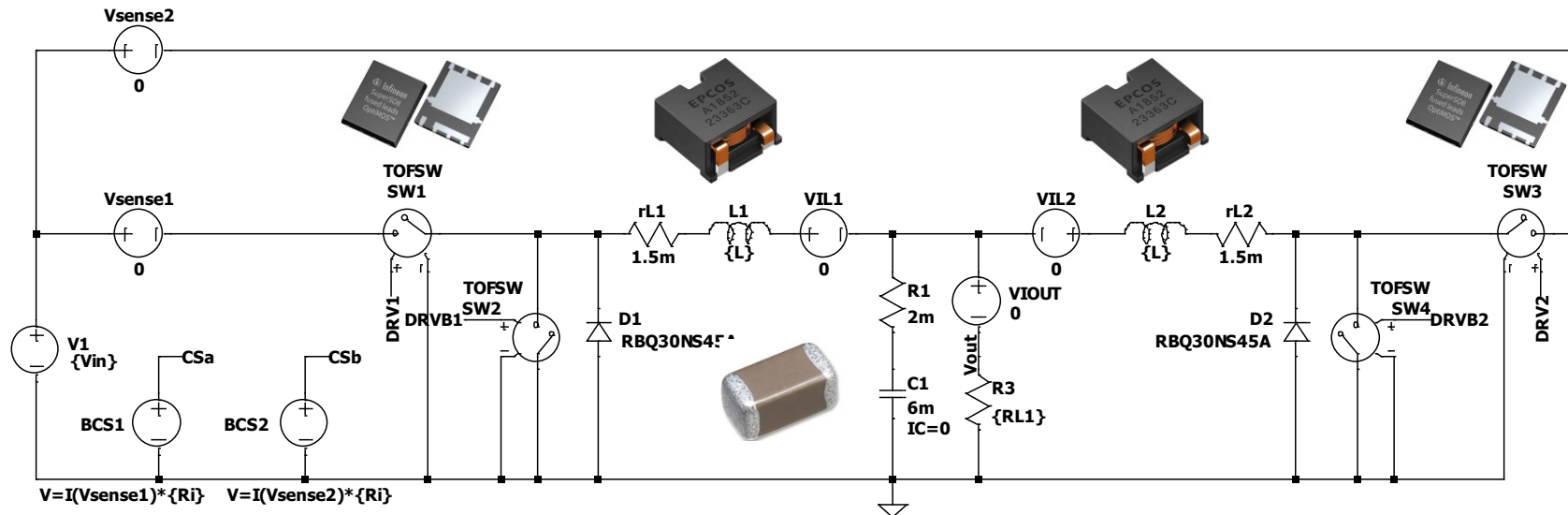
Step Load Response of the Multiphase Buck

- The output voltage deviation is extremely small despite a 15-A load step



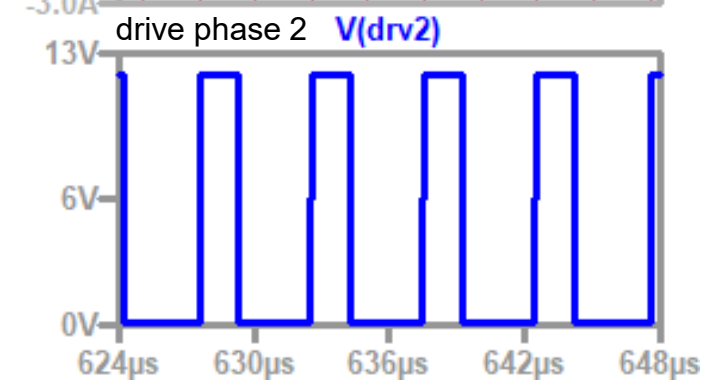
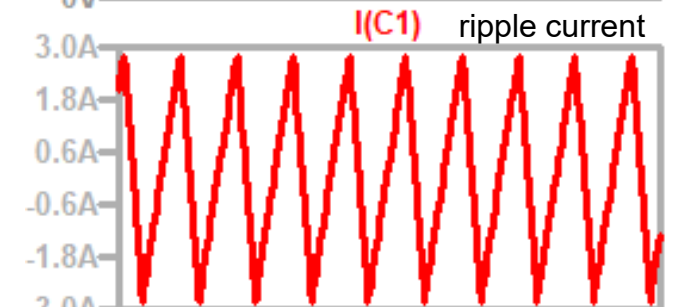
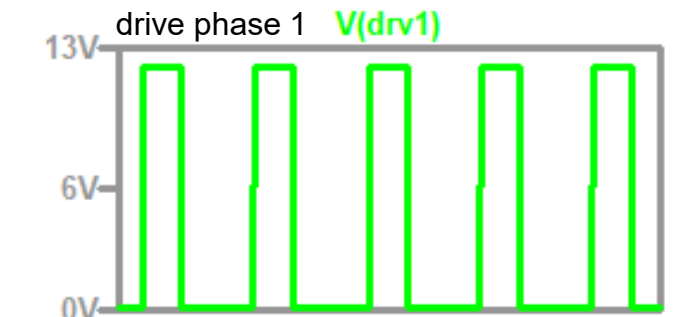
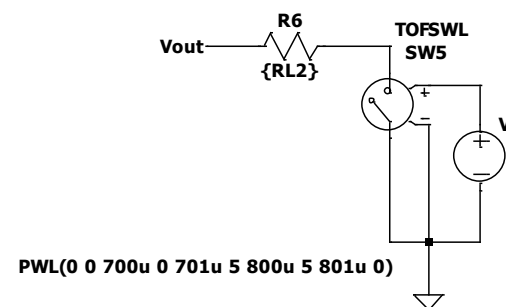
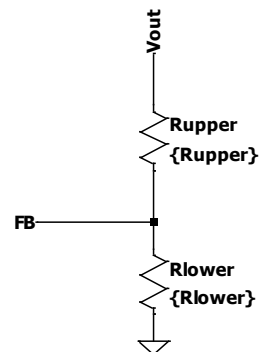
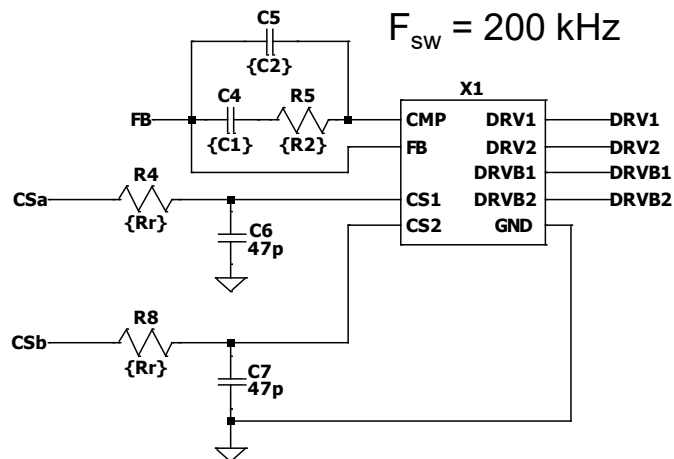
Cycle-by-Cycle Simulation of the CM Buck

- The cycle-by-cycle circuit implements a dedicated 2-phase generic controller



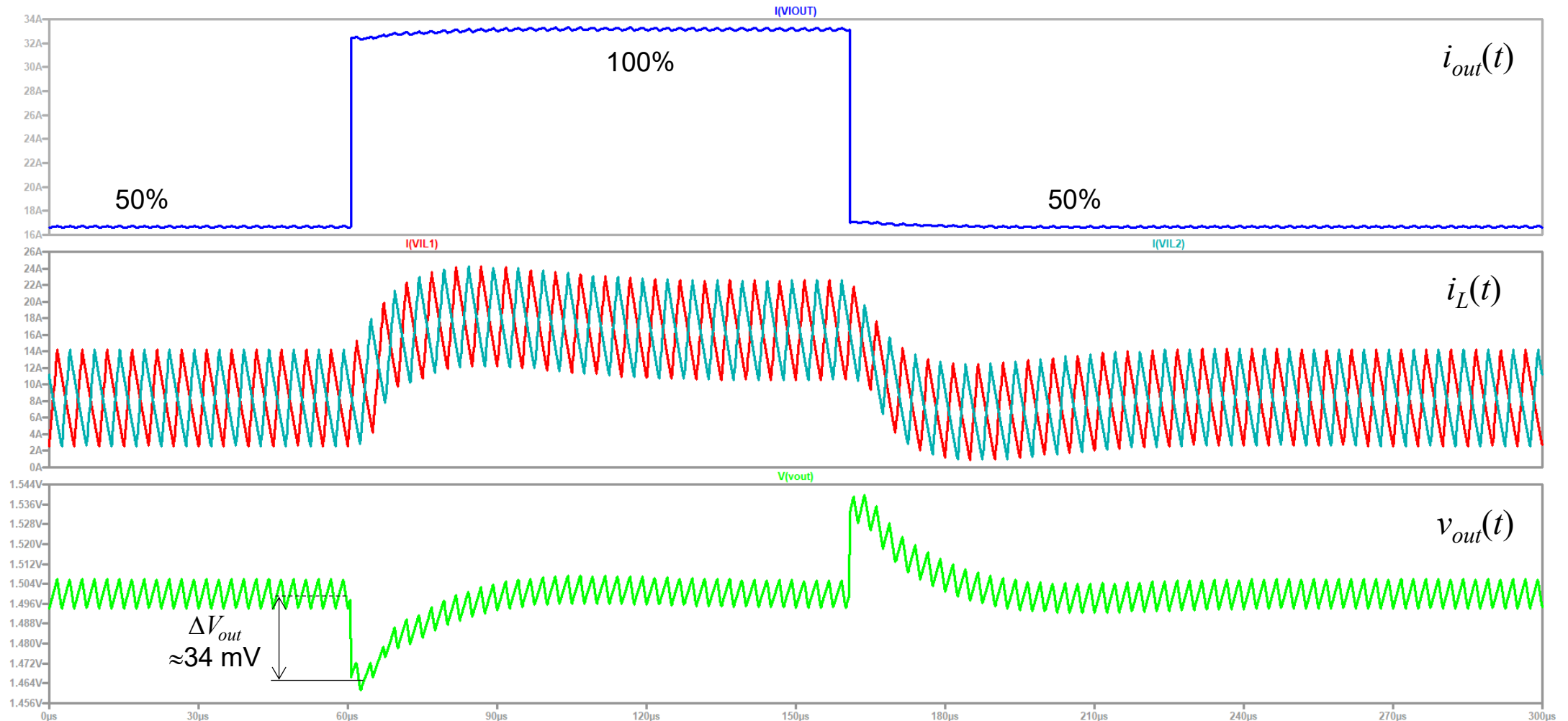
This is a 2-phase current-mode buck converter delivering 1.5 V- 30 A.

- Christophe Basso - May 2026



Transient Response of the Switching Model

- The cycle-by-cycle circuit implements a dedicated generic controller



Conclusion

- Designing a converter combines equations, simulation and bench measurements
- A simulator is a design companion which confirms or not your calculations
- There are two types of models: averaged and switched models
- ✓ An averaged model simulates fast and lets you stabilize the control loop
- ✓ A switched model is slower and you “breadboard” the circuit on the computer
- ✓ A piece-wise linear simulator like SIMPLIS extracts the ac response from a switching circuit
- Combine ac modeling with transient simulation for a safe first power-on experiment



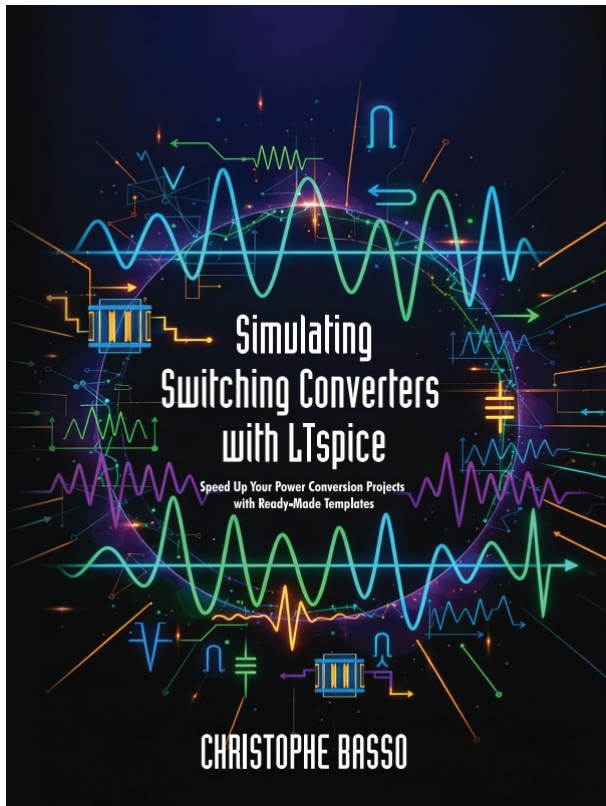
Combine analytical analysis,
simulation, prototype:
It is the recipe for success!

Snowshoeing is
way cooler than
simulating
power supplies!

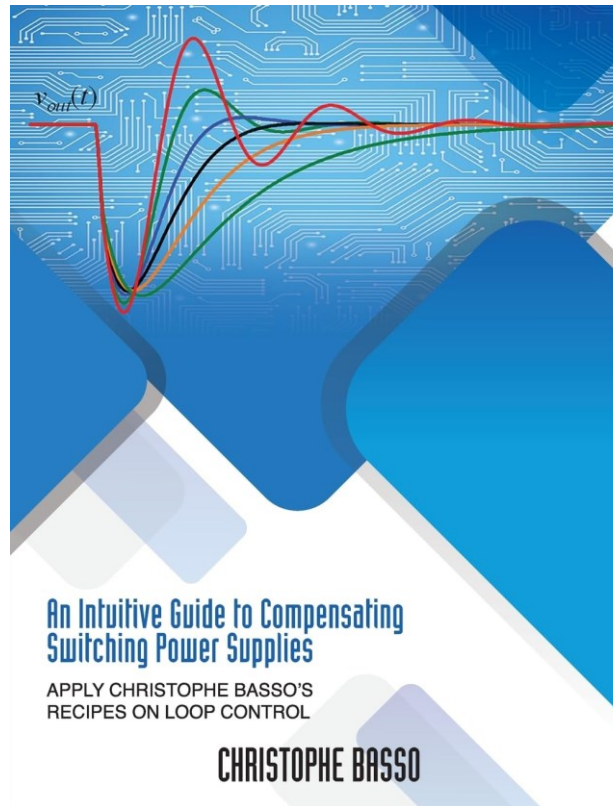


Models and Additional Reading

- The LTspice/SIMPLIS models can be downloaded from my webpage:
<https://powersimtof.com/Spice.htm>



How to use my 250+ ready-made switching templates



If you want a crash course on loop control, this book is for you!



If the weather is rainy for 1 month or so, why not try small-signal analysis?